

tWZ at NLO in QCD

ongoing work in collaboration with Fabio Maltoni, Ken Mimasu, and Marco Zaro

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Introduction

- *tWZ* is a rare EW top production process → it can be a potential probe of the weak couplings of the top quark that are relatively poorly measured.
- Studying tWZ process at NLO in QCD is 'tricky' because of its 'interference' with $t\bar{t}Z$ and $t\bar{t}$ at LO $\rightarrow tWZ$ needs to be understood better.
- *tWZ* is sensitive to unitarity-violating behaviour induced in its sub-amplitudes through modified EW interactions → study *tWZ* in SMEFT.



The 'interference'



arxiv 1907.04898

Example diagram of tt at LO by MG5.

Example diagram of tWZ at NLO (real) by MG5.

The underlying resonant structure of $t\bar{t}Z$ followed by $t \rightarrow Wb$ or $t\bar{t}$ followed by rare $t \rightarrow WZb$ can spoil the perturbative behaviour of the NLO expansion in tWZ.

The amplitude associated to the tWZ process (at NLO in QCD with real emissions) can be expressed as:

$$\mathcal{A}_{tWZ} = \mathcal{A}_{tWZ}^{res} + \mathcal{A}_{tWZ}^{res} \tag{1}$$

and thus the matrix element,

$$|\mathcal{A}_{tWZ}|^2 = |\mathcal{A}_{tWZ}^{r\not\in s}|^2 + 2\Re \left(\mathcal{A}_{tWZ}^{r\not\in s} \mathcal{A}_{tWZ}^{\dagger res} \right) + |\mathcal{A}_{tWZ}^{res}|^2$$
(2)

Two schemes to handle the resonant part of the matrix element is to:

- drop the resonant contribution to the matrix element and use non-resonant cross section as a measurable quantity to compare to experimental results, this is called DR/DR1.
- include the interference term for a better approximation of the cross section, this is called DR+I/DR2.

Diagram Removal is automated in MG5 via the MadSTR plugin. However MadSTR doesn't handle 1 \rightarrow 3 decays \rightarrow we do DR manually.

- In practice, we are studying tWl⁺l⁻, the two leptons can be coming from a Z or a γ decay. Our aim is to identify a region in the phase space in which the non-resonant part of tWZ dominates.
- We have two DR scenarios \rightarrow either remove ttZ+tt overlap, or only remove the ttZ overlap. We here show results from the former scenario.
- We then look at cross section rates at DR1 and DR2 schemes \rightarrow our results show DR1/DR2 ratio of \sim 1.50. This means that the interference with the resonant part of the matrix element is significant.

$$|\mathcal{A}_{tWZ}|^2 = |\mathcal{A}_{tWZ}^{r\not\!\!\!es}|^2 + 2\Re \left(\mathcal{A}_{tWZ}^{r\not\!\!\!es} \mathcal{A}_{tWZ}^{\dagger res} \right) + |\mathcal{A}_{tWZ}^{res}|^2 \tag{3}$$

• The resonant part can be suppressed by a cutting on the pT of the extra b quark \rightarrow hard b quarks tend to have come from the decay of a top. Requiring an upper limit on pT(b), $pT(b) < 30 \text{ GeV} \rightarrow \text{DR1/DR2}$ ratio ~ 1.10 .

SM analysis and preliminary results



Figure 1: $pT(I_1)$

Figure 2: $m(l^+l^-)$

To SMEFT: relevant operators

 tWZ is sensitive to unitarity-violating behaviour through modified EW interactions → probing the high-energy phase space of tWZ can therefore serve as a test for the SM hypothesis.



Three diagrams to the left are SM diagrams for the $bW \rightarrow tZ$ subprocess. Last diagram to the right is the embedding of the $bW \rightarrow tZ$ sub-amplitude into tWZ production. arXiv 1904.05637

We therefore use the following SMEFT operators in our study:

Operator	Definition .
\mathcal{O}_{tW}	$i ig(ar{Q} au^{\mu u} au_{l} t ig) \widetilde{arphi} W^{I}_{\mu u} + {\sf h.c.}$
\mathcal{O}_{tB}	$i ig(ar{Q} au^{\mu u} t ig) \widetilde{arphi} B_{\mu u} + {\sf h.c.}$
\mathcal{O}_{tG}	igs $\left(ar{Q} au^{\mu u} T_{A}t ight) ilde{arphi} G^{A}_{\mu u} + {\sf h.c.}$
${\cal O}^{(1)}_{arphi Q}$	$i\left(\varphi^{\dagger}\overset{\leftrightarrow}{D}_{\mu}\varphi ight)\left(ar{Q}\gamma^{\mu}Q ight)$
${\cal O}^{(3)}_{arphi Q}$	$i(\varphi^{\dagger}\overleftrightarrow{D}_{\mu}\tau_{I}\varphi)(\bar{Q}\gamma^{\mu}\tau^{I}Q)$
$\mathcal{O}_{\varphi t}$	$i(\varphi^{\dagger} \overleftrightarrow{D}_{\mu} \varphi)(\overline{t} \gamma^{\mu} t)$

.. the interaction of the top with the weak isospin and the weak hypercharge gauge fields, the chromo-magnetic dipole operator, the interaction of two fermions fields with gauge bosons, and the Yukawa coupling modification.

SMEFT analysis and preliminary results

- We start the SMEFT analysis by looking at tWZ with stable Z.
- We start by looking at the gain for each operator from considering *tWZ* at NLO, see the given table.
- We work in the dim6top implementation, i.e. SMEFTatNLO. Some operators in the Warsaw basis are expressed as linear coefficients of the dim6top operators shown below.

op.	$\sigma_i^{LO}(pb)$	$\sigma^{LO}_{ij}(pb)$	$\sigma_i^{NLO}(pb)$	$\sigma^{\textit{NLO}}_{ij}(pb)$	$(\sigma_{NLO}/\sigma_{LO})_i$	$(\sigma_{NLO}/\sigma_{LO})_{ij}$
cpt	2.0e-03	2.2e-04	2.2e-03	2.3e-04	1.10	1.04
cpqm	2.5e-03	5.2e-04	3.6e-03	6.4e-04	1.44	1.23
cpq3	2.2e-02	6.0e-03	2.9e-02	7.0e-03	1.32	1.16
ctw	-1.3e-02	2.9e-02	-1.6e-02	3.3e-02	1.23	1.13
ctz	-3.4e-04	6.4e-03	-3.5e-04	7.0e-03	1.03	1.09
ctg	9.0e-03	1.9e-02	10.0e-03	2.0e-02	1.22	1.05

• On the level of total rates, we don't seem to gain much from considering the NLO correction \rightarrow look at differential distributions.

- Being a rare EW top production process makes *tWZ* is an interesting process to study.
- Diagram removal is essential when studying *tWZ* at NLO in QCD because of the overlap with *ttZ* and *tt* processes at LO.
- The resonant structure of *ttZ* and *tt* can spoil the convergence of *tWZ* at NLO in QCD.
- In our SM analysis, by vetoing hard b quarks, we were able to identify a region in the phase space in which the non-resonant part of the *tWZ* dominates.
- In our SMEFT analysis, we are assessing the significance of relevant operators to *tWZ* at NLO, it is still an ongoing work.