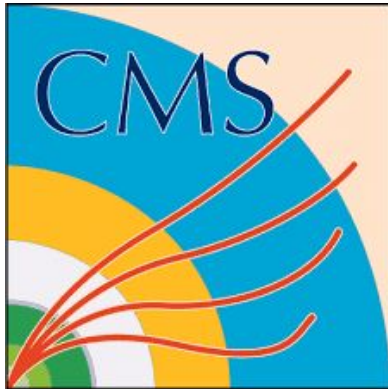
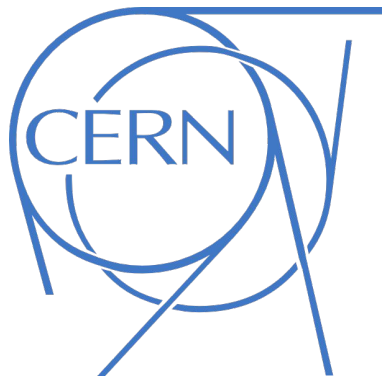


Challenges and first results venturing into uncharted territory with forward proton tags



P. Ferreira da Silva (CERN)

CP3 Seminar

Tuesday, 18th October 2022

Outlook

The Large Photon Collider

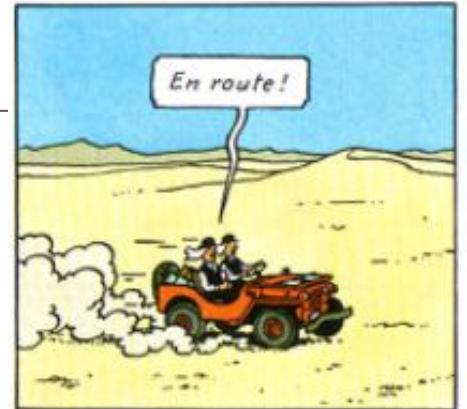
The CMS-Totem Precision Spectrometer

Venturing into uncharted territory with CT-PPS

Other recent results and next chapters

Summary

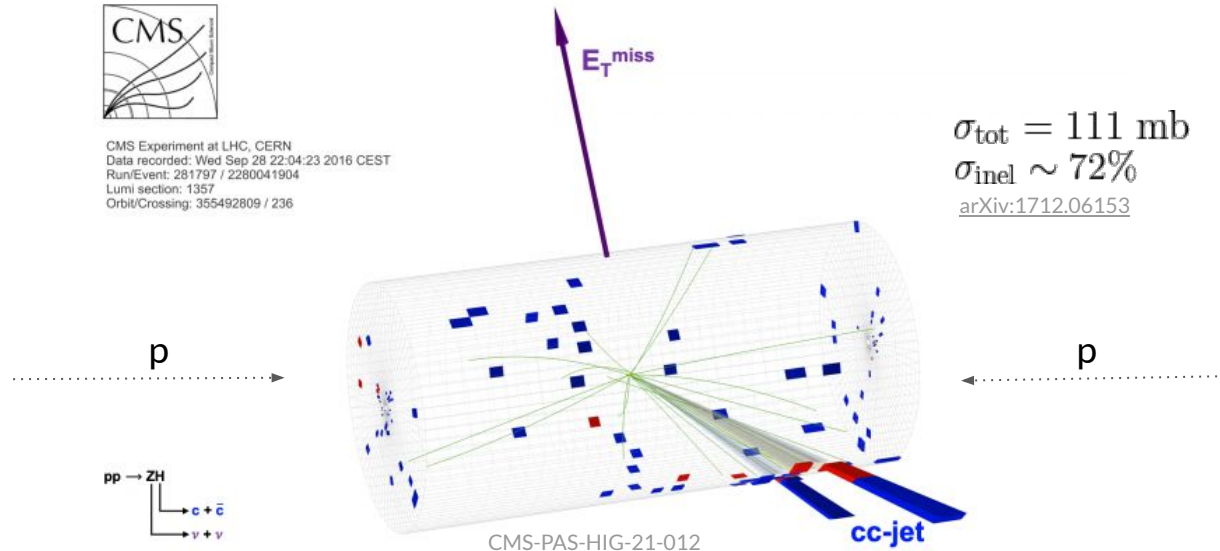
A large photon collider



Large Hadron Collider

It is a discovery machine colliding protons or heavy ions

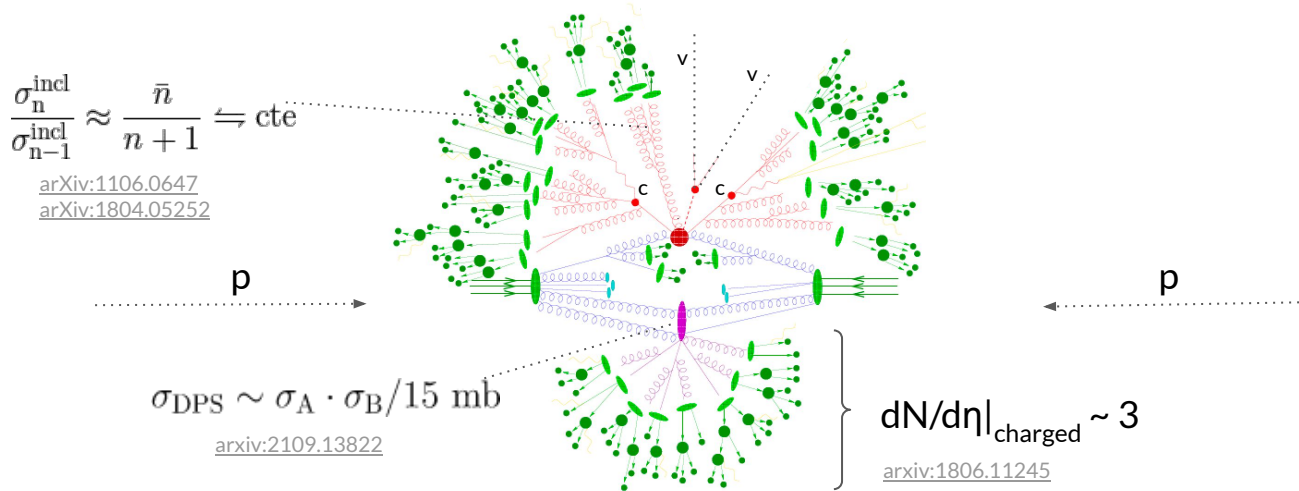
- in each inelastic collision the constituents, carrying a fraction of the beam momentum, interact
- large phase covered for the momentum transfer (Q^2)
- interesting physics ranging “from the charm quark to the BEH boson” and beyond
- new states of matter, possibly new fields



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- in each inelastic collision the constituents, carrying a fraction of the beam momentum, interact
- large phase covered for the momentum transfer (Q^2)
- interesting physics ranging “from the charm quark to the BEH boson”
- new states of matter, possibly new fields
- but also proton remnants, multi-parton interactions, initial/final state radiation...



Energy and intensity at the LHC

The LHC maximizes the discovery potential by

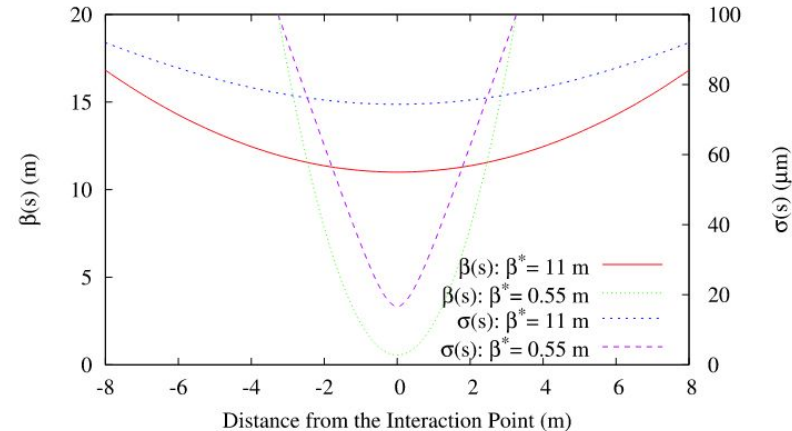
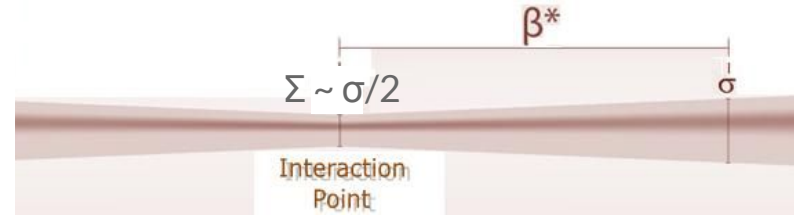
- pushing the energy frontier every new run: 7 - 13.6 TeV
- pushing the intensity/luminosity (\mathcal{L}) frontier

Higher luminosity involves typically

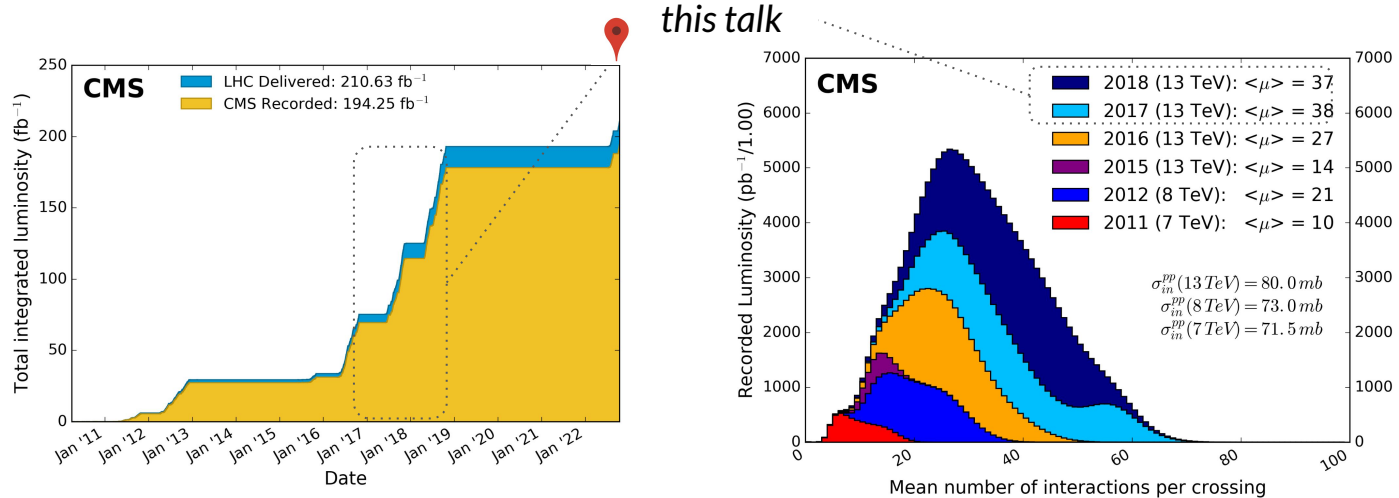
- increasing the number of bunches in the machine (N)
- increasing the separation factor
- increasing the geometric factor ($\sim \sigma_x / \Sigma_x$) keeping the beams as squeezed as possible (small σ)

The amplitude function (β) and the crossing angle (α) are two relevant parameters steering the size at the IP

$$\Sigma_x^2 = \frac{2\epsilon}{\beta^*} \cos^2(\alpha/2) + 2\sigma_z^2 \sin^2(\alpha/2)$$



Large pileup collider



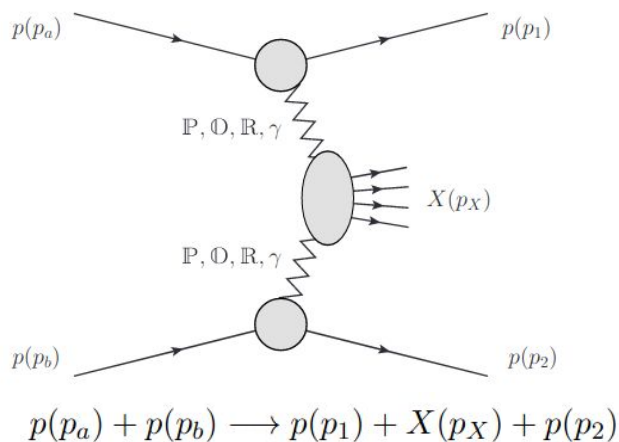
Most of LHC Run 2 data was taken at $s^{1/2}=13$ TeV with an average pileup of 38 pp collisions

- excellent performance of the machine and the detectors (CMS had >92% data taking efficiency)
- several new techniques developed to cope with pileup: [CMS DPS 2015-016, arXiv:2003.00503](#)
 - multi-bunch pulse fits in calorimeters
 - tracker-driven association of the charged particles: applied to jets (CHS), lepton isolation ($\delta\beta$)
 - luminosity-driven probabilistic interpretation of the particle fluxes (PUPPI)
 - multivariate classifiers (PU jet id, deep jet) and regressors, and jet substructure techniques

Singling out photon (and gluon) collisions at the LHC

In rare occasions (typically < 100 fb) a peculiar effect happens:
the electrically charged beams stay intact and exchange a QCD color singlet

- at lower masses, $< \mathcal{O}(200 \text{ GeV})$, QCD color singlets dominate ($|P$, pomerons)
- at higher masses, $> \mathcal{O}(200 \text{ GeV})$, QED dominates (γ , photons)



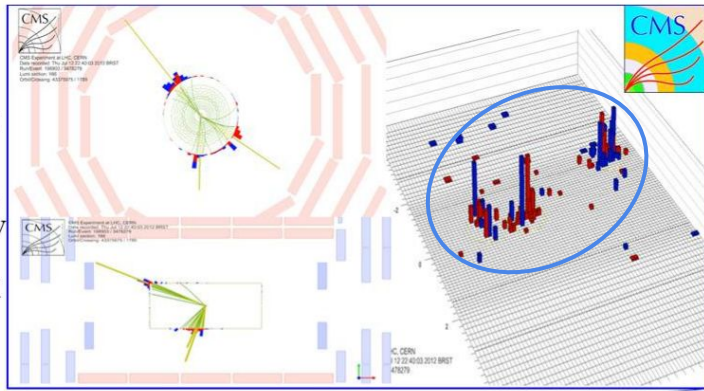
The central state X

- production “filtered for” $J_z^{\text{PC}} = 0^{++}$
- is accompanied by two large rapidity gaps (i.e. additional QCD emissions are suppressed)

Full event reconstruction in central exclusive events

If the energy loss of the protons is measured ($\xi = \Delta p/p$) \Rightarrow no missing degrees of freedom

CMS & TOTEM
 $\beta^* = 90$ m
 Run/Event
 198903/3478279
 $M(pp) = 219$ GeV
 $\approx M(\text{central})$
 $\xi_1 = 0.1 \quad \xi_2 = 0.01$



Central system

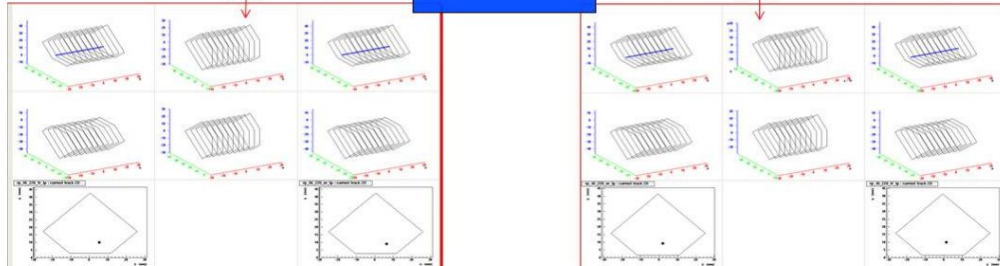
$$m_X = 2E_{\text{beam}} \sqrt{\xi_+ \xi_-}$$

$$y_X = \frac{1}{2} \log \frac{\xi_+}{\xi_-}$$

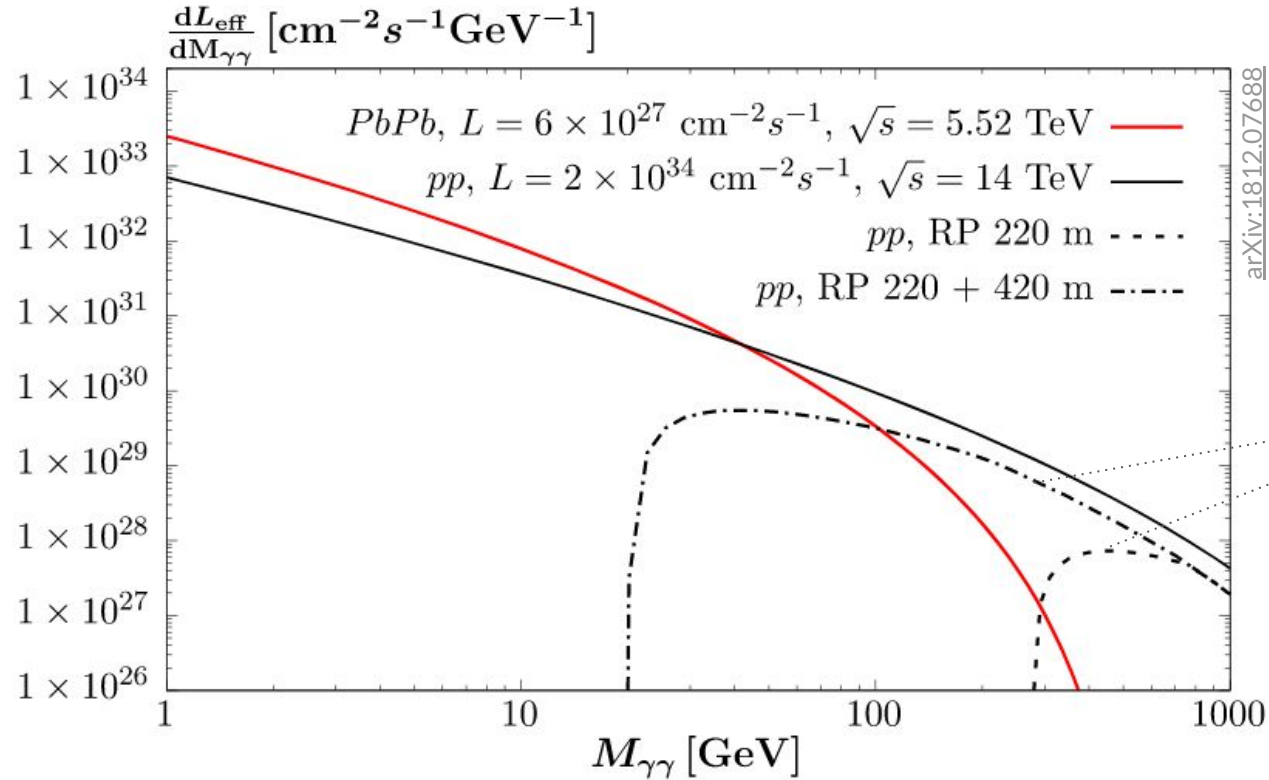
Can use forward protons to recover what the central detector missed!

Forward protons

$$\xi_{\pm} = \sum \frac{E_X \pm p_{z,X}}{2E_{\text{beam}}}$$



Effective photon-photon luminosities at the LHC



placement of the Roman Pots (RP) to measure protons will dictate final acceptance

heavy-ion preferred

proton-proton preferred

Heavy-ions and proton-proton are complementary

At the LHC each collision type covers distinct phase spaces

Beam	Heavy-ions	Proton
Advantages	Photon flux enhanced by Z^4 Clean signature of ultra-peripheral coll. (UPC) No pileup	Energy and intensity frontier LHC prime time Full reconstruction of outgoing protons with detectors housed in RP
Drawbacks	Lower $\sqrt{s_{NN}}$ Limited LHC runs (1-2 weeks) No detection of outgoing ion	Lower photon fluxes Large pileup including diffractive processes with outgoing protons
Target	<20 GeV low mass UPC processes light BSM	>200-300 GeV heavy final states heavy BSM

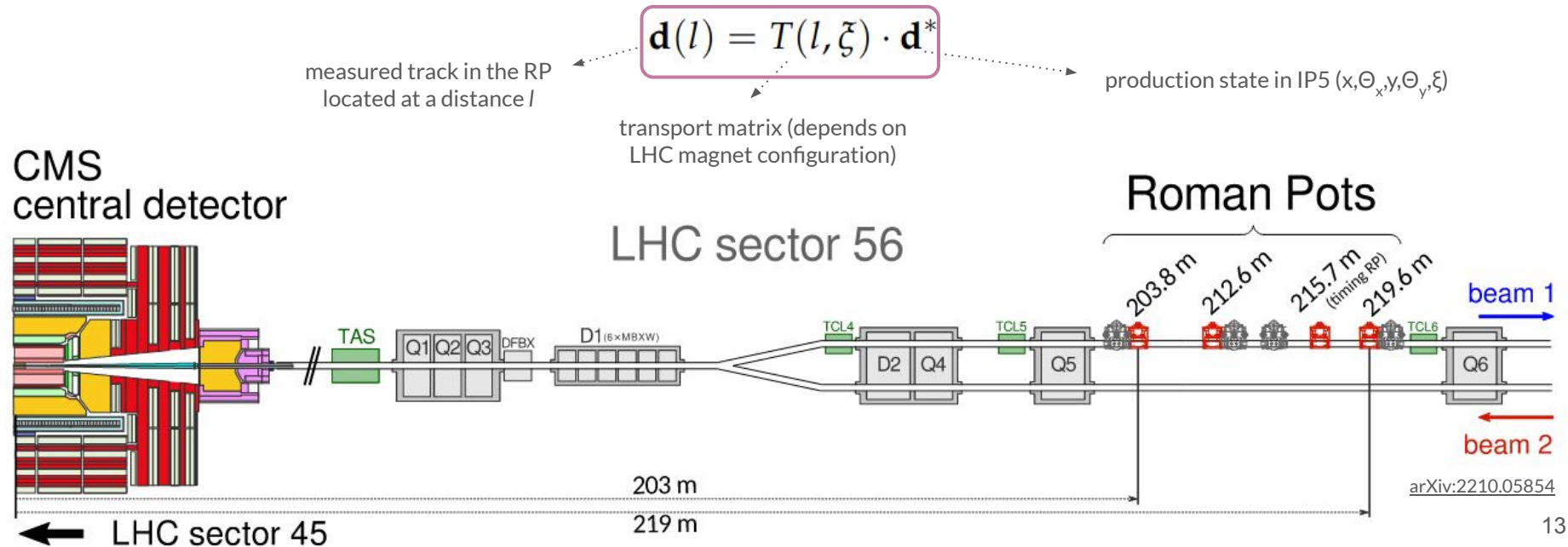
The CMS-Totem Precision Spectrometer



The experimental apparatus

CT-PPS is composed of small tracking and timing detectors inside the LHC tunnel

- ~200 m from CMS allows to detect protons scatter at small angles (rad)
- in the beam pipe the LHC magnets will bend the protons along the way
- protons reconstructed at a given position can be correlated to a fractional momentum loss (ξ)



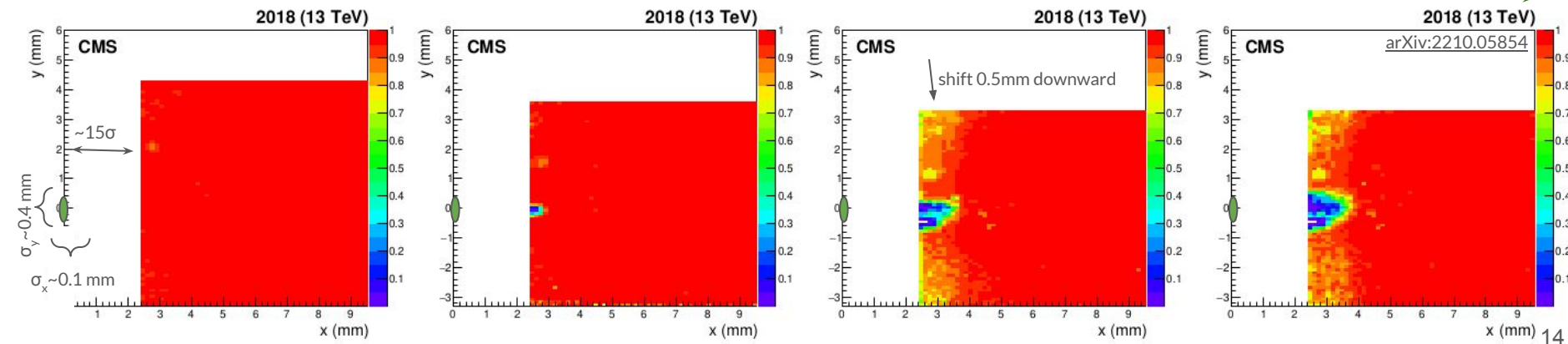
The sensors

Solid-state sensors are used: Si (pixels and strips) and diamond

- evolution from Si strip to fully equipped 3D pixel stations throughout 2016-2018
- 10 μm tracking resolution sustained with proton fluxes up to $5 \times 10^{15} \text{cm}^{-2}$ and fluences up to $10^{12} n_{\text{eq}}/\text{cm}^2$
- electronics chain similar to CMS Tracker (e.g. RPix used as in CMS Phase I pixel upgrade)

Although efficiency nears 100%, electronics affected by harsh radiation environment

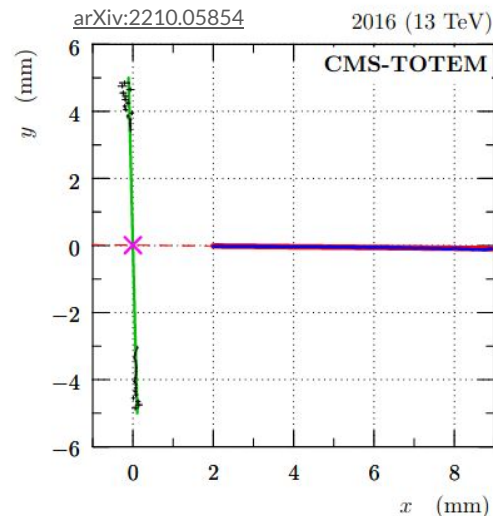
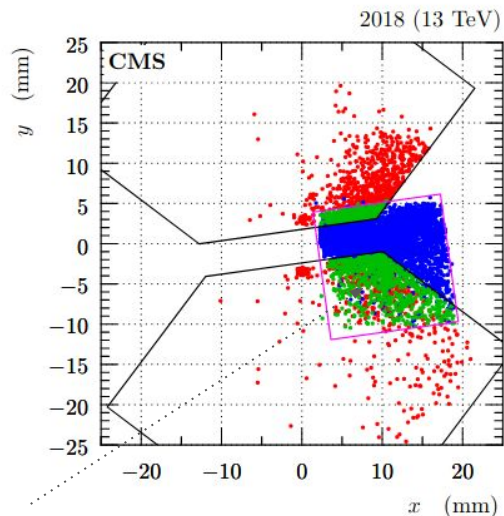
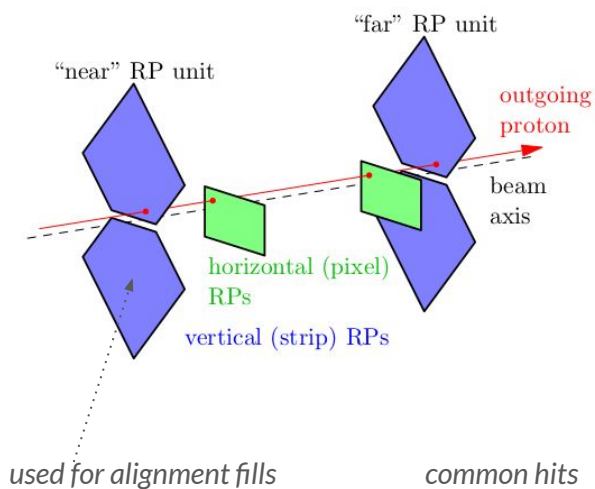
$\int \mathcal{L} dt$ 0 fb^{-1} TS 21 fb^{-1} TS 50 fb^{-1} 58 fb^{-1}



Alignment

The detectors are housed in RPs and lowered to their positions once beams are stable

- alignment of the detectors is needed using a special fill (2–3 bunches per beam)
- safer to bring sensors closer to beam ($\sim 6\sigma$) increasing the overlap
- protons from elastic scattering ($\xi=0$) are used as candle for alignment
- align with iterative track fitting starting with $\mathcal{O}(100\ \mu\text{m})$ tolerance and progressing to $\mathcal{O}(10\ \mu\text{m})$
- for physics runs, the distribution of proton tracks is matched to that of the reference run
- final absolute/relative alignment is obtained with a $\mathcal{O}(150\ \mu\text{m}) / \mathcal{O}(10\ \mu\text{m})$ uncertainty



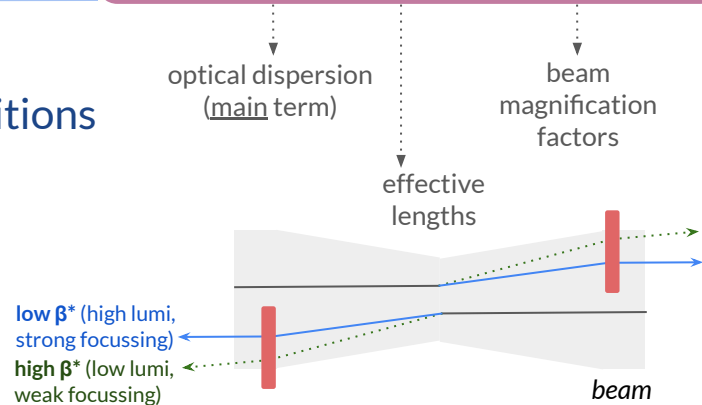
Calibration (main terms)

The transport equation can be reduced to a “few” terms

These require input from the LHC optics model and fill conditions

- LHC optics can be calculated using MAD-X

$$\begin{aligned}x &= x_0 + D_x \cdot \xi + L_x(\xi) \cdot \theta_x^* + v_x(\xi) \cdot x^* \\y &= y_0 + D_y \cdot \xi + L_y(\xi) \cdot \theta_y^* + v_y(\xi) \cdot y^*\end{aligned}$$



Calibration (main terms)

$$x = x_0 + D_x \cdot \xi + L_x(\xi) \cdot \theta_x^* + v_x(\xi) \cdot x^*$$

$$y = y_0 + D_y \cdot \xi + L_y(\xi) \cdot \theta_y^* + v_y(\xi) \cdot y^*$$

The transport equation can be reduced to a “few” terms

These require input from the LHC optics model and fill conditions

- LHC optics can be calculated using MAD-X
- use “vanishing” $L_y(\xi \approx 4\%)$ point in min. bias collisions
- combine with measurement using semi-exclusive dilepton production

optical dispersion
(main term)

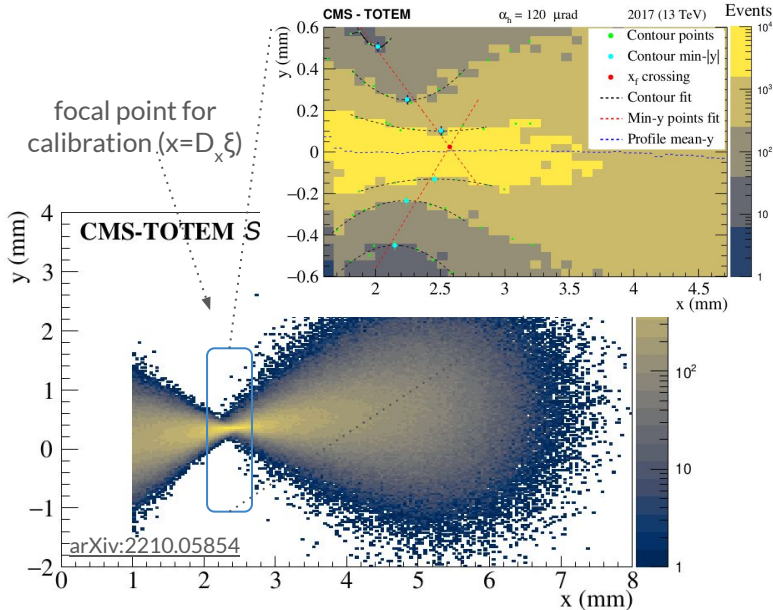
beam
magnification
factors

effective
lengths

low β^* (high lumi,
strong focussing)

high β^* (low lumi,
weak focussing)

beam



Calibration (main terms)

$$x = x_0 + D_x \cdot \xi + L_x(\xi) \cdot \theta_x^* + v_x(\xi) \cdot x^*$$

$$y = y_0 + D_y \cdot \xi + L_y(\xi) \cdot \theta_y^* + v_y(\xi) \cdot y^*$$

The transport equation can be reduced to a “few” terms

These require input from the LHC optics model and fill conditions

- LHC optics can be calculated using MAD-X
- use “vanishing” L_y ($\xi \approx 4\%$) point in elastic collisions as reference
- combine with measurement using semi-exclusive dilepton production

optical dispersion
(main term)

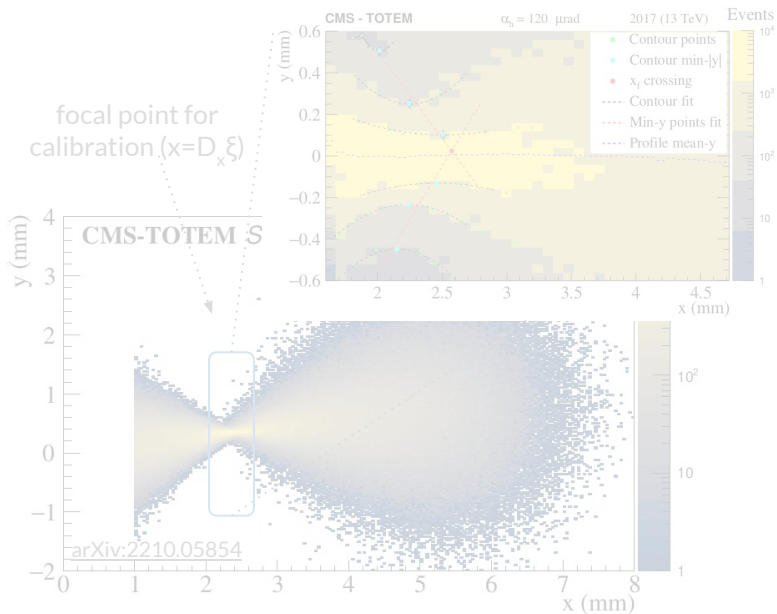
beam
magnification
factors

effective
lengths

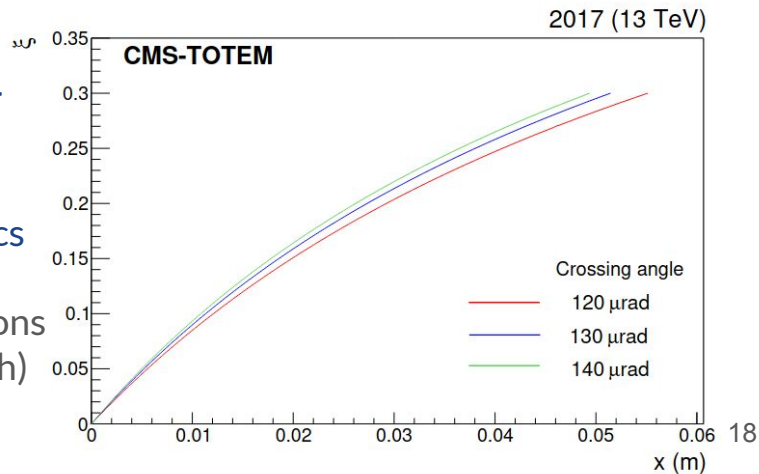
low β^* (high lumi,
strong focussing)

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beam



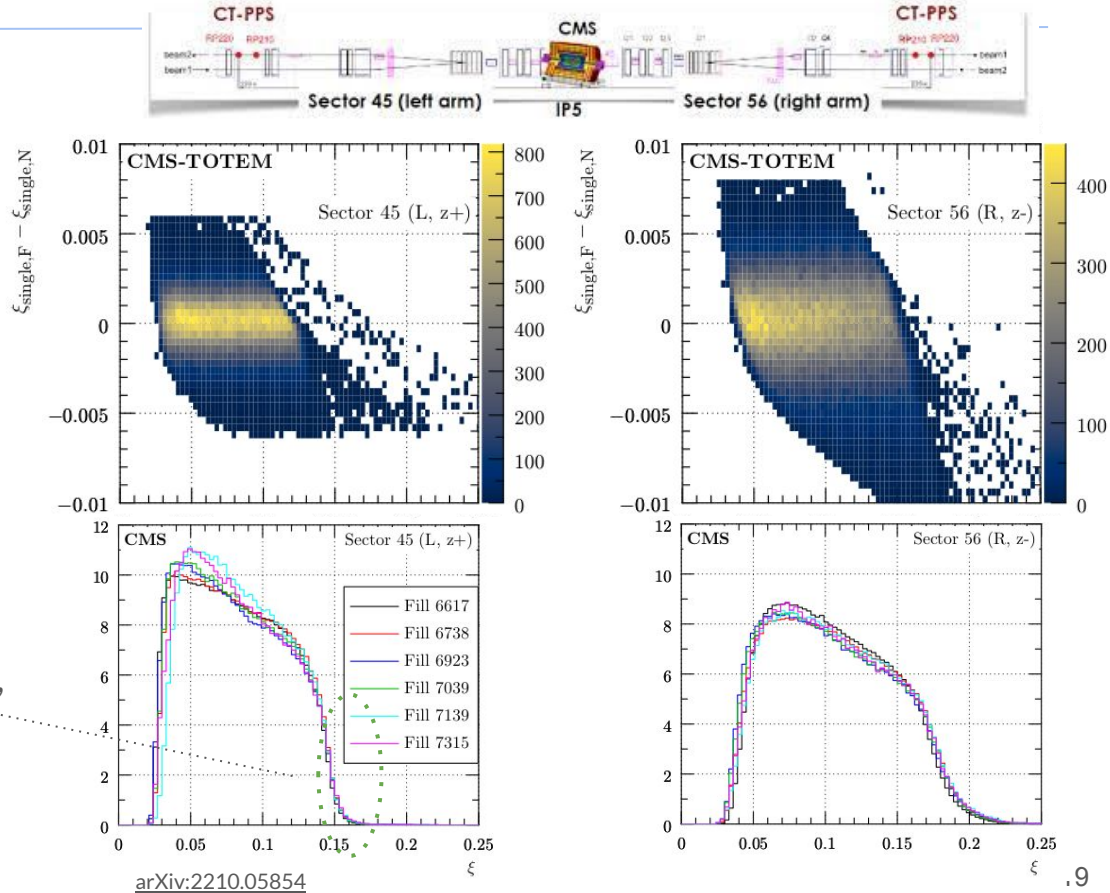
Constraint further dispersion values varying the most relevant LHC optics (crossing angle, quadrupole positions and kicker strength)



Proton reconstruction

Protons can be reconstructed from individual (single) or combining several (multi) RPs

- linear trajectory ($B=0$)
- overall unbiased and uncertainty $< 1\%$ (dominated by D_x calibration)
- multi-RP has optimal resolution $< 5\%$! (limited by detector spatial resolution)
- multi-RP larger systematics for $\xi > 0.15$ (alignment, dispersion)
- ... and reduced acceptance/efficiency from aperture constraints (collimators, beam screens, etc.)



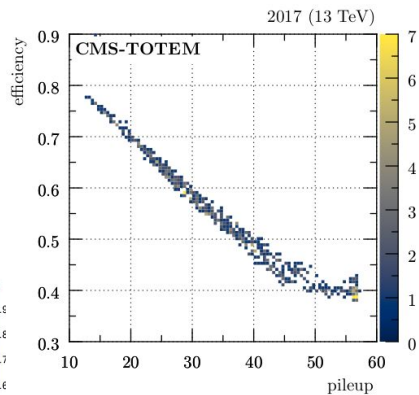
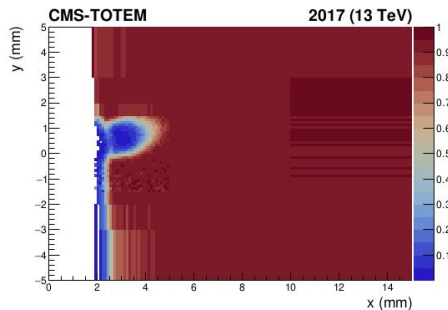
Tracking efficiency

Besides inefficiency from radiation effects (s.14) additional effects compete

- Si strips become inefficient when hit by multiple protons
- matching between near and far stations depends on overlap and straight propagation
- availability of the detectors not uniform throughout each year! often (at least) one RP missing

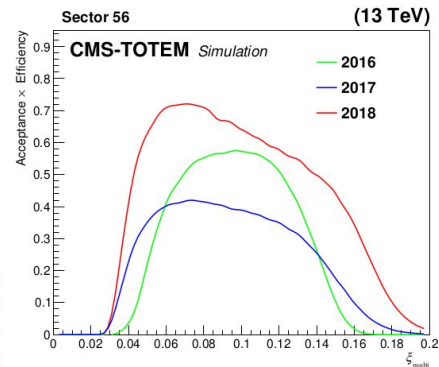
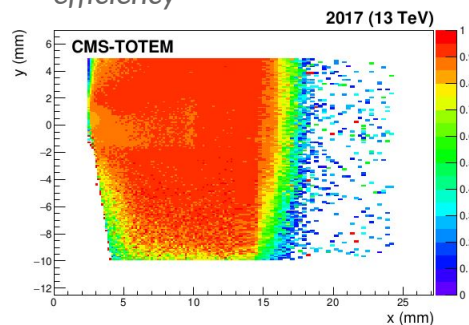
These effects depend on the data-taking period and beam conditions (mostly crossing angle)

Strip tracking efficiency



Strip multi-track inefficiency

multi-RP matching efficiency



Combined acceptance x efficiency

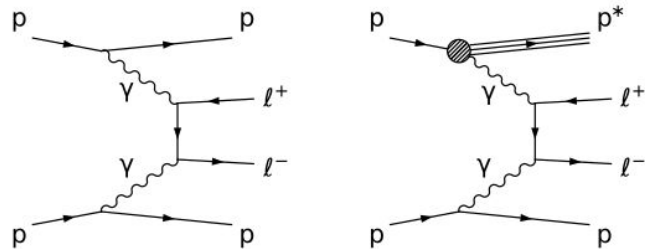
Validation with data

Exclusive di-muon production with at least one intact proton

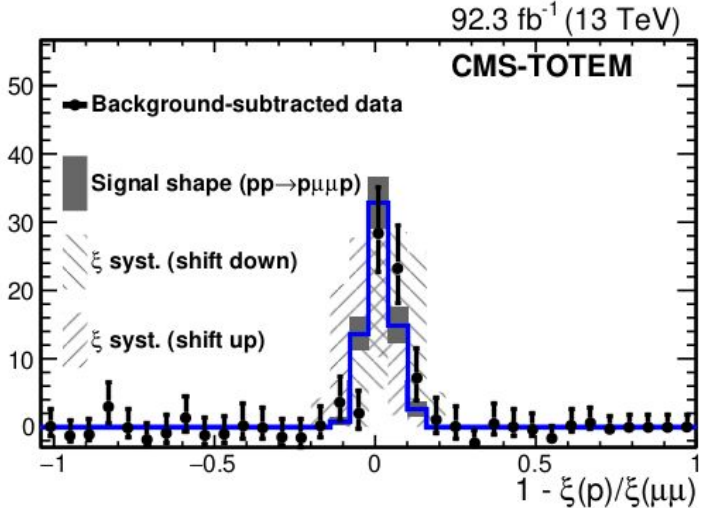
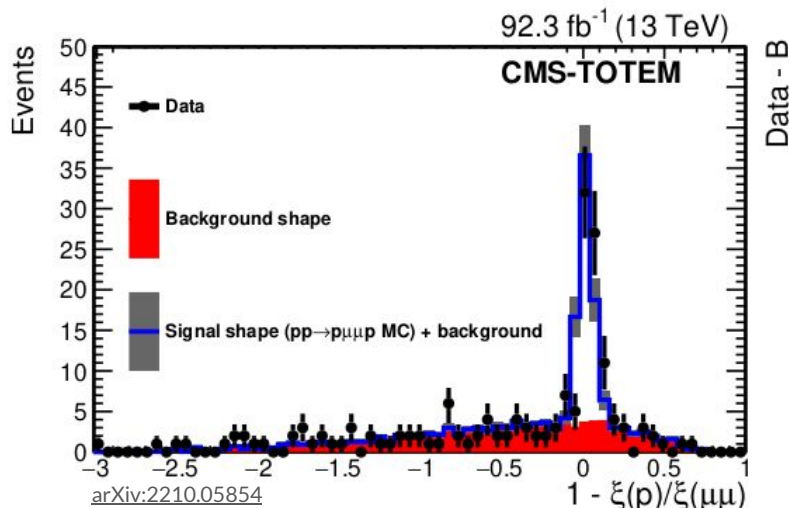
- SM candle can be used to validate proton reconstruction
- full match between $\mu^+\mu^-$ kinematics and reconstructed proton

Control confirms both bias and resolution are under-control

- here shown for multi-RP reconstruction



$$\xi(\mu^+\mu^-) = \frac{1}{\sqrt{s}} \left[p_T(\mu^+)e^{\pm\eta(\mu^+)} + p_T(\mu^-)e^{\pm\eta(\mu^-)} \right]$$



$m(\mu^+\mu^-) > 100$ GeV
 $\xi(\mu^+\mu^-) > 0.04$
 $1 - |\Delta\phi(\mu^+\mu^-)|/\pi < 0.009$

arXiv:2210.05854

Venturing into uncharted territory



A simple idea

Let's say we are looking for Z produced in association with a system X (not resolved)

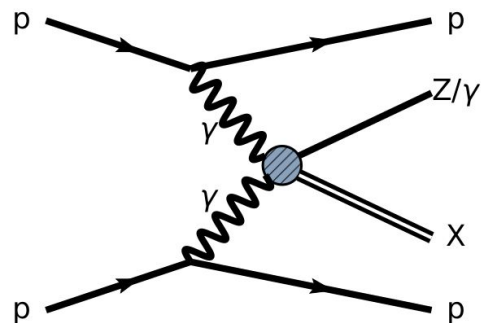
X can be another Z or a g, a DM candidate, ...

If such events can be produced from photon-photon collisions

- use Z-triggered events with two proton tags
- reconstruct the missing mass in the event (X is not necessarily specified)
- m_{miss} is a typical LEP estimator (also used in B-physics)

Although no theory model behind, the resolution of final state objects is a competitive factor to perform a bump hunt

$$m_{\text{miss}}^2 = \left[\underbrace{(P_{p_1}^{\text{in}} + P_{p_2}^{\text{in}})}_{\text{LHC}} - \underbrace{(P_V)}_{\text{CMS}} + \underbrace{(P_{p_1}^{\text{out}} + P_{p_2}^{\text{out}})}_{\text{PPS}} \right]^2$$



Modelling of a possible signal I

Without a specific MC generator experimentalists opted to perform a phase space scan

- focus on the acceptance region of the detector: $m_{ZX} = m_X + \mathcal{O}(m_Z) + \varepsilon$ where $\varepsilon \sim e^{-0.04 m_{VX}}$
- the p_Z distribution of the system is obtained using the equivalent photon approximation [Phys. Rep. 15 \(1975\), 181](#)
- ZX generated with an isotropic distribution in its rest frame (as well as the Z decay products)

The results are fairly consistent for variations of these assumptions

With a signal at hand could evaluate best sensitivity

- use multi-RP with fallback on single-RP categories if multi-RP failed
- migration between categories needed however correct emulation of the time-dependent efficiencies
- in practice there were 4 crossing angles x 2 data-taking eras simulated per mass point

There was no full simulation of the signal : folding procedure was adopted

- lepton and photon efficiencies well established in CMS
- proton fast simulation included mostly acceptance and tracking emulation

Modelling of a possible signal II

Inclusion of pileup protons and emulation of inefficiencies reliable by mixing with data

- procedure makes use of the LHC fill-/angle-dependent efficiencies discussed back in slide 18
- additional efficiency correction needed to mix correctly events with 0 observed protons (“pure 0” state) - non-negligible effect with up to 70% loss in the high pileup runs of 2017

To emulate all selection categories each signal event is projected into 12 possible states

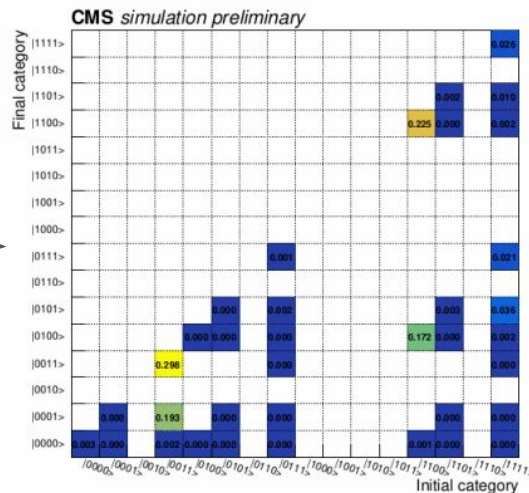
- corresponding to different reconstruction algorithms used in each of the CT-PPS arms

$$|m_- p_- m_+ p_+\rangle = |m_- p_-\rangle |m_+ p_+\rangle$$

Neg. arm pos. arm Multi? 0/1 Pixel? 0/1

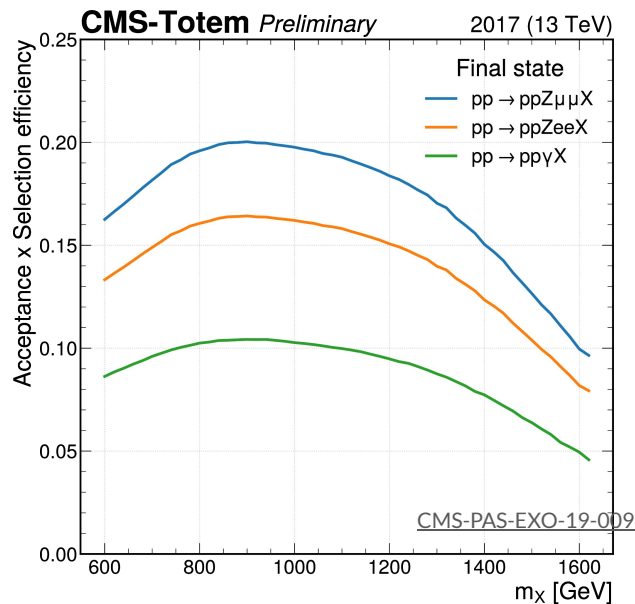
+ pileup protons

$$\begin{pmatrix} |11\rangle \\ |10\rangle \\ |01\rangle \\ |00\rangle \end{pmatrix} = \begin{pmatrix} \epsilon_m \cdot \epsilon_p & 0 & (1 - \epsilon_m) \cdot \epsilon_p & (1 - \epsilon_m) \cdot (1 - \epsilon_p) \\ 0 & 0 & 0 & 0 \\ 0 & 0 & \epsilon_p & (1 - \epsilon_p) \\ 0 & 0 & 0 & 1 \end{pmatrix} \cdot \begin{pmatrix} |11\rangle \\ |10\rangle \\ |01\rangle \\ |00\rangle \end{pmatrix}$$



Acceptance of the analysis

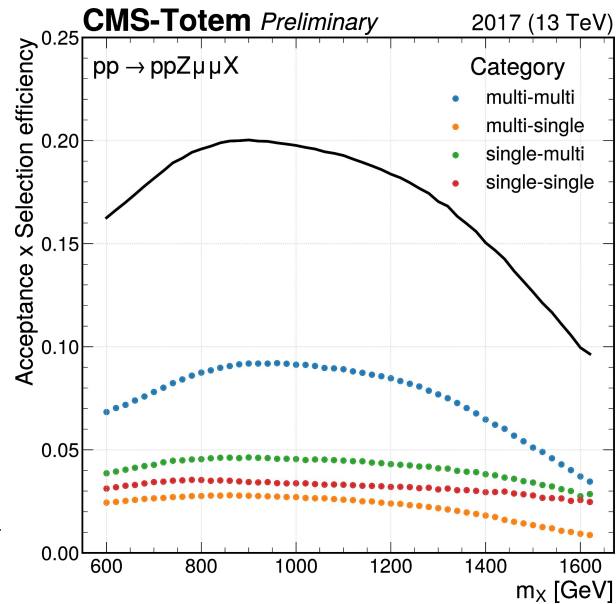
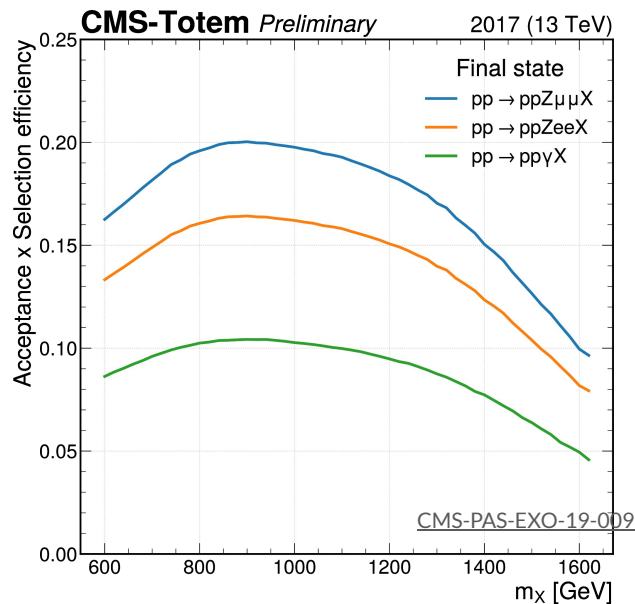
Modelling of the time dependency is crucial to estimate the Acceptance x Efficiency ($A \cdot \epsilon$)



Acceptance of the analysis

Modelling of the time dependency is crucial to estimate the Acceptance x Efficiency ($A \cdot \epsilon$)

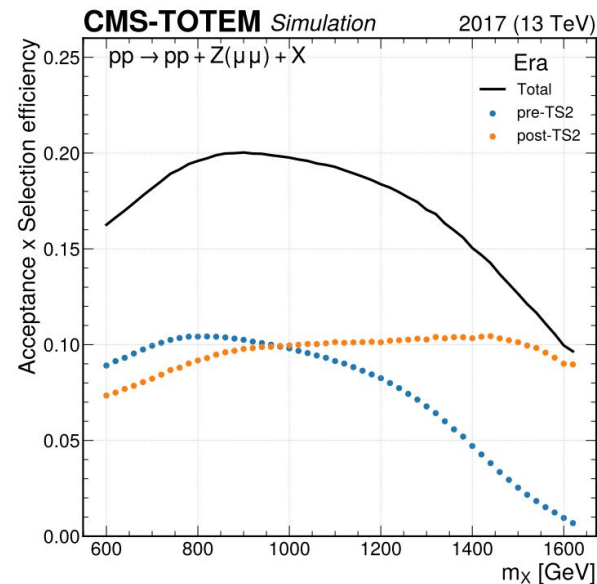
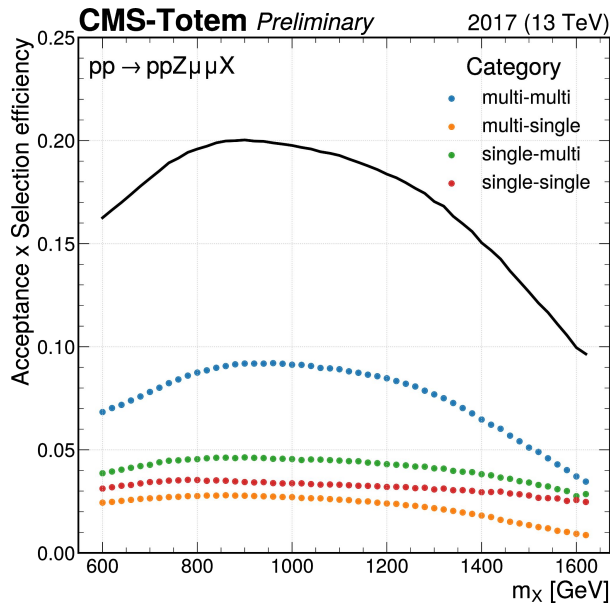
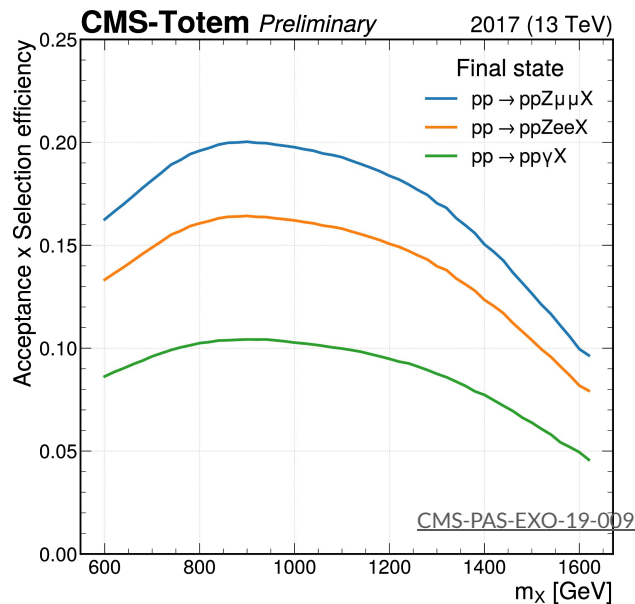
- most events are expected to be found in the golden category “multi-multi”
- fallback categories with single-RP increase $A \cdot \epsilon$ by factor of 2!
(but they lose unavoidably resolution when compared to multi-RP)



Acceptance of the analysis

Modelling of the time dependency is crucial to estimate the Acceptance x Efficiency ($A \cdot \epsilon$)

- most events are expected to be found in the golden category “multi-multi”
- fallback categories with single-RP increase $A \cdot \epsilon$ by factor of 2!
(but they lose unavoidably resolution when compared to multi-RP)
- partial availability of the detectors yields unbalanced contributions of fallback categories



Event selection adopted

Based on the toy MC baseline the event selection is defined

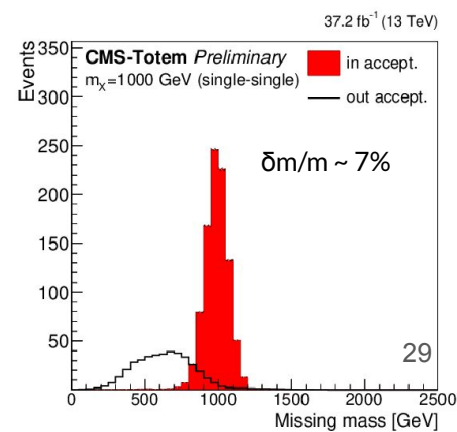
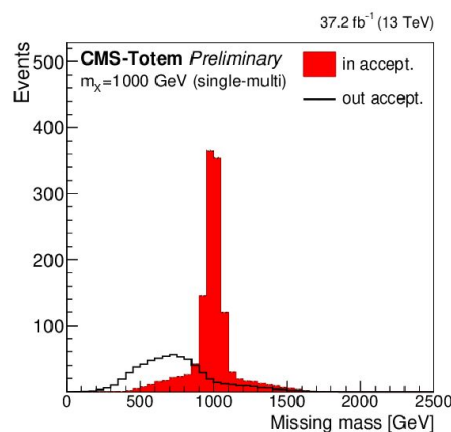
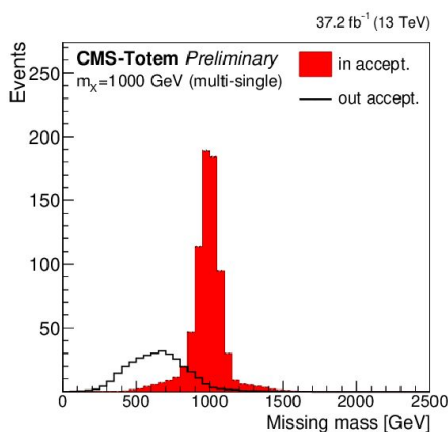
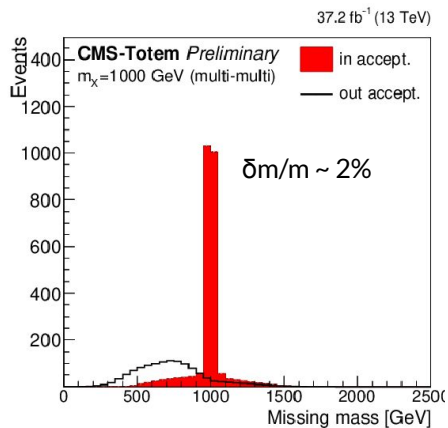
- relaxed cuts to increase significance
- moderate boost expected for boson
- protons limited to fiducial region of the detector

Selection / Analysis	$Z \rightarrow e^+e^- / Z \rightarrow \mu^+\mu^-$	γ
Leptons/Photons	≥ 2 same flavor leptons (e or μ) opposite electric charge $p_T(\ell_1/\ell_2) > 30/20$ GeV $ \eta(\ell) < 2.4$ $ m(\ell_1\ell_2) - m_Z < 10$ GeV	$=1\gamma$ within $ \eta(\gamma) < 1.4442$
Boson p_T	$p_T(Z) > 40$ GeV	$p_T(\gamma) > 95$ GeV
Protons	$0.02 < \xi_+^{gen} < 0.16$	$0.03 < \xi_-^{gen} < 0.18$

Convention “ $\sigma_{th} = 1\text{pb}$ ” in the fiducial region \rightarrow

Toy MC yields in addition the possibility to estimate a signal-induced background component

- signal events in which at least one proton fails to be reconstructed/selected



Background modelling

Main source of the background is combinatorial

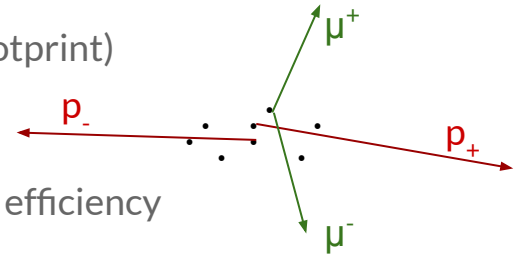
- with an average 38 pileup interactions: single diffractive, elastic collisions etc. generate several protons
- probability of a Z+jets event reconstructed with random coincident proton tags is high

Without timing commissioned/available, proton pileup reduction is challenging

- in case of multiple proton candidates disambiguation introduces additional combinatorial background
- multivariate analysis tried to correlate vertex activity, forward energy of the calorimeters with proton tags
- in the end adopted a simple approach of categorizing by crossing angle and vertex multiplicity

Background modelled with event mixing technique

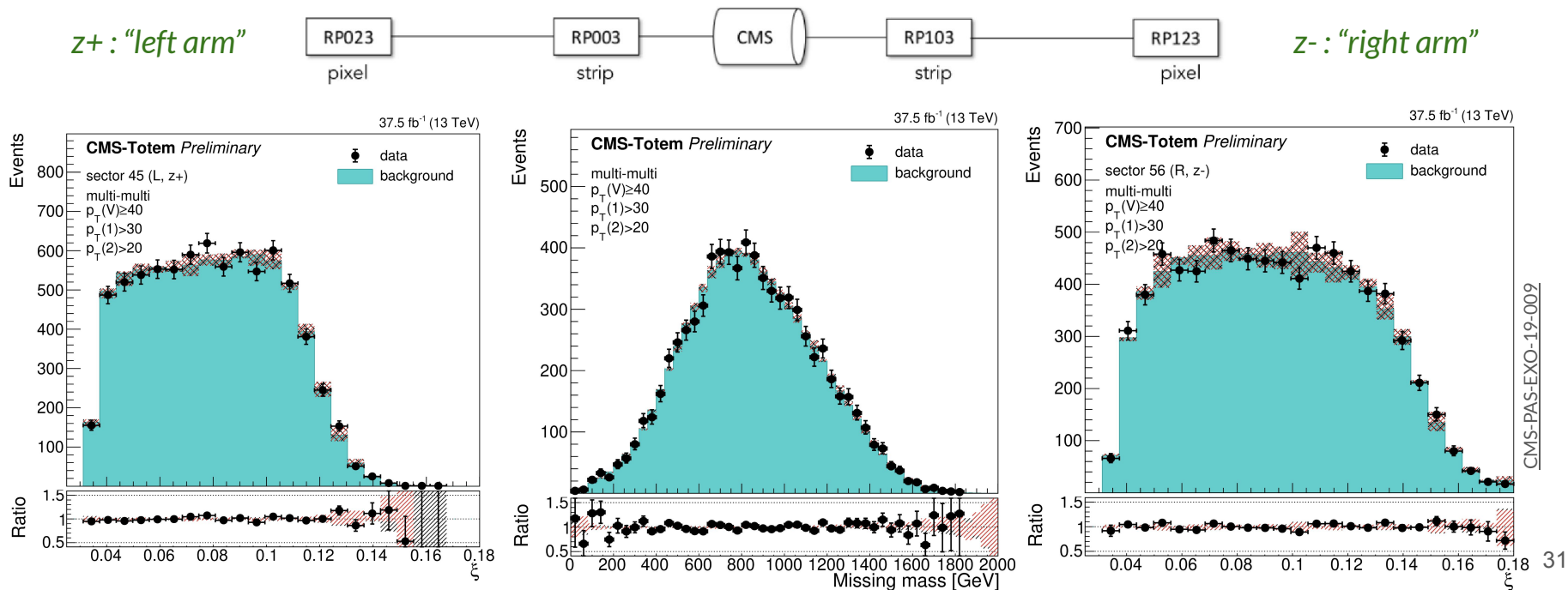
- select proton candidates in Z events with $p_T(Z) < 10$ GeV (reduced UE footprint)
- combine protons with pre-selected Z (or γ)
- preserve LHC fill- and crossing angle- of the two mixed events
⇒ uniform sampling of data taking conditions, detector acceptance and efficiency



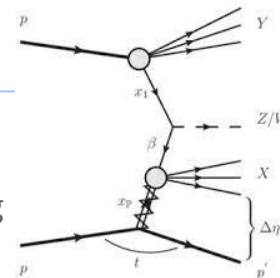
Background validation I

$e\mu$ events where no signal expected used to validate procedure

- Good agreement found over >90 different categories, giving confidence in the procedure



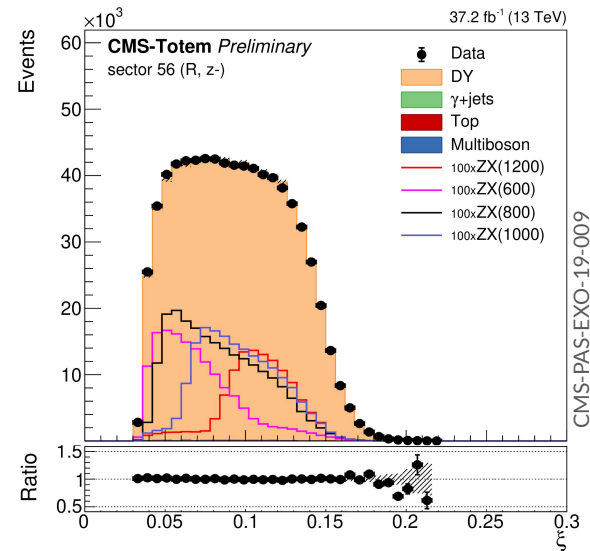
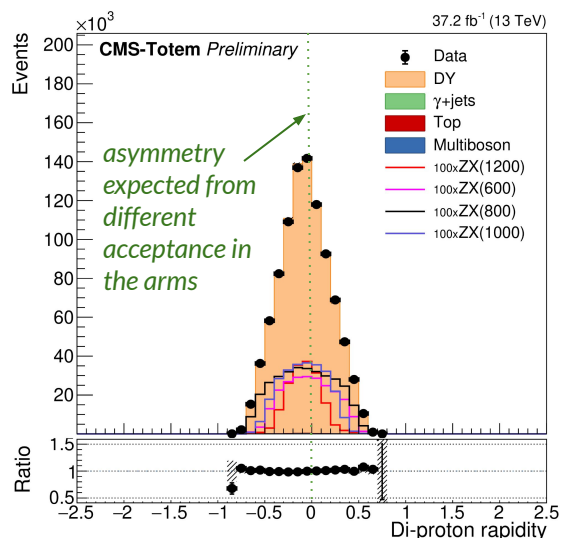
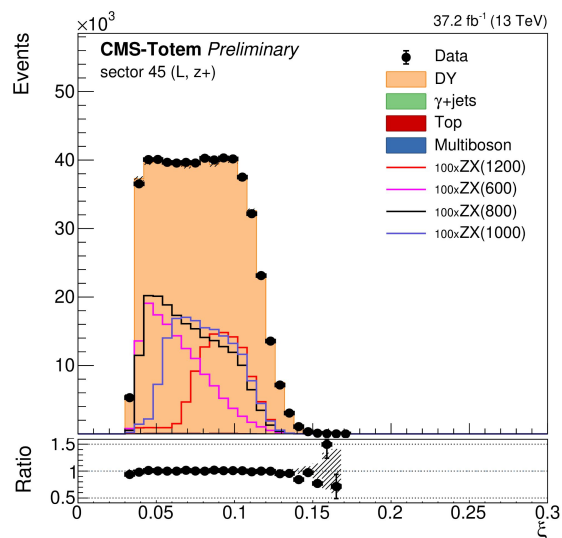
Background validation II



Other processes are expected to be negligible or under control with event mixing

- *single diffractive Z*: although distinct shape and large σ , modelled with single proton mixing
- *central exclusive events*: small cross section and acceptance after Z window requirement

Mixing using “standard” MC events (neglecting processes above): good agreement with data



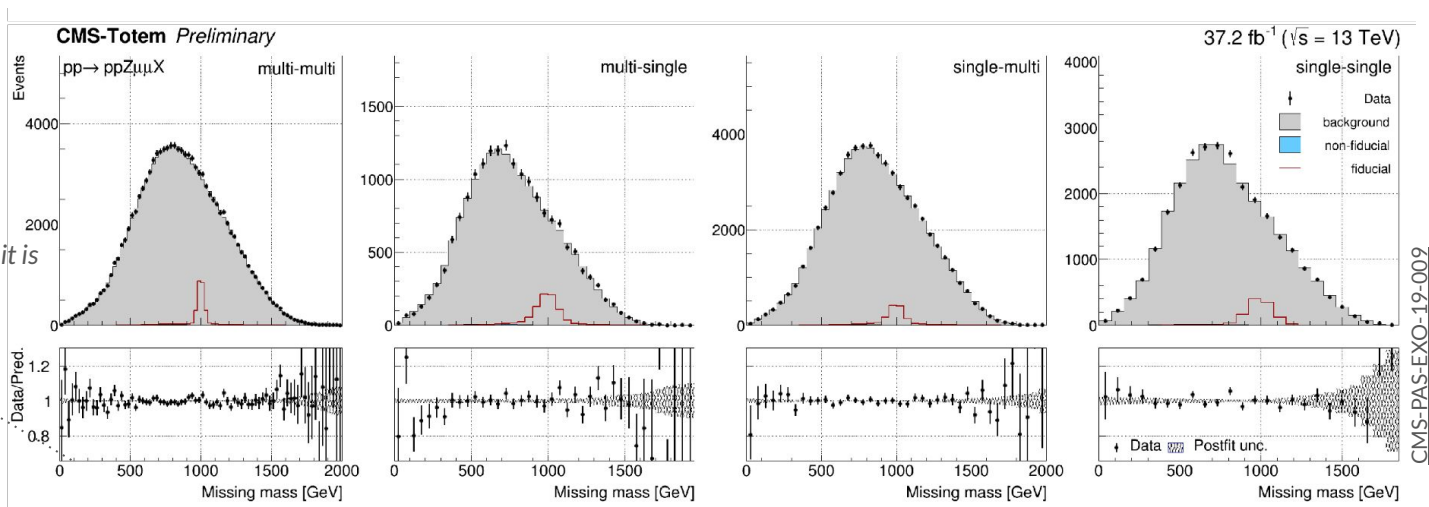
Statistical analysis



Based on a profile likelihood test statistics with the following systematics

- *signal*: pileup, lepton, photon and proton efficiencies, time-dependency, integrated luminosity, $p_z(\text{pp})$ modelling and limited statistics
- *background*: single diffractive component, source of pileup protons (floats freely in each category)
- *signal-induced background*: left floating freely (correlated between different categories)

Best sensitivity with a simultaneous fit to the missing mass spectra in a total of 96 categories (4 beam crossing angles, 4 proton reconstruction categories, 2 vertex multiplicity, 3 final states)

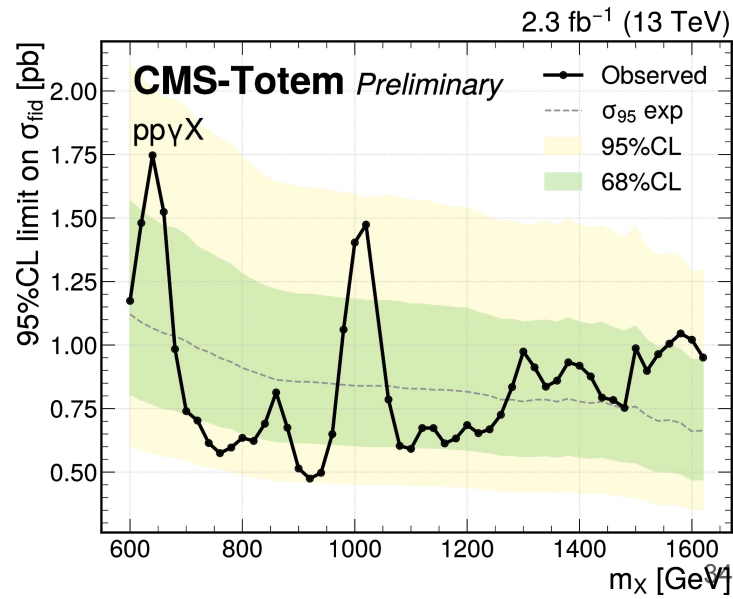
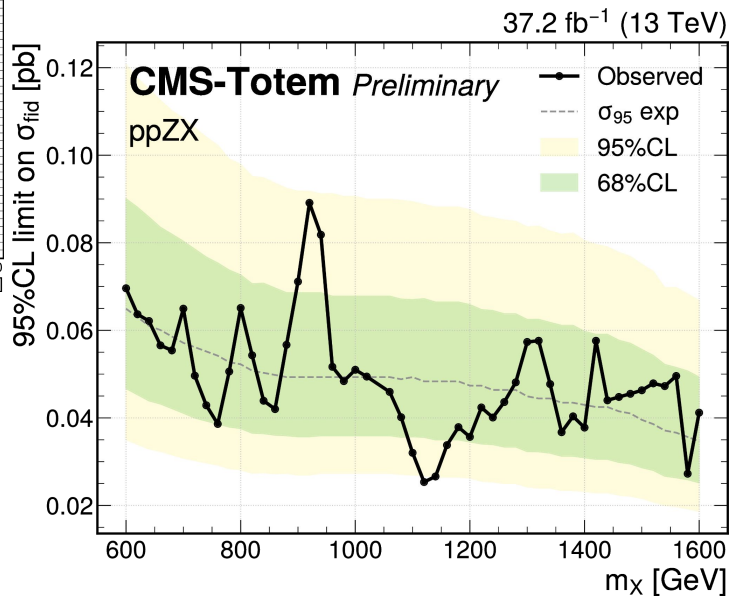
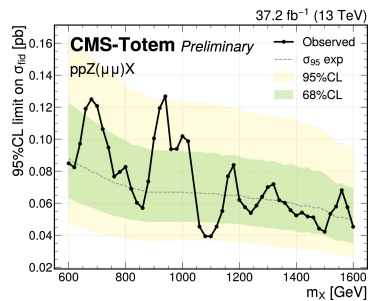
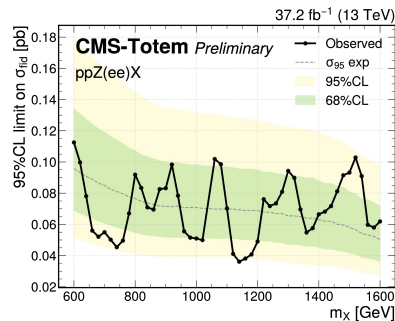


binning depends on category resolution but it is fixed for all mass scan (reduce look elsewhere effect)

Limits

Good agreement with background-only hypothesis

- observed limits within 2σ expectation
- oscillations are fully consistent with resolution



Other recent results and next chapters



Searches for $pp \rightarrow pp VV$

Di-boson final states with protons: interesting as they are sensitive to quartic gauge couplings

- $V=W,Z,\gamma$
- selection of events at the 0.6-2 TeV scale just from current CT-PPS acceptance
- complementary to VBS type of searches as $\gamma\gamma VV$ vertices are singled out
- can use to probe dim-8 operators in an EFT context

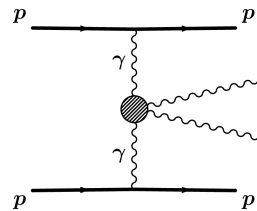
$$\mathcal{L}_{EFT} = \mathcal{L}_{SM} + \sum_{i=WWWW,W,B,\Phi W,\Phi B} \frac{c_i}{\Lambda^2} \mathcal{O}_i + \sum_{j=1,2} \frac{f_{S,j}}{\Lambda^4} \mathcal{O}_{S,j} + \sum_{j=0,\dots,9} \frac{f_{T,j}}{\Lambda^4} \mathcal{O}_{T,j} + \sum_{j=0,\dots,7} \frac{f_{M,j}}{\Lambda^4} \mathcal{O}_{M,j}$$

	WWWW	WWZZ	ZZZZ	WWAZ	WWAA	ZZZA	ZZAA	ZAAA	AAAA
$\mathcal{O}_{S,0}, \mathcal{O}_{S,1}$	X	X	X						
$\mathcal{O}_{M,0}, \mathcal{O}_{M,1}, \mathcal{O}_{M,6}, \mathcal{O}_{M,7}$	X	X	X	X	X	X	X		
$\mathcal{O}_{M,2}, \mathcal{O}_{M,3}, \mathcal{O}_{M,4}, \mathcal{O}_{M,5}$		X	X	X	X	X	X		
$\mathcal{O}_{T,0}, \mathcal{O}_{T,1}, \mathcal{O}_{T,2}$	X	X	X	X	X	X	X	X	X
$\mathcal{O}_{T,5}, \mathcal{O}_{T,6}, \mathcal{O}_{T,7}$		X	X	X	X	X	X	X	X
$\mathcal{O}_{T,8}, \mathcal{O}_{T,9}$			X			X	X	X	X

[arXiv:1309.7890](https://arxiv.org/abs/1309.7890)

- in addition specific scenarios such as axion-like particles (ALPs) can be probed

Limits on aQGC

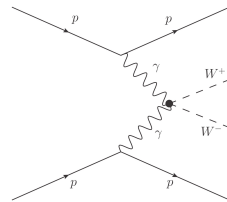


Using single photon triggers

$p_T > 75-100 \text{ GeV}$ $m(\gamma\gamma) > 350 \text{ GeV}$

$0.02 < \xi(\gamma\gamma) < 0.2$ $1 - \delta\phi/\pi < 0.0025$

PPS matching in mass and rapidity

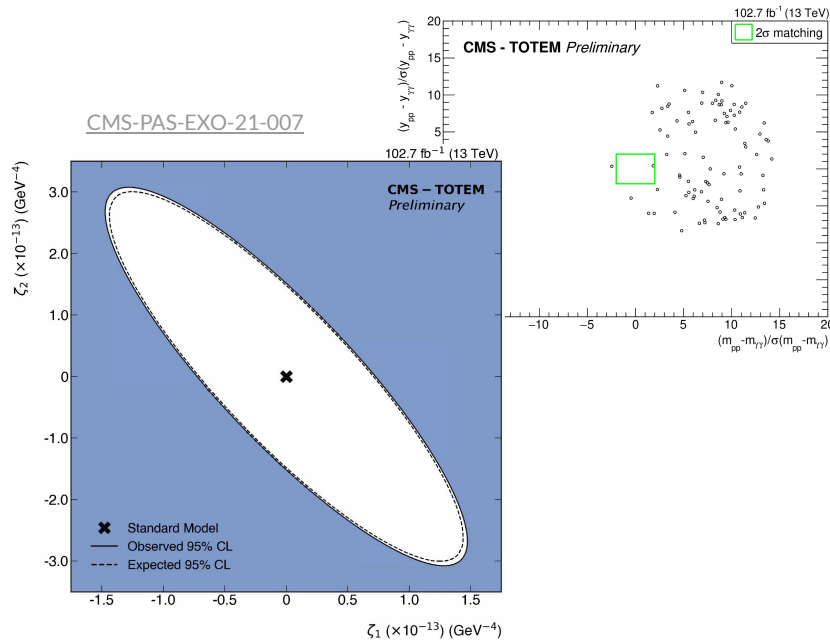


Using boosted (R=0.8) jet topology

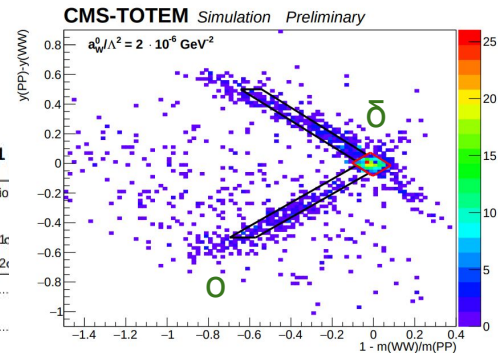
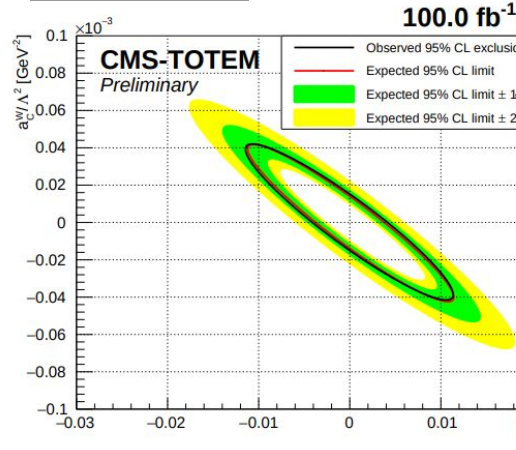
$p_T(V) > 200 \text{ GeV}$ $m(VV) > 1.126 \text{ TeV}$

$\Delta\eta(V,V') < 0.3$ $1 - \delta\phi/\pi < 0.01$

Categorize in fully matched (δ) and singly-matched (\circ) categories



CMS-PAS-SMP-21-014

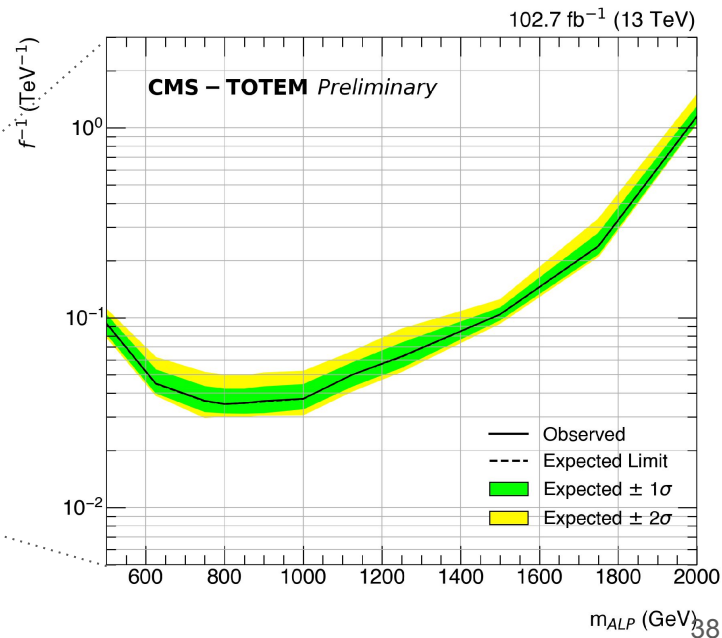
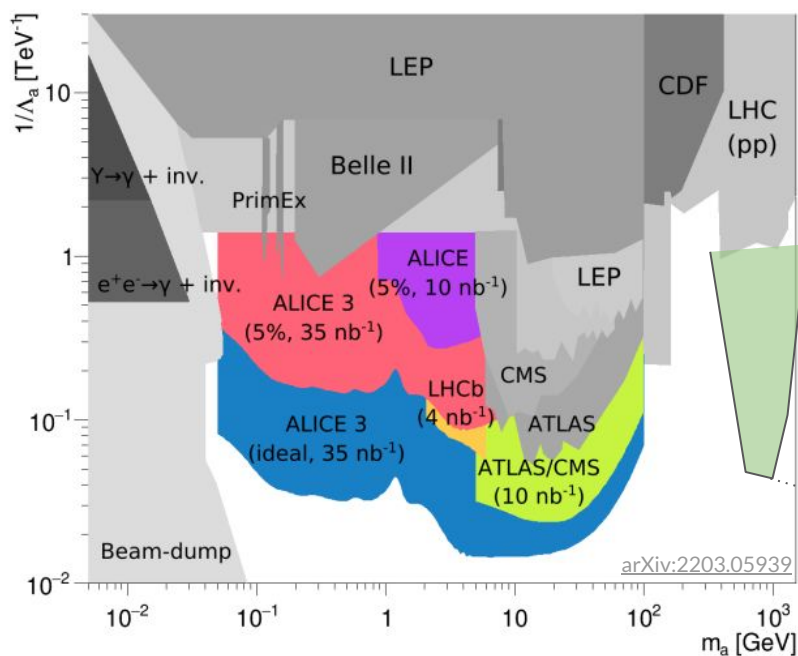
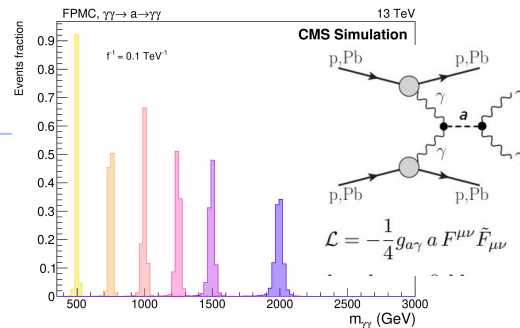


$$(a/\Lambda^2) \sim (gv)^2(f/\Lambda)^4$$

Limits on (high-mass) ALPs

Re-cast the $\gamma\gamma$ analysis for a resonant scenario

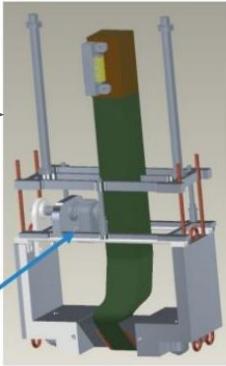
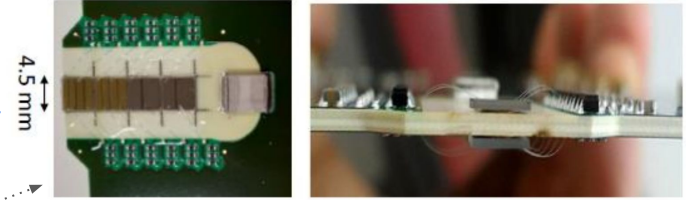
- result reduces significantly the phase space allowed for high mass ALPs
- clear complementarity of CT-PPS-driven searches to LbL in PbPb



PPS in LHC Run 3...

Several upgrades took place for current run

- Timing detectors: two new stations,
 - Double-Diamond detectors in all planes targeting a resolution $\mathcal{O}(30 \text{ ps}) \Rightarrow \mathcal{O}(1 \text{ cm})$ vertexing
 - New Si pixel tracker with internal motion (increased efficiency to lower ξ)
 - Dedicated high level trigger with proton tag (hadronic WW / multijet events)
- \Rightarrow 2x more luminosity in Run 3, potential to increase sensitivity of proton analyses by 4-5x



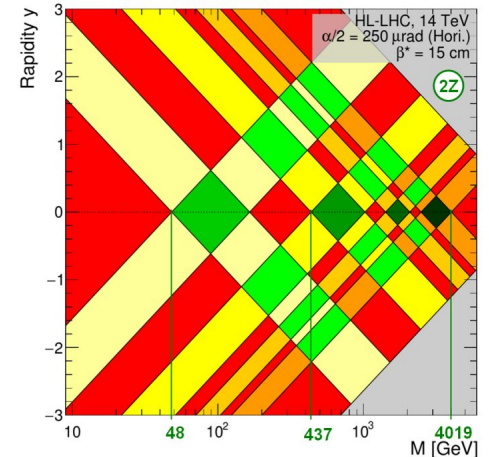
PPS in LHC Run 3... and beyond

Several upgrades took place for current run

- Timing detectors: two new stations,
 - Double-Diamond detectors in all planes targeting a resolution $\mathcal{O}(30\text{ ps}) \Rightarrow \mathcal{O}(1\text{cm})$ vertexing
 - New Si pixel tracker with internal motion (increased efficiency to lower ξ)
 - Dedicated high level trigger with proton tag (hadronic WW / multijet events)
- \Rightarrow 2x more luminosity in Run 3, potential to increase sensitivity of proton analyses by 4-5x

An expression of interest has been submitted for the HL-LHC - [arXiv:2103.02752](https://arxiv.org/abs/2103.02752)

- expands LHC programme on WW, di-T, top, ALPs, SUSY, Higgs, ...
- staggered installation at 196 m, 220 m, 234 m and 420 m from CMS
- expanding acceptance to the $\mathcal{O}(40\text{ GeV}) - \mathcal{O}(4\text{ TeV})$ range
- 1-2 MCHF (costs spread overtime with staggered installation)



Summary



Summary

LHC: likely to be the best (and cheapest) high energy photon collider available for a long time

First analyses with proton tags from Run 2 have provided, among others:

- first “missing mass” searches for resonances in $V+X$ final states
- first+best collider constraints on anomalous quartic gauge couplings in $\gamma\gamma\rightarrow\gamma\gamma$
- best limits on ALPs at the TeV scale
- new constraints on anomalous quartic gauge couplings in $\gamma\gamma\rightarrow WW, \gamma\gamma\rightarrow ZZ$

... complemented with heavy ion $\gamma\gamma$ physics program, not covered here

Photon collisions should be maximally exploited for SM and BSM physics in Run 3 and beyond