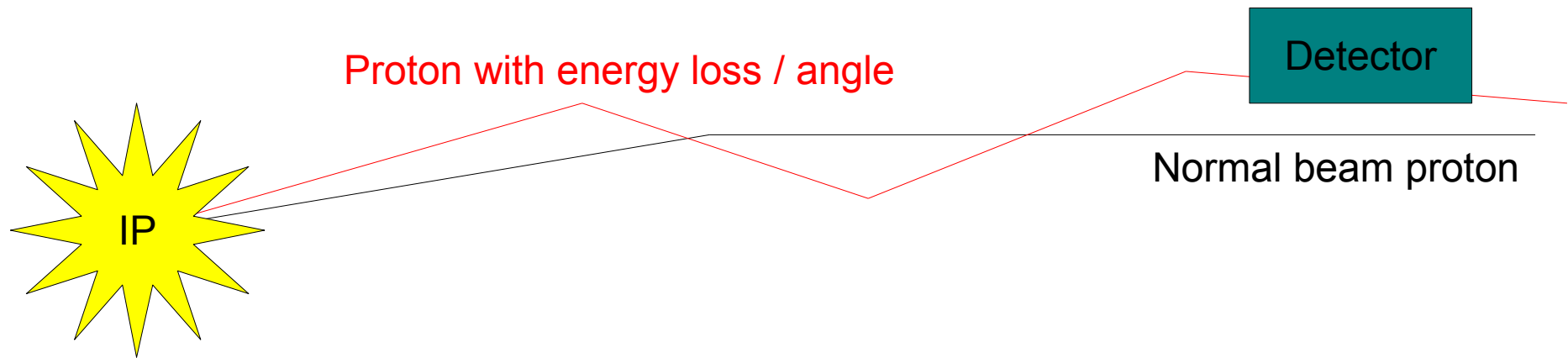


Hector :

A fast multi-purpose simulator for
particle propagation

- Introduction : the need for a new tool
- The LHC beamline as an example
- Implementation
- Validation with MAD
- Some Physics
- Prospects

- Forward Physics : physics with very forward objects.
 - Includes : diffractive physics, photon-related physics.
 - Low σ -> need some help to tag !
 - How ? By detecting forward objects -> **new detectors («Roman Pots»)** far from IP.
 - Such detectors could allow «full» event reconstruction.
-



-> Need for a realistic simulation of particle propagation in the beamline !

Existing tools :

- **MAD** : Beam simulator used by the LHC Machine group. Problem : beam-oriented*, while we need particle-by-particle propagation. Also very hard to adapt to one's needs.
- **MARS** : Used for very accurate description of interactions with fields and matter. Problem : Too heavy.
- **Transport** : Was used for UA1. Good, but not easy to adapt for LHC.

—▶ There's room for a **new Simulator** !

This new program **should** be :

- Fast
- Lightweight
- LHC-capable
- Particle-oriented

This new program **could** be :

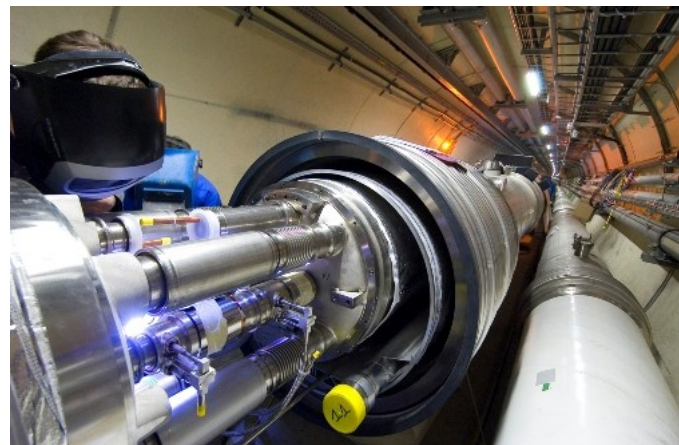
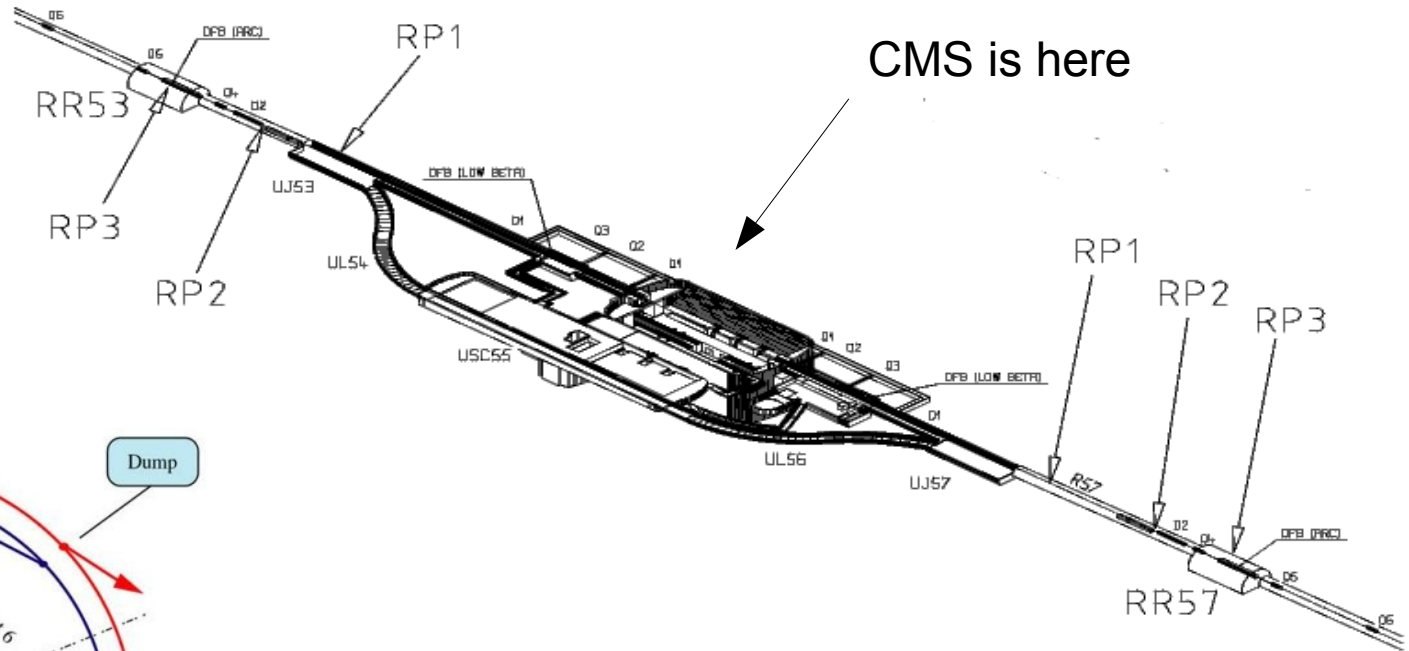
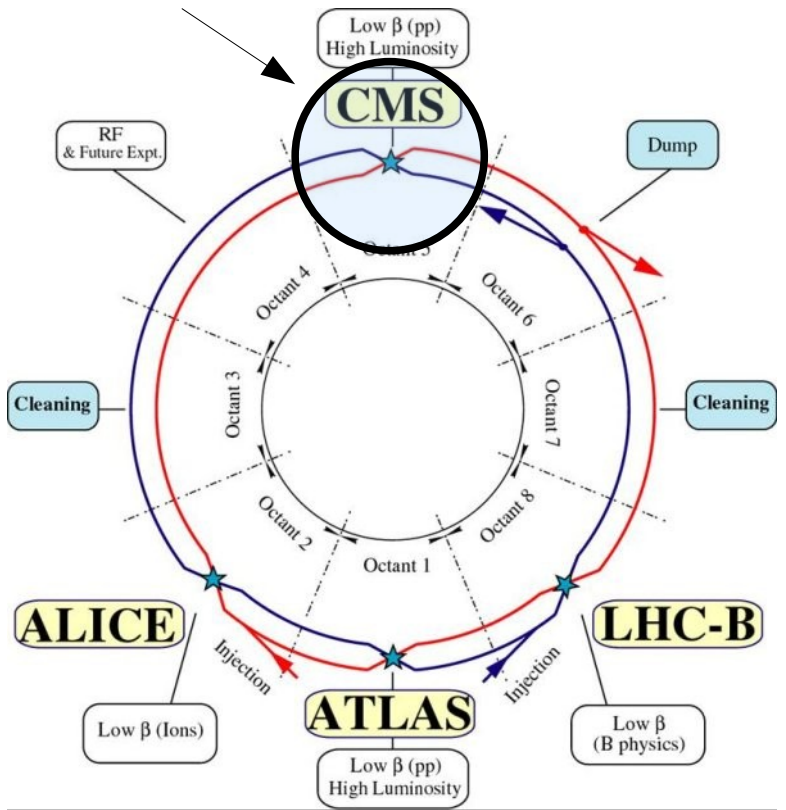
- Object-oriented
 - General-purpose
 - Easy to use for anyone interested
-

Hector

The LHC beamline

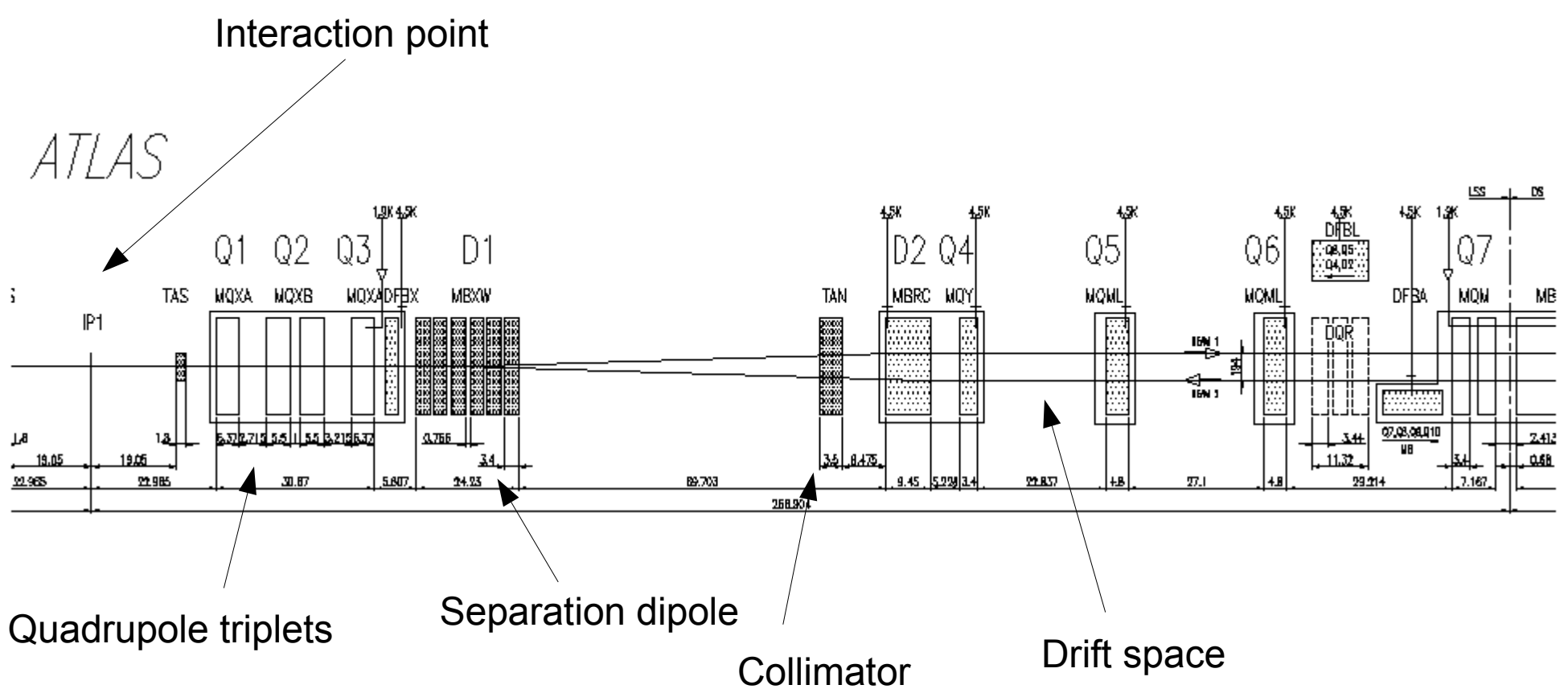


Crossing angle !



Hector

The LHC beamline : closer



Quadrupole triplets

Separation dipole

Collimator

Drift space

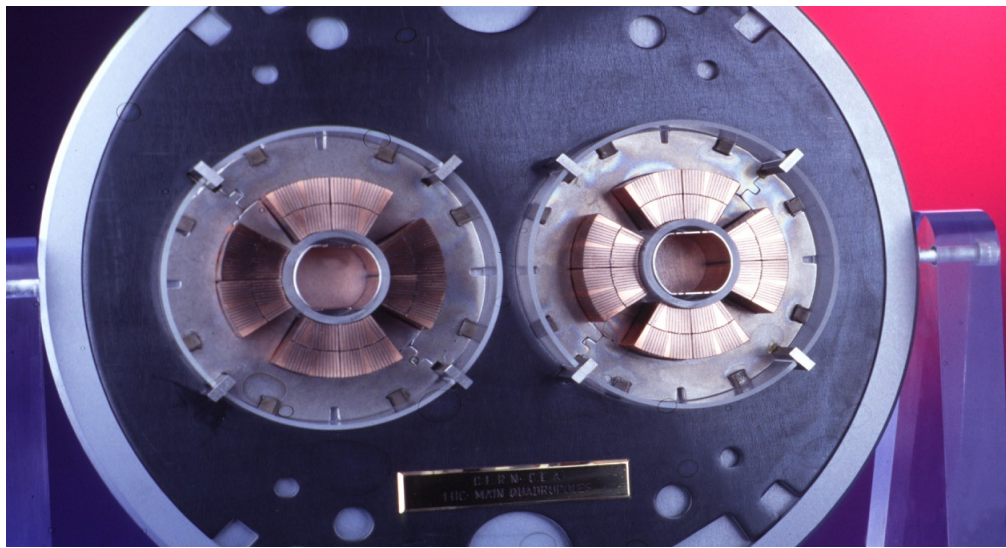
Hector

Triplet Q + separation D



Hector

LHC dipoles & quadrupoles



B around its central value :

$$\frac{e}{p} B_y(x) = \underbrace{\frac{e}{p} B_y}_{k_0 = 1/R} + \underbrace{\frac{e}{p} \frac{\partial B_y}{\partial x}}_{k_1 = k} x + \frac{1}{2} \frac{e}{p} \frac{\partial^2 B_y}{\partial x^2} x^2 + \dots$$

Taking only dipolar (k_0) and quadrupolar (k_1) terms :

$$x''(s) + \left(\frac{1}{R^2(s)} - k(s) \right) x(s) = \frac{1}{R(s)} \frac{\Delta p}{p}$$

$$y''(s) + k(s)y(s) = 0.$$

The solutions $x(s)$, $x'(s)$, $y(s)$, $y'(s)$ can be expressed (if $\Delta p \ll p$) as a linear combination of the initial phase-space vector x_0 , x'_0 , y_0 , y'_0

Hector Implementation (II)



Linear behaviour -> matrix representation of the transport :

$$X(s) = X(0) \underbrace{M_1 M_2 \dots M_n}_{M_{\text{beamline}}}$$

Where :

X is the phase-space vector of the particle

M_i are the matrices associated to the magnets

Rem : As considered energy losses are not negligible, we introduce an energy dependence of M_i as a correction to linearity

Matrix structure :

$$M_{\text{units}} = \begin{pmatrix}
 \mathcal{A} & \mathcal{A} & 0 & 0 & 0 & 0 \\
 \mathcal{A} & \mathcal{A} & 0 & 0 & 0 & 0 \\
 0 & 0 & \mathcal{B} & \mathcal{B} & 0 & 0 \\
 0 & 0 & \mathcal{B} & \mathcal{B} & 0 & 0 \\
 \mathcal{D} & \mathcal{D} & 0 & 0 & 1 & 0 \\
 0 & K & 0 & K & 0 & 1
 \end{pmatrix}$$

→ (de)focusing
→ bending

Matrix example : Quadrupole

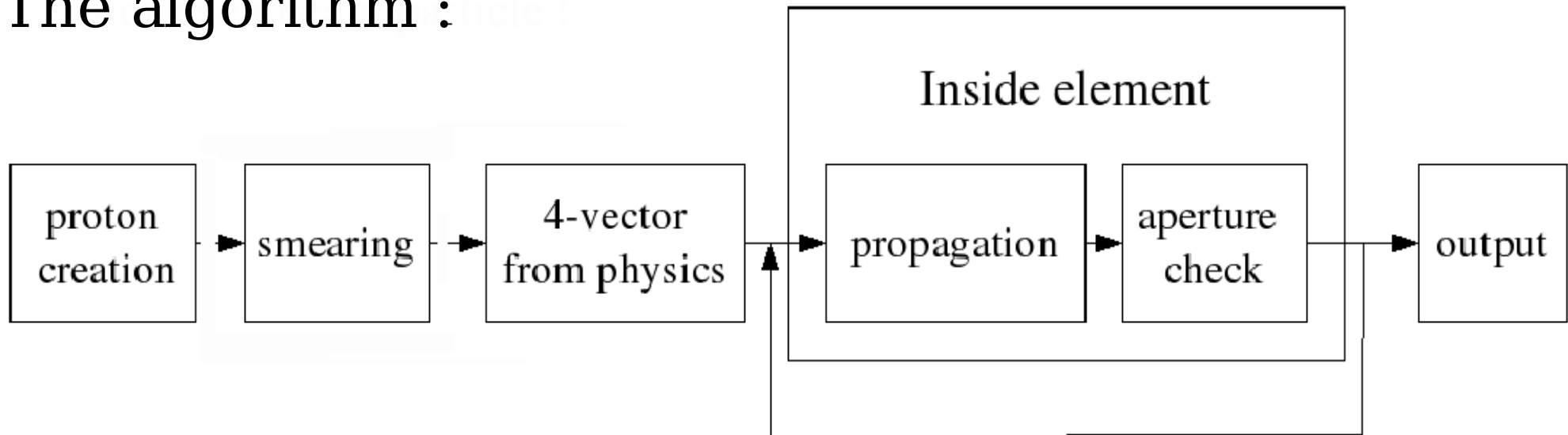
$$M_{\text{vertical-quadrupole}} = \begin{pmatrix}
 \cosh(\omega) & \sqrt{k} \sinh(\omega) & 0 & 0 & 0 & 0 \\
 (1/\sqrt{k}) \sinh(\omega) & \cosh(\omega) & 0 & 0 & 0 & 0 \\
 0 & 0 & \cos(\omega) & -\sqrt{k} \sin(\omega) & 0 & 0 \\
 0 & 0 & (1/\sqrt{k}) * \sin(\omega) & \cos(\omega) & 0 & 0 \\
 0 & 0 & 0 & 0 & 1 & 0 \\
 0 & 0 & 0 & 0 & 0 & 1
 \end{pmatrix}$$

Input Needed :

- k_i
- effective field length
- magnet position
- magnet aperture

All directly provided by the LHC group tables !

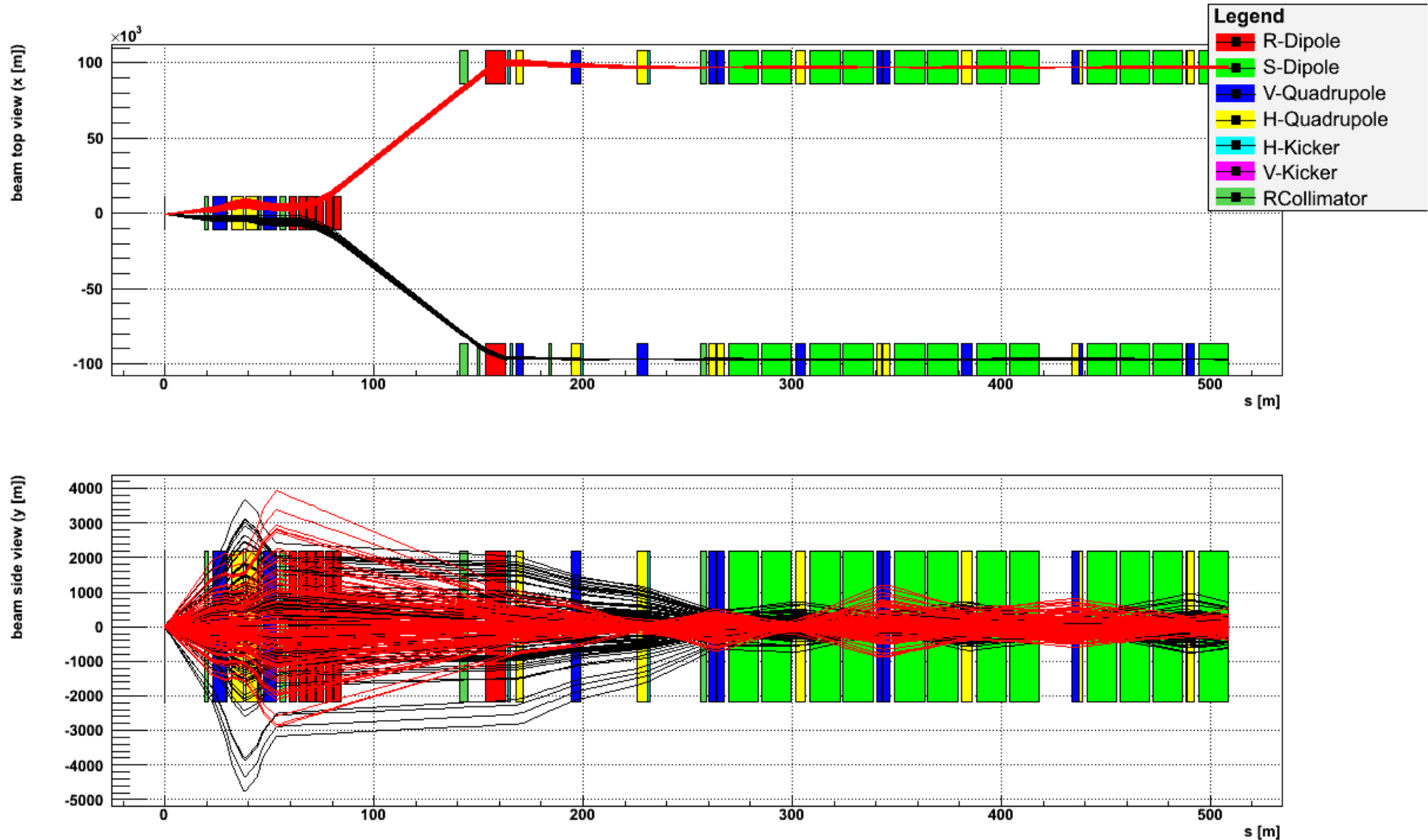
The algorithm :



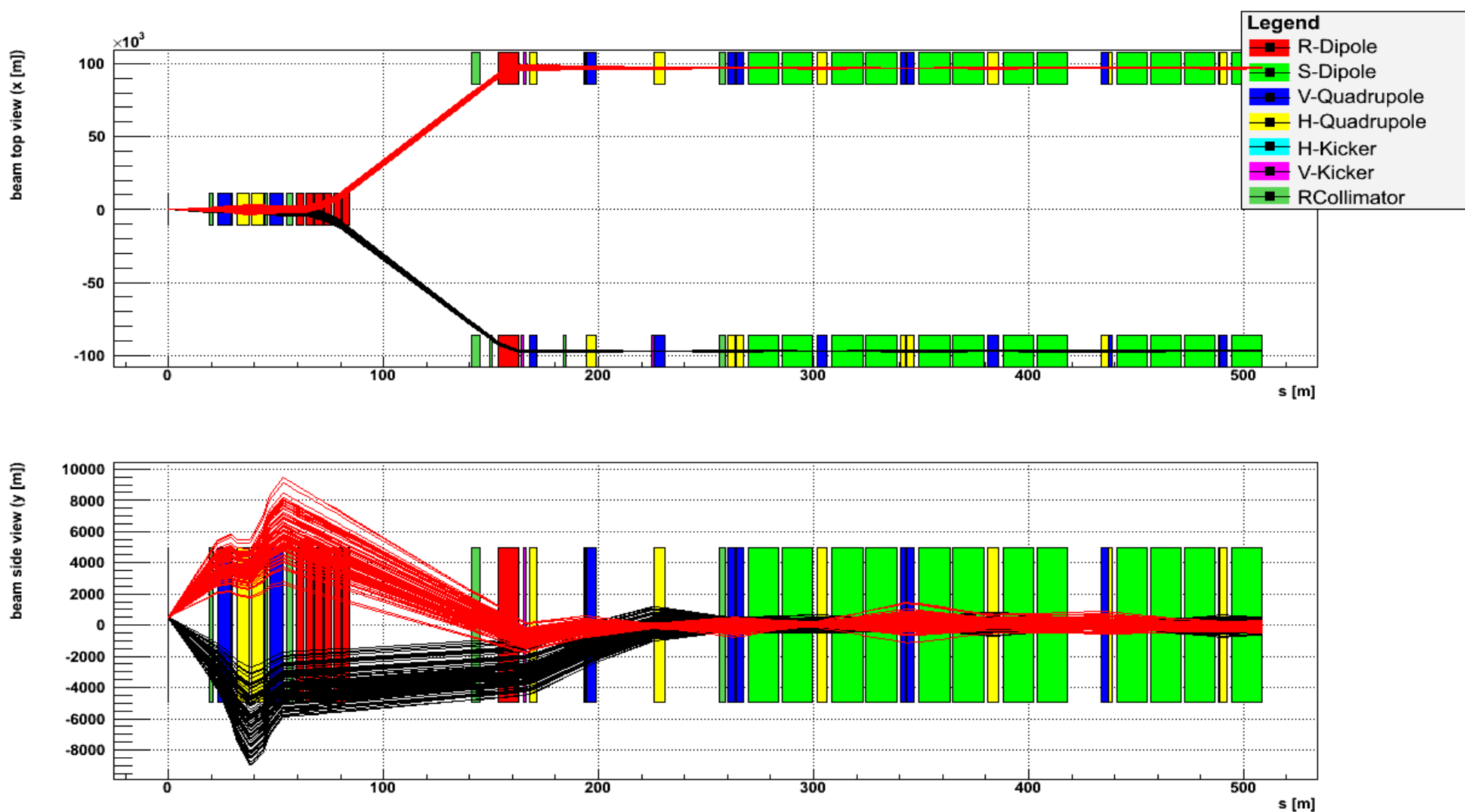
The 4-vector can be specified :

- completely (from generator)
- by choosing energy loss and Q^2 of emitted object

The LHC beams (right of CMS) :

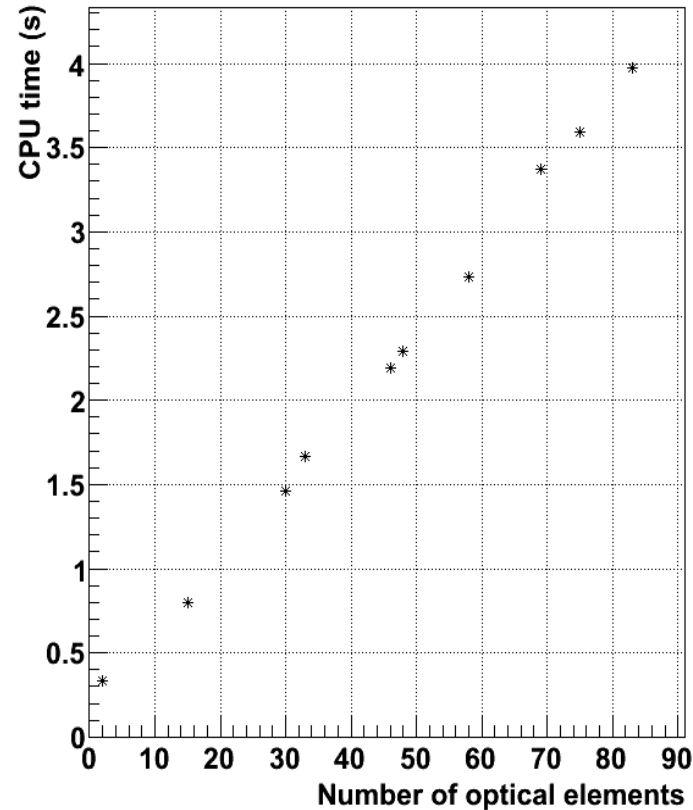
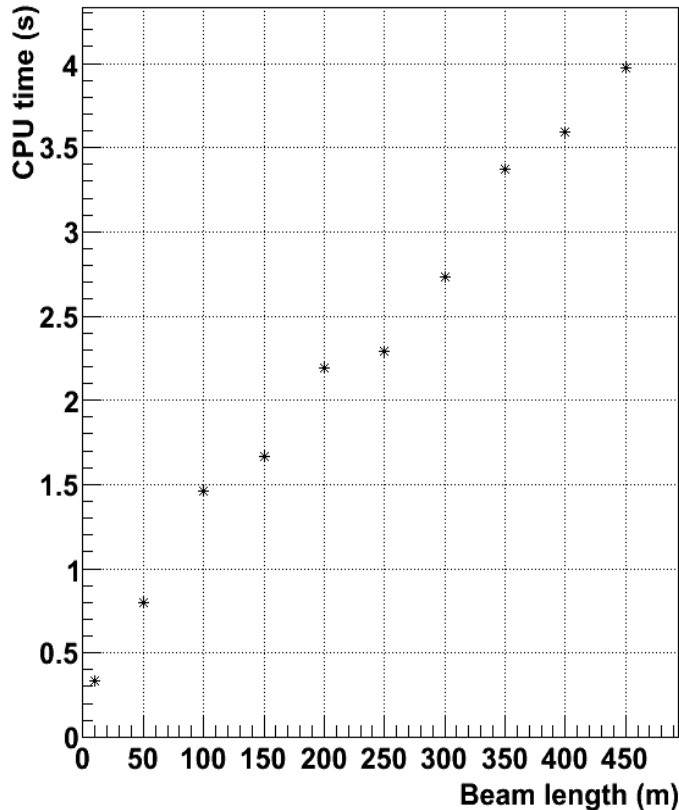


Same for ATLAS :



Performances :

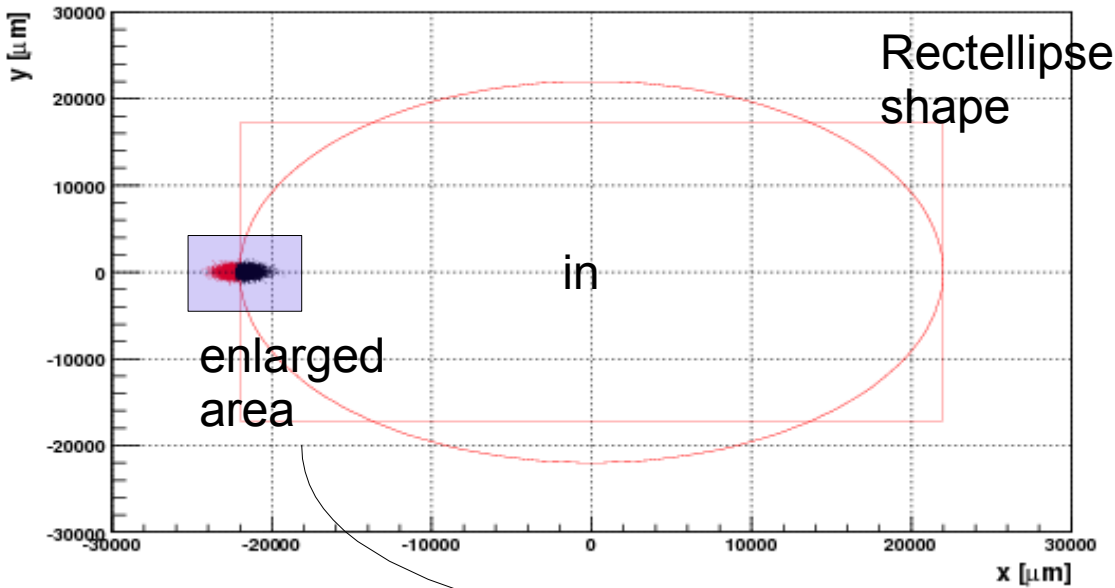
Computing time for 10000 particles



$\sim 3.5 \mu\text{s particle}^{-1} \text{ magnet}^{-1}$

$\rightarrow \sim 10^{-3} \text{ s / CMS event}$

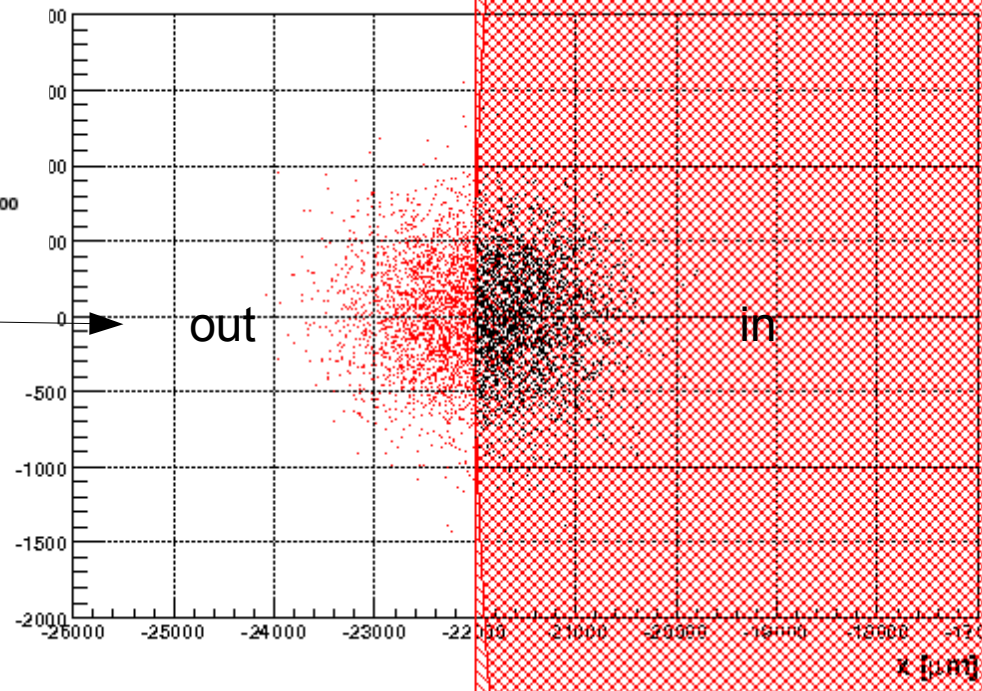
Aperture effect of "MB.B9R5.B1" on 110 GeV energy loss protons



Aperture :

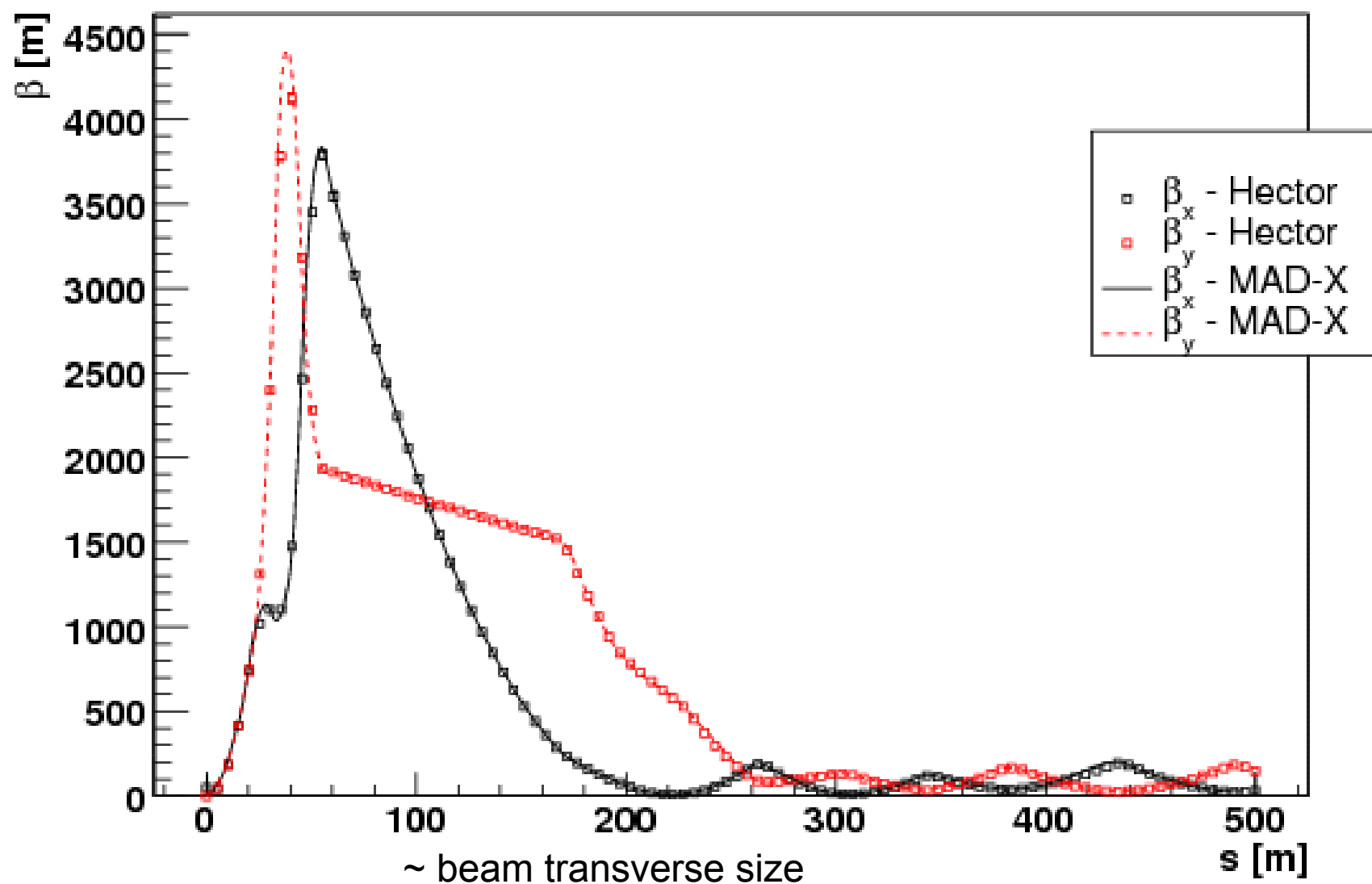
geometrical aperture

Aperture effect of "MB.B9R5.B1" on 110 GeV energy loss protons

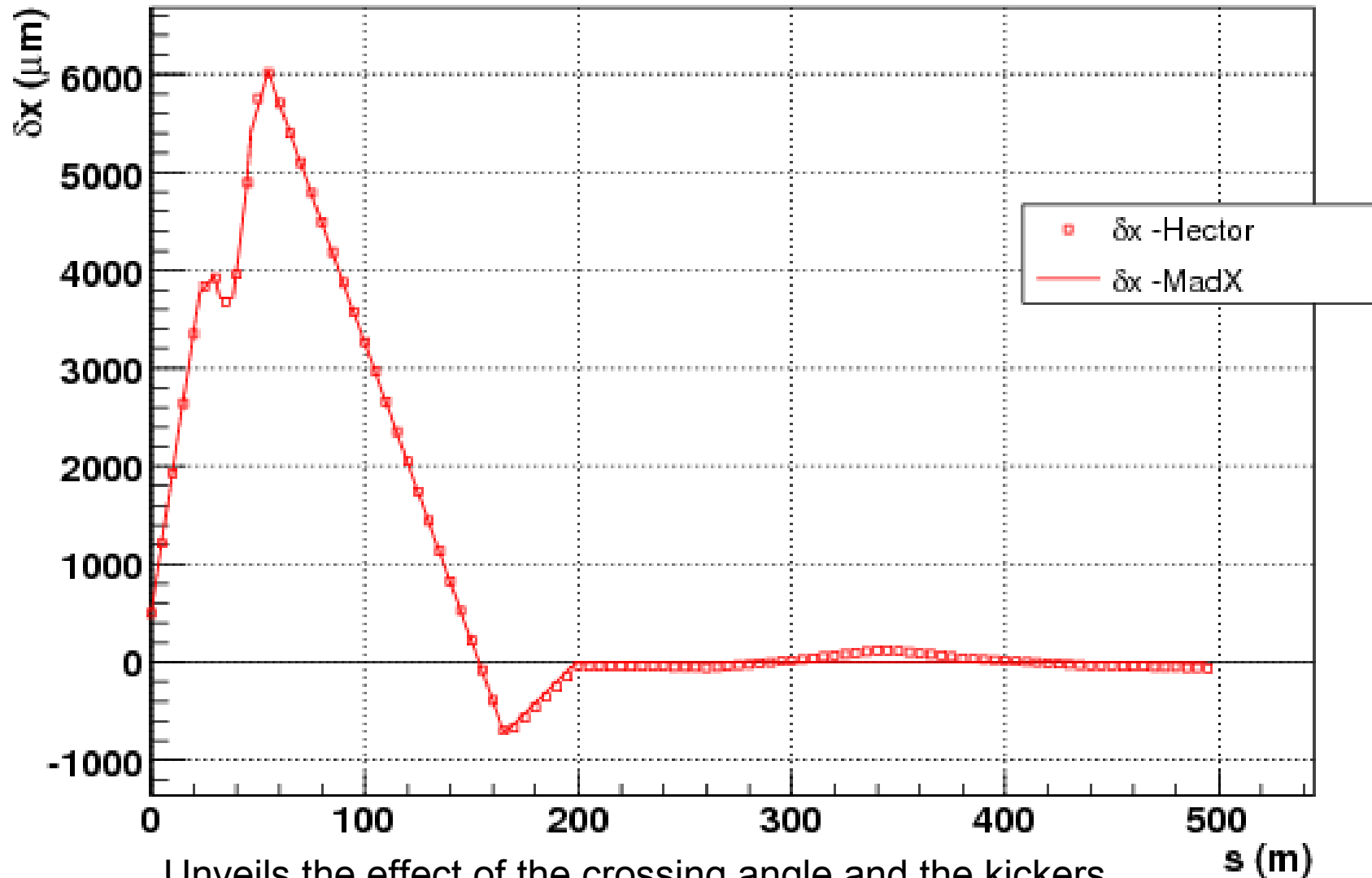


Tests whether the particles hit the physical border of the vacuum tube

β functions - beam 1, forward

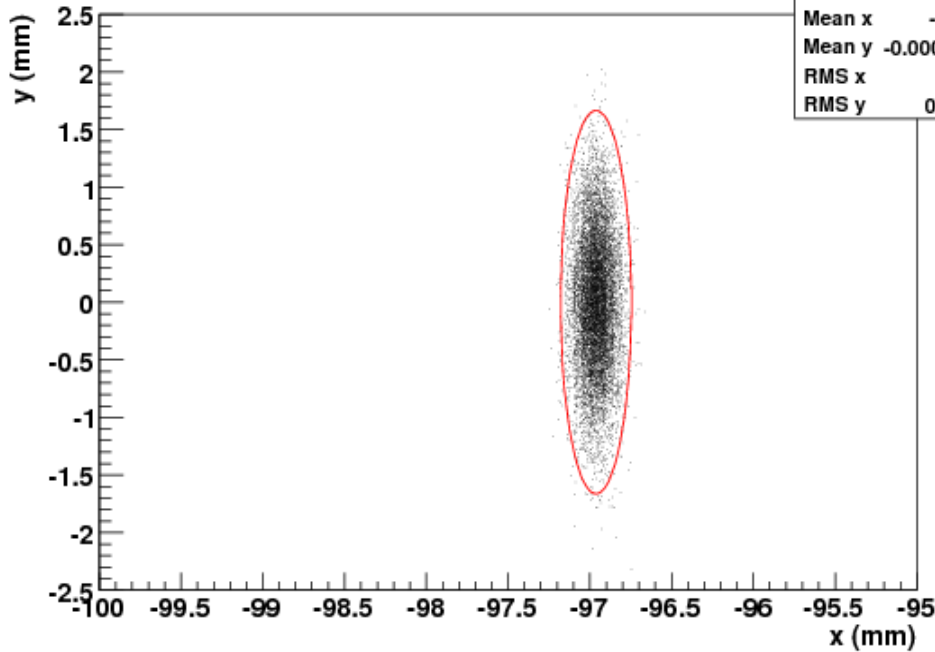


Relative position to ideal path - beam 1, forward

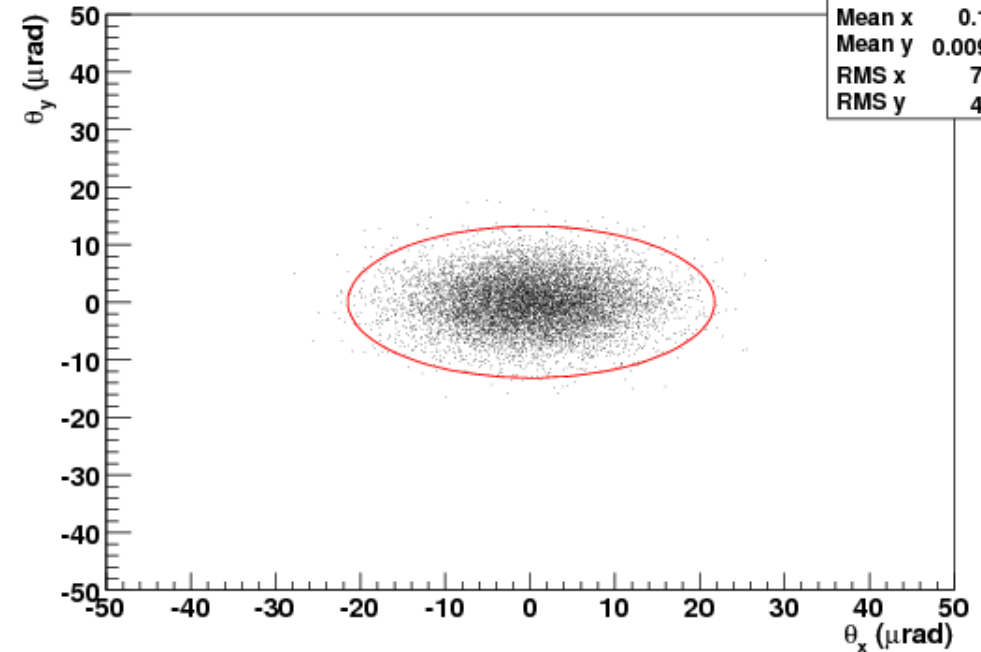


Unveils the effect of the crossing angle and the kickers

Beam 1 profile at 220m



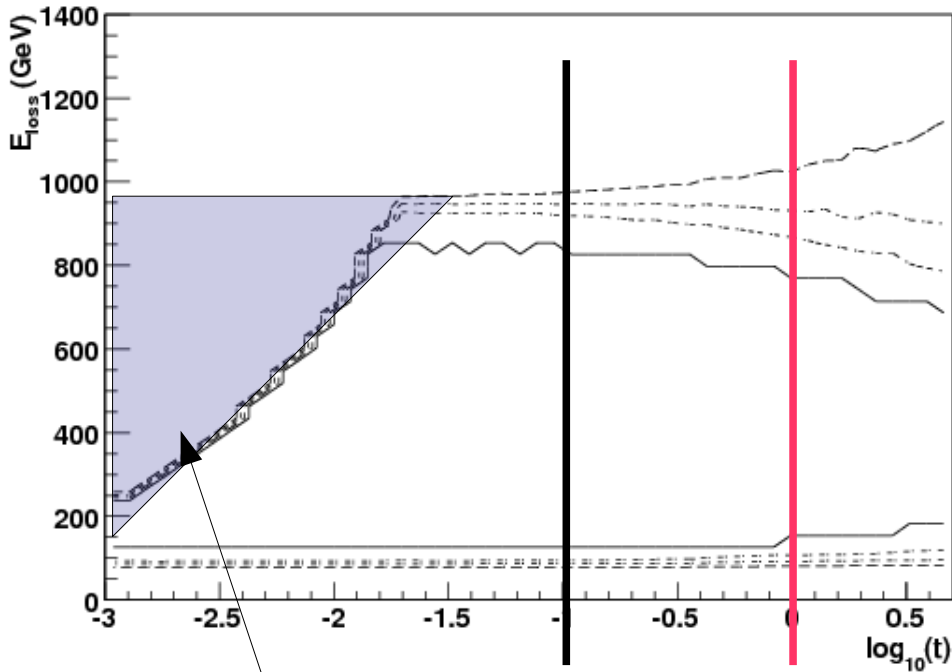
Beam 1 profile at 220m



- Just take some protons, from LHC beam 1
- Propagate them to your favourite Roman pot detector
- Plot the x, y, x', y' in the transverse plane

RP acceptances (220m) :

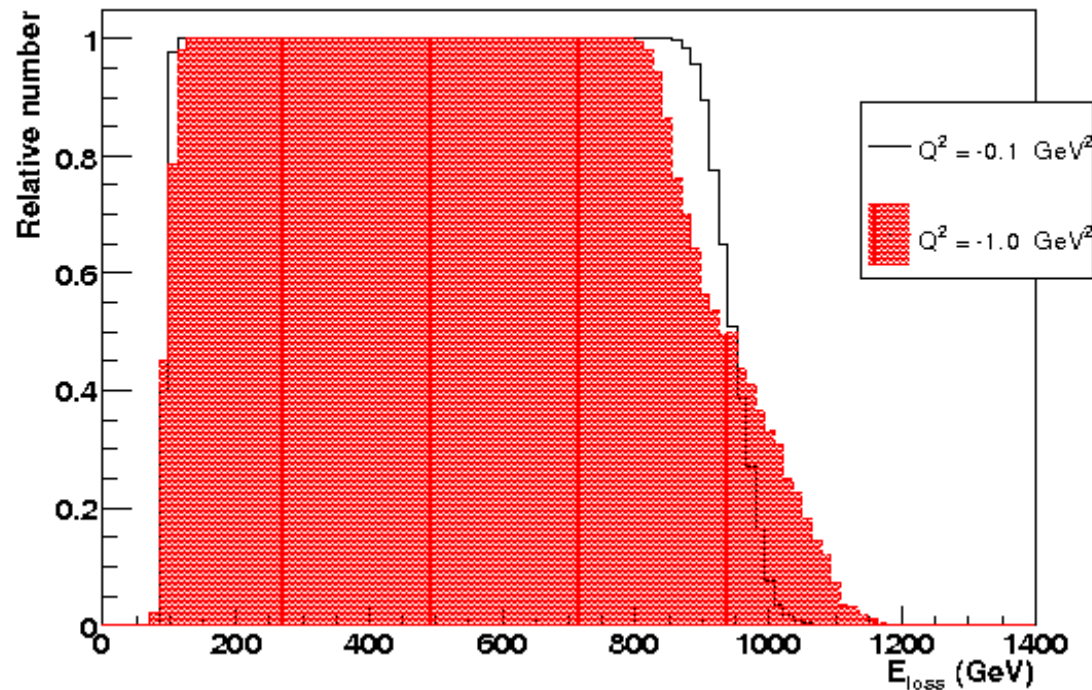
Acceptance of roman pots at 220m (2000 μm) for beam 1



Forbidden by kinematics

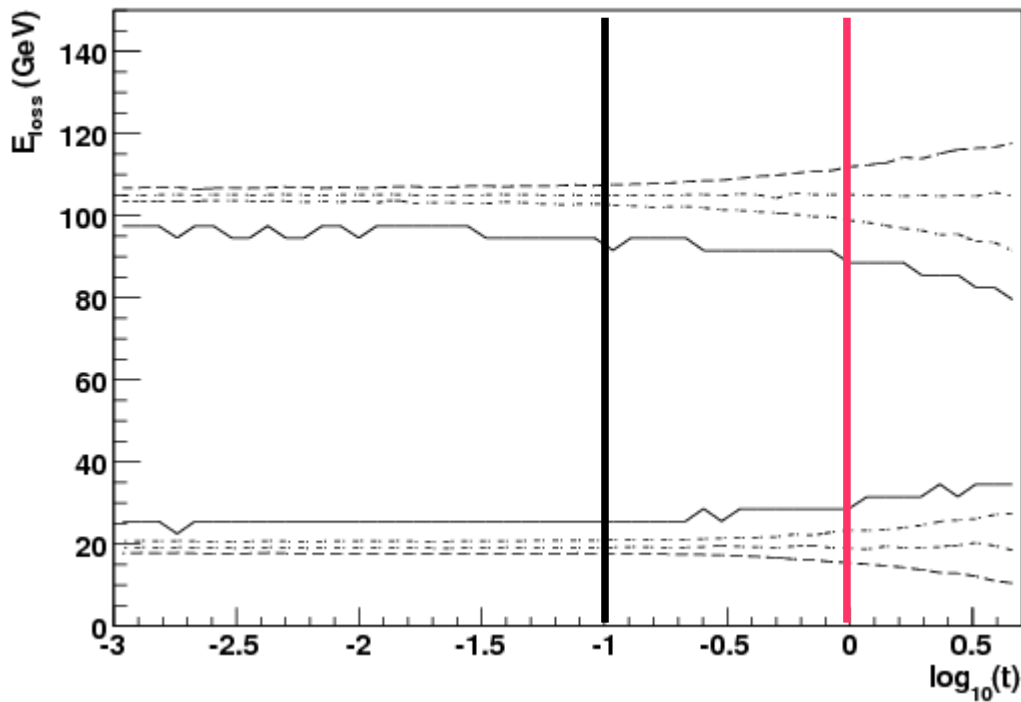
Which protons are detected ?

Acceptance of roman pots at 220m (2000 μm) for beam 1

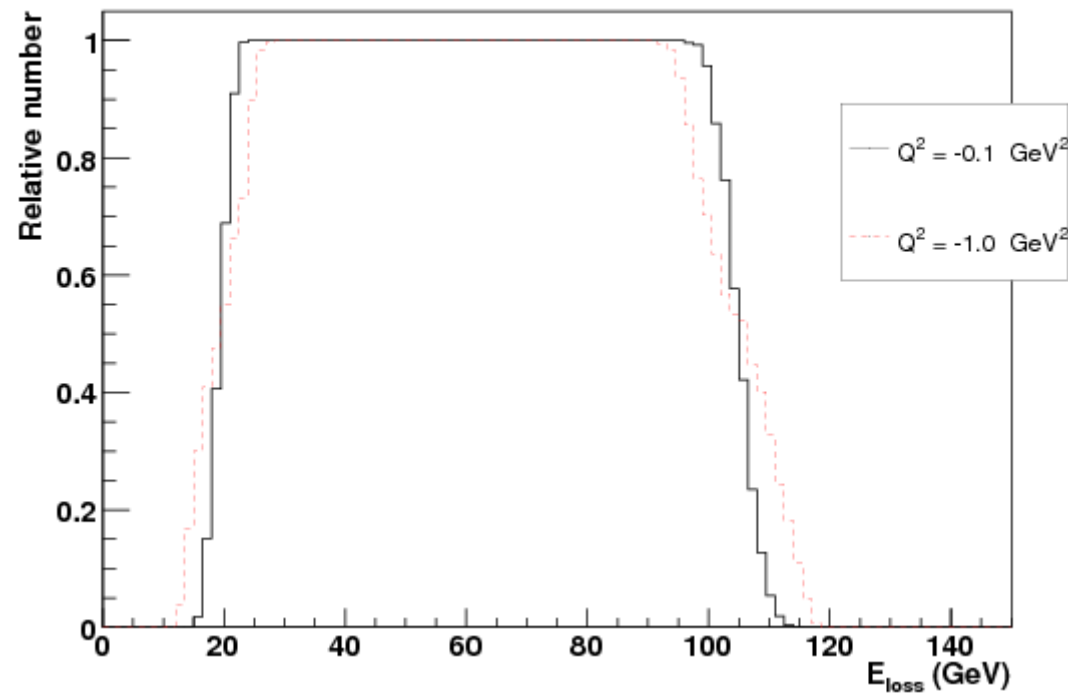


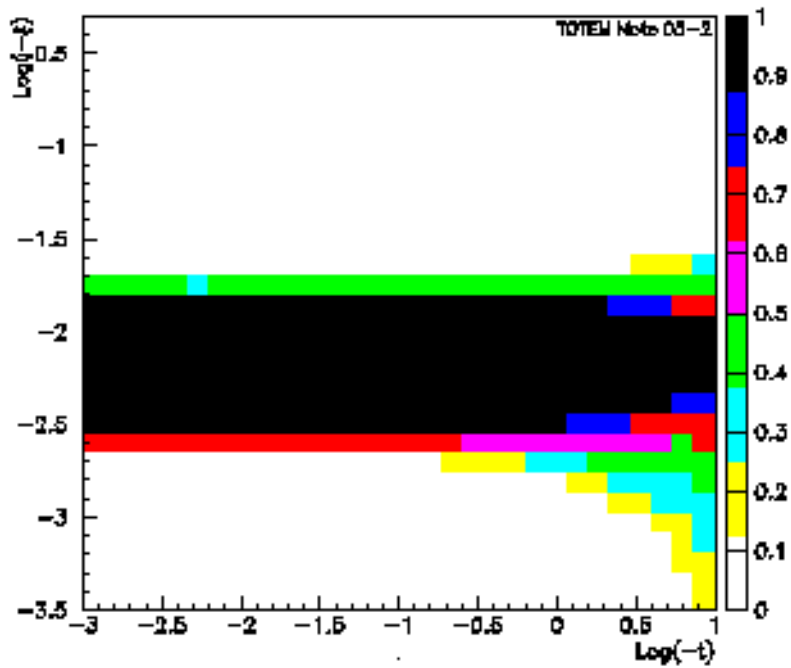
RP acceptances (420m)

Acceptance of roman pots at 420m (4000 μm) for beam 1



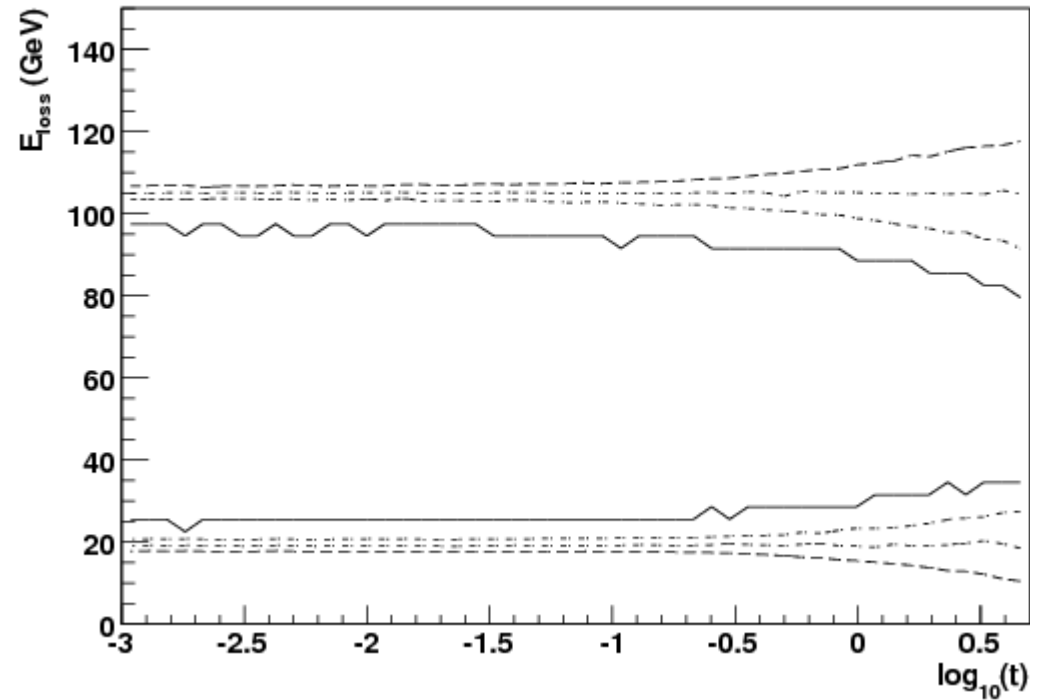
Acceptance of roman pots at 420m (4000 μm) for beam 1





MAD-X (from TOTEM Note 05-2)

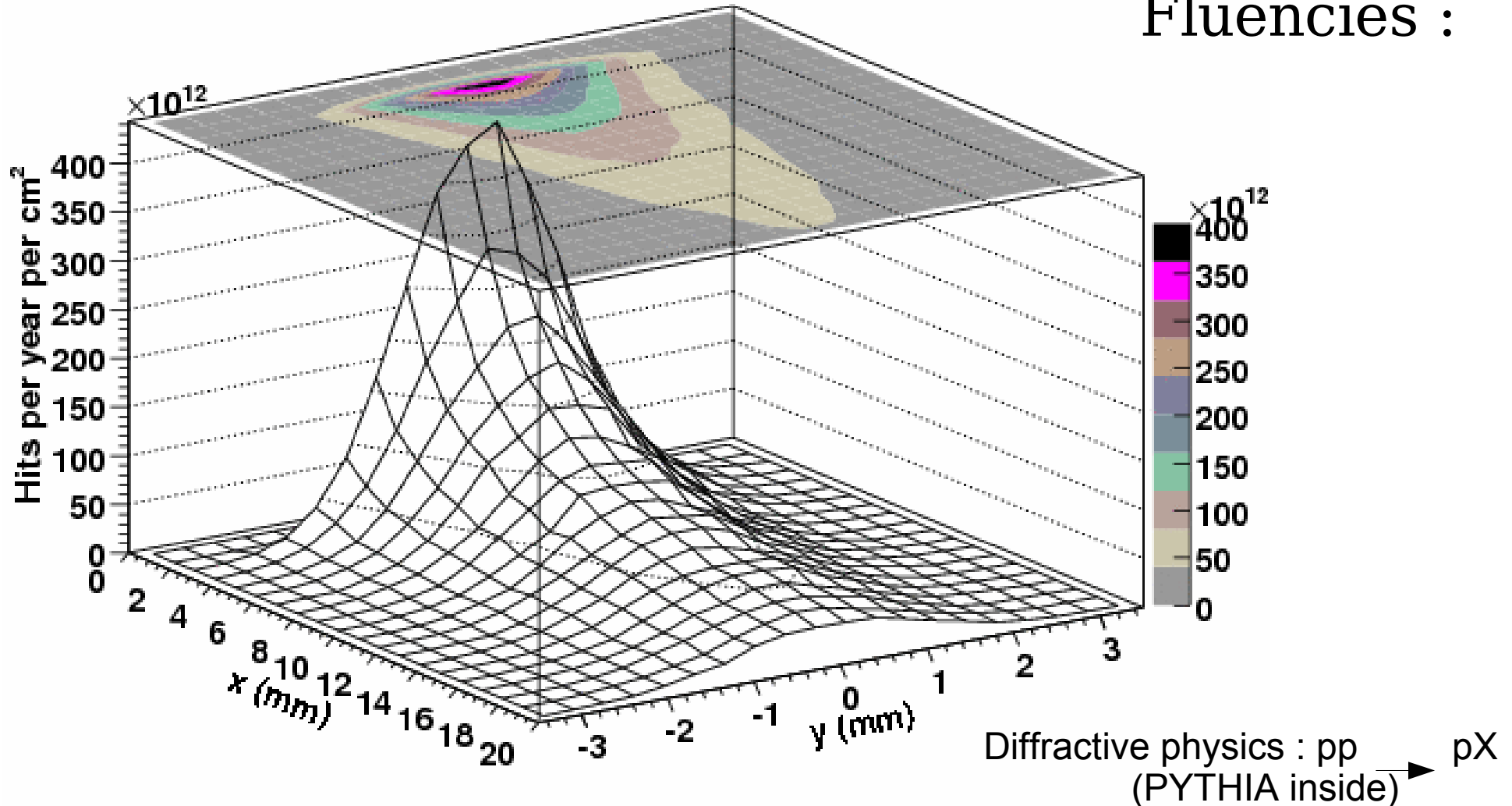
Acceptance of roman pots at 420m (4000 μm) for beam 1



Hector (from my hard disk)

Hits in the roman pots at 220m ($L=2 \times 10^6 \text{ mb}^{-1} \text{ s}^{-1}$)

Fluencies :

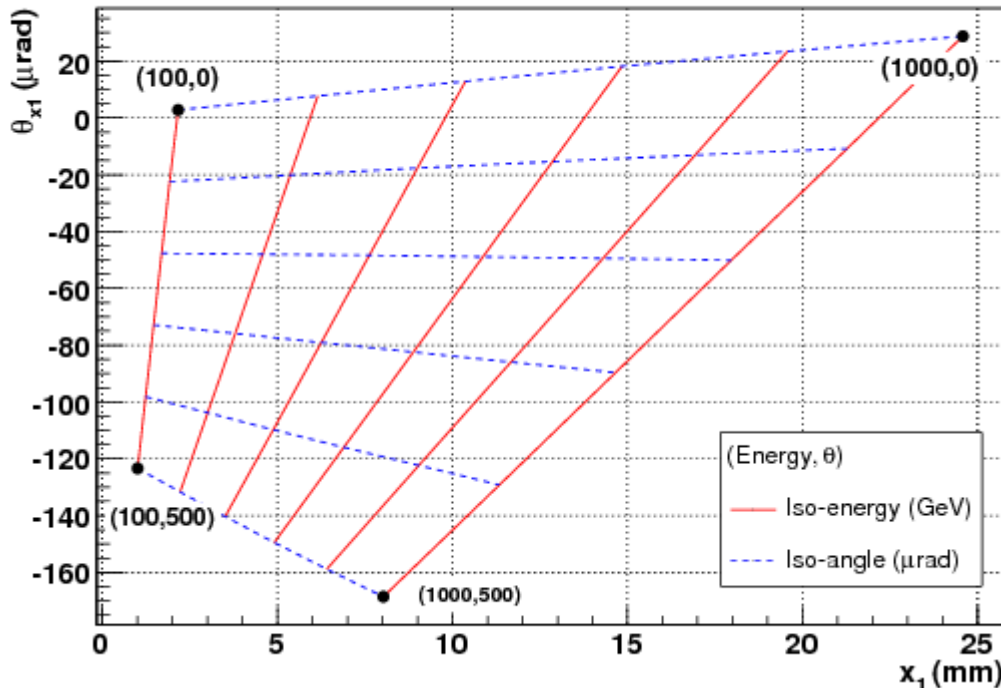


Chromaticity grid :

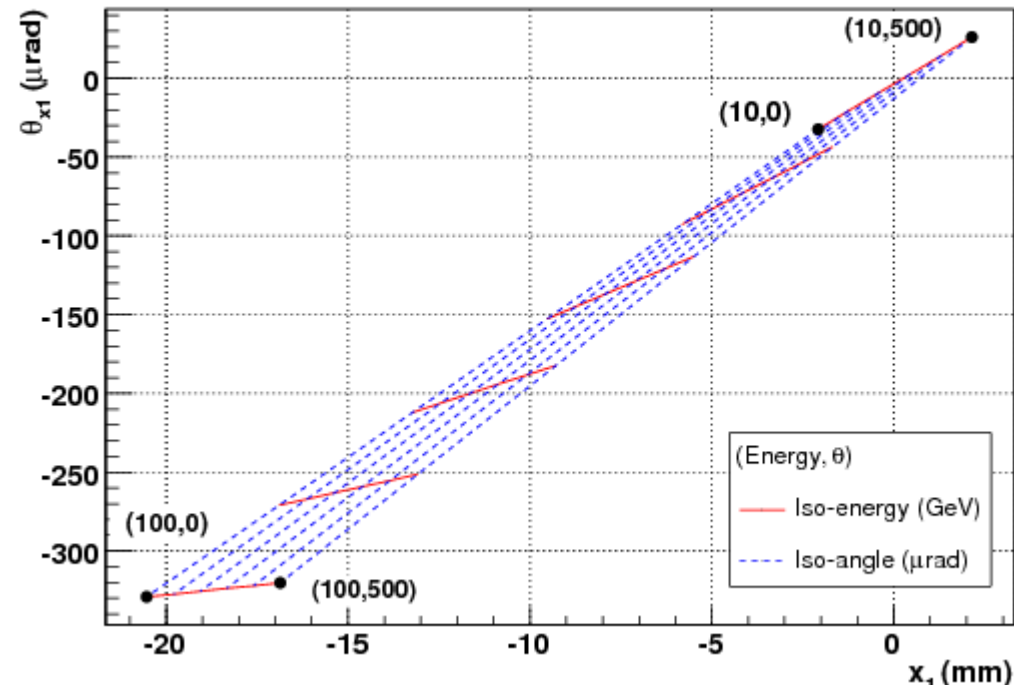
where is your proton given its energy/angle ?

- Choose a proton, with a given energy loss and initial angle
- Propagate it to your 2 roman pots.
- Measure x, x'

Chromaticity grid (RP1 at 220m, RP2 at 224m)



Chromaticity grid (RP1 at 420m, RP2 at 428m)



[100 ; 1000] GeV ←

Remember the acceptances !

→ [10 ; 100] GeV

By linearity :

$$x_s = a_s x_0 + b_s x'_0 + d_s E$$

$$x'_s = \alpha_s x_0 + \beta_s x'_0 + \gamma_s E$$

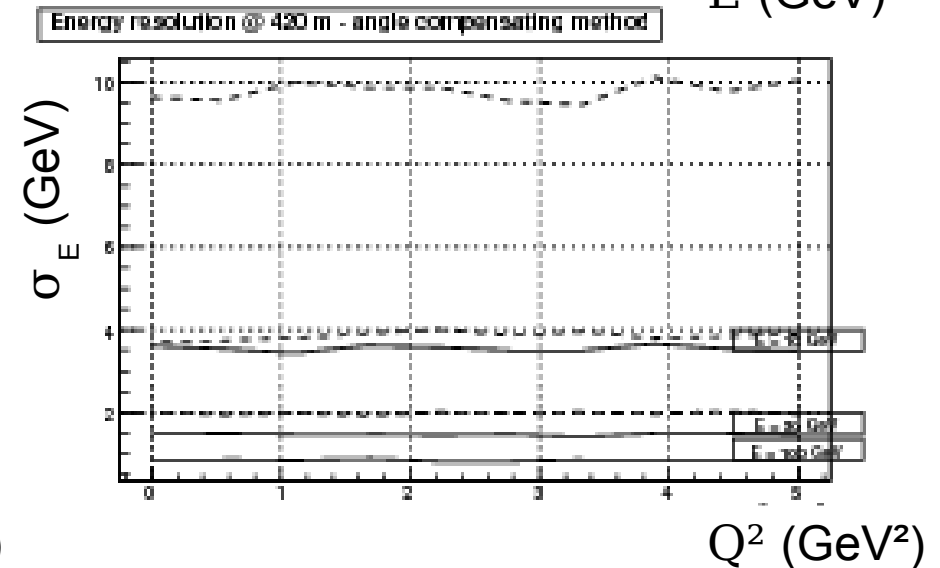
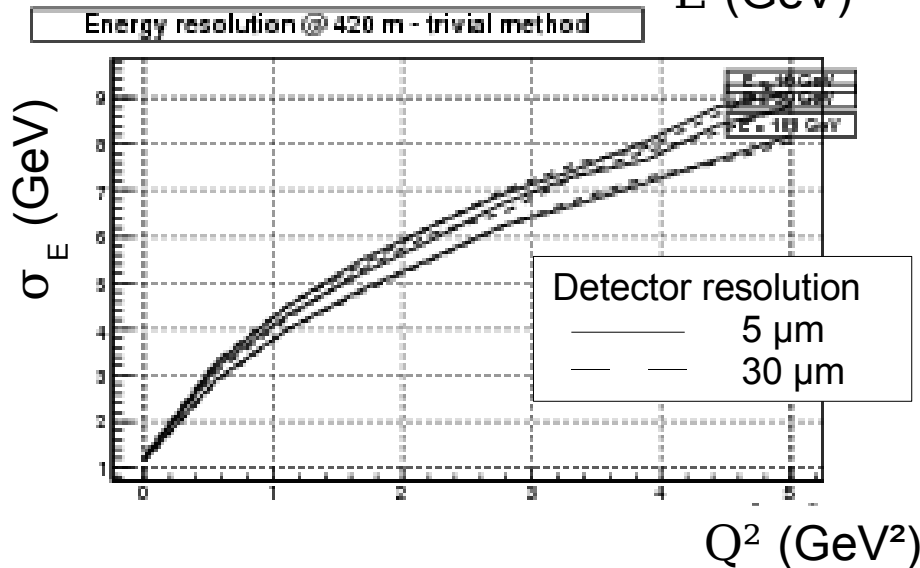
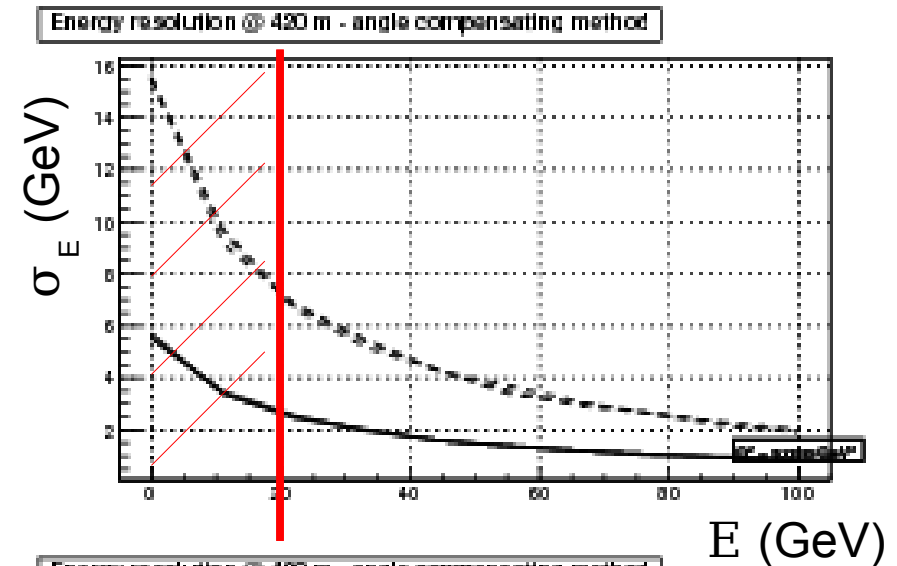
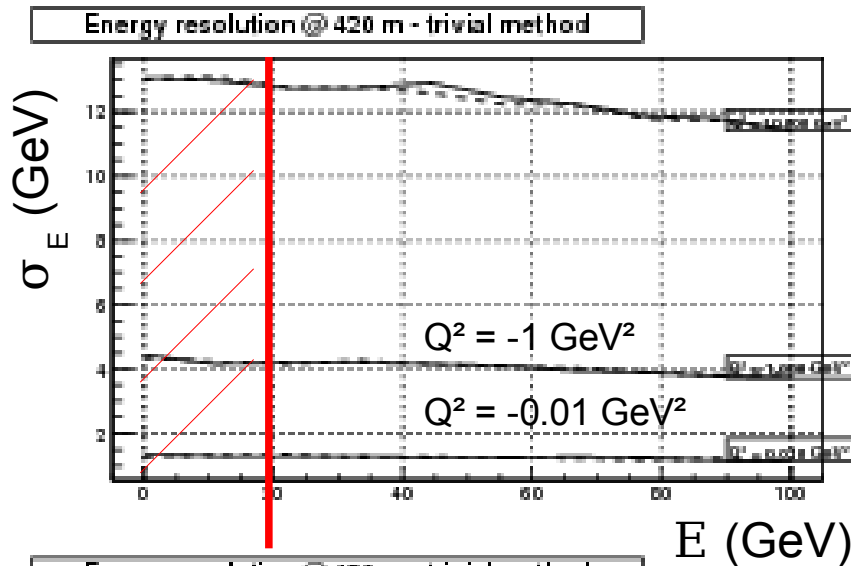
We should solve for x_0 , x'_0 , E (with only 2 equations)

As physics won't change x_0 , we choose to neglect a_s and α_s . This method leads to :

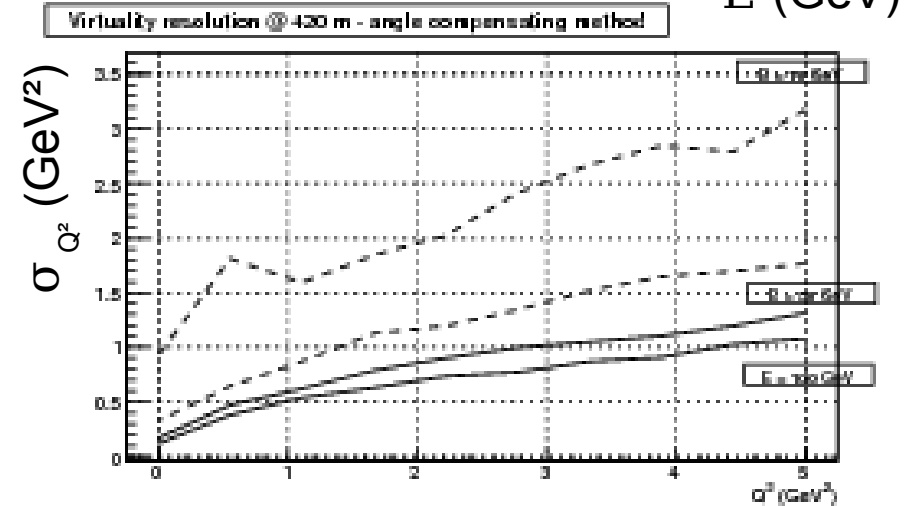
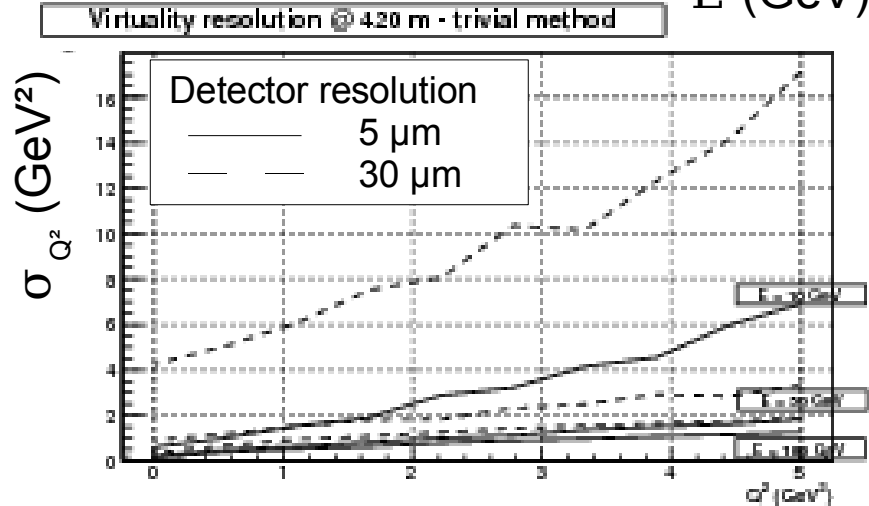
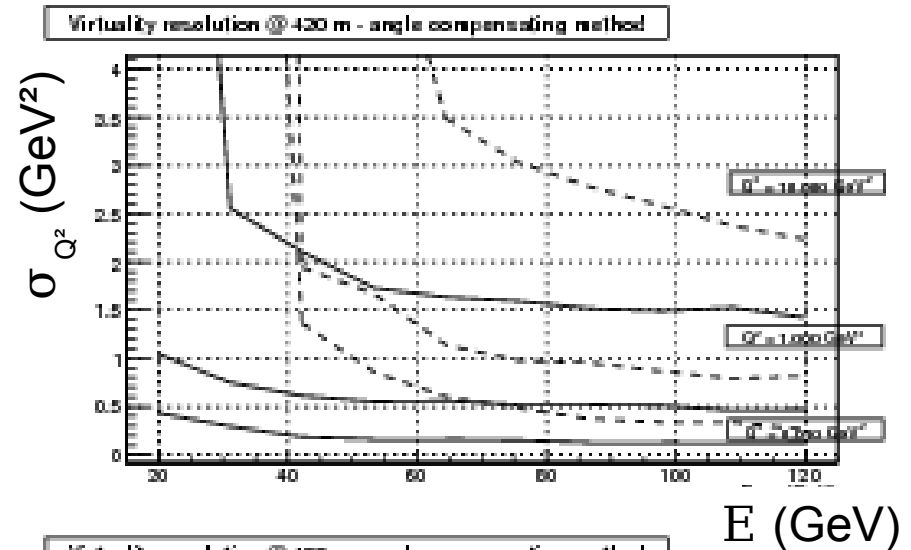
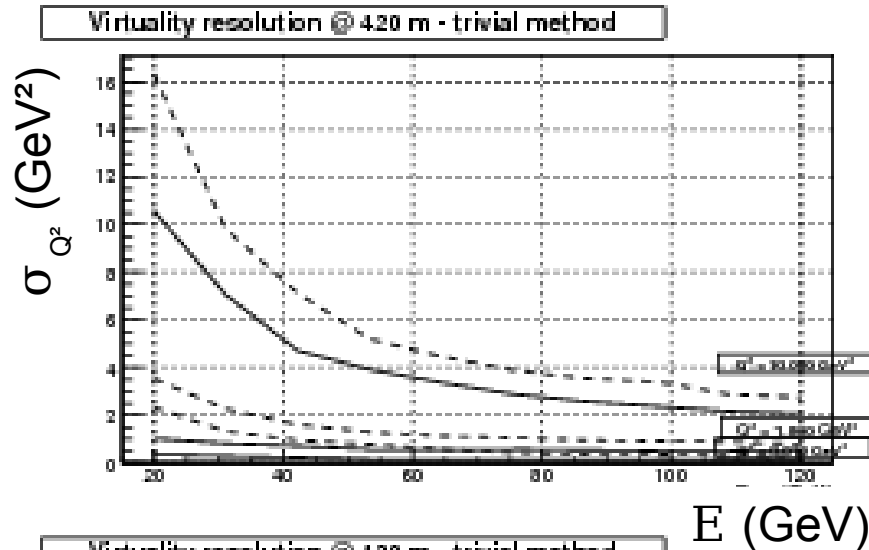
$$E = \frac{b_2 x_1 - b_1 x_2}{b_2 d_1 - b_1 d_2} \quad \text{Angle compensation method}$$

where b_1 and b_2 are the b parameters for the two detectors.

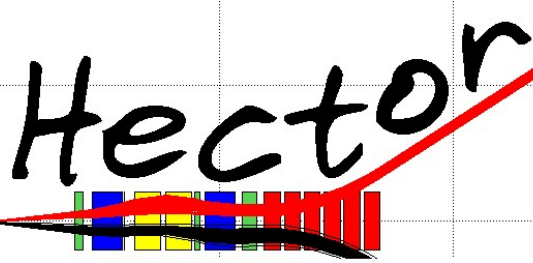
Reconstructed variables : energy loss (σ_E vs Q^2 and E)



Reconstructed variables : Q^2



Hector

The logo for Hector features the word "Hector" in a black, handwritten-style font. Below the text is a horizontal bar composed of several vertical rectangular segments in various colors (red, yellow, blue, green). A red line starts from the top left of the bar, curves upwards and to the right, then continues as a straight horizontal line across the top of the slide.

Work-in-progress



Recent achievements :

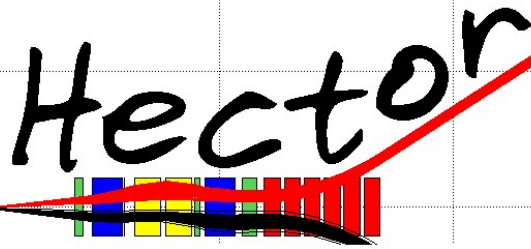
- Non-proton particles propagation (mass, charge)
- Misalignment of magnets effect

In progress :

- Integration into FAMOS
- Integration into CMSSW

by some friends from Protvino.

Hector

The logo for Hector features the word "Hector" in a black, handwritten-style font. Below the text is a horizontal bar composed of several vertical rectangular segments in various colors (green, blue, yellow, red). A red line starts from the top of the "Hector" text and extends diagonally upwards and to the right, then continues horizontally across the top of the slide.

Material :



Official website :

<http://www.fynu.ucl.ac.be/hector.html>

You will find there :

- Hector sources (stable or CVS)
- User Manual (kindly tested by TH-oriented CP3 members)
- Code documentation (Doxygen)
- Link to official forum
- Useful links
- Soon : note draft