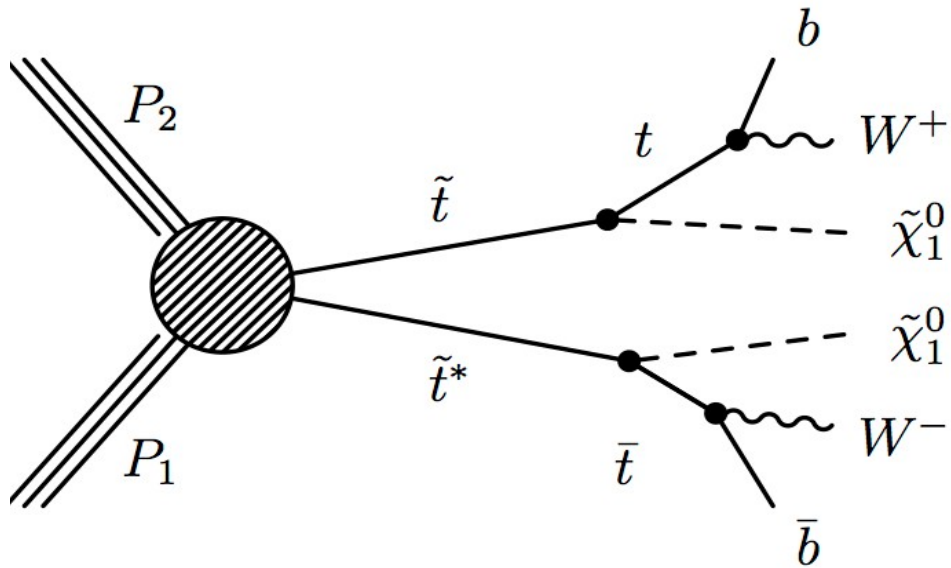


Towards a new approach for stop quark searches

Petra Van Mulders
Lieselotte Moreels & Thomas Fitoussi

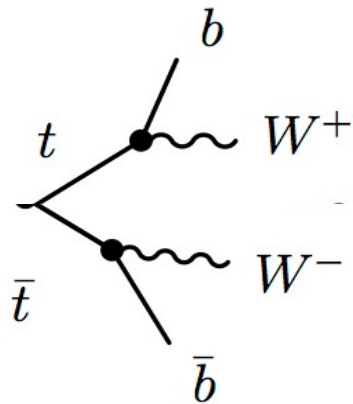
Work in progress!

ttbar is the main background for stop quark searches



$$pp \rightarrow \tilde{t}\tilde{t}^* \rightarrow t\bar{t}\tilde{\chi}_1^0\tilde{\chi}_1^0 \rightarrow b\bar{b}W^+W^-\tilde{\chi}_1^0\tilde{\chi}_1^0$$

χ^0 is the stable lightest supersymmetric particle (LSP)
 \rightarrow missing transverse energy (MET)

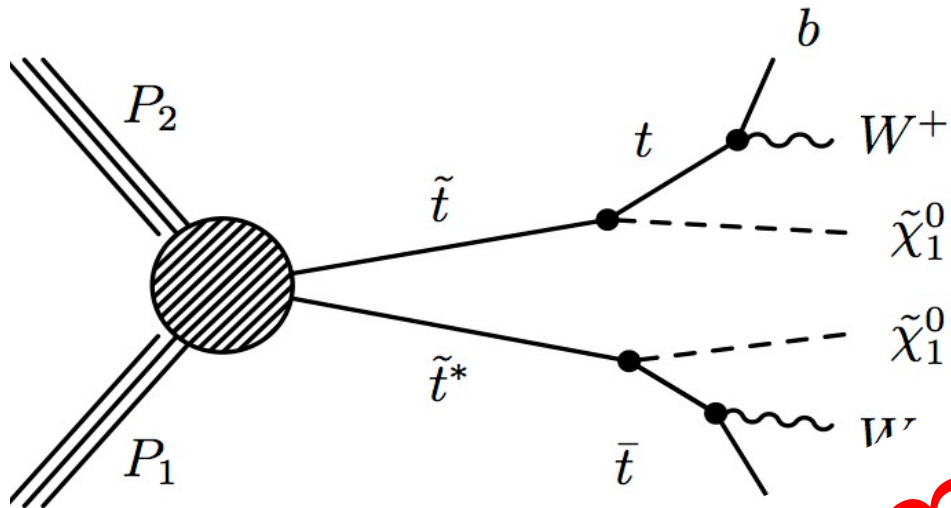


ttbar:

- less missing transverse energy
- more boosted

Typically stop searches use MET, H_T , angles between objects, ...

ttbar is the main background for stop quark searches

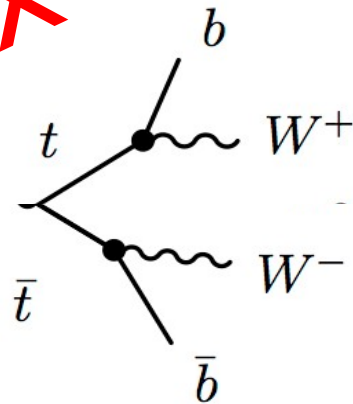


$pp \rightarrow \tilde{t}\tilde{t}^*$

$pp \rightarrow W^+W^- \tilde{\chi}_1^0 \tilde{\chi}_1^0$

Matrix element method?

→ the stable lightest supersymmetric particle (LSP)
→ missing transverse energy (MET)



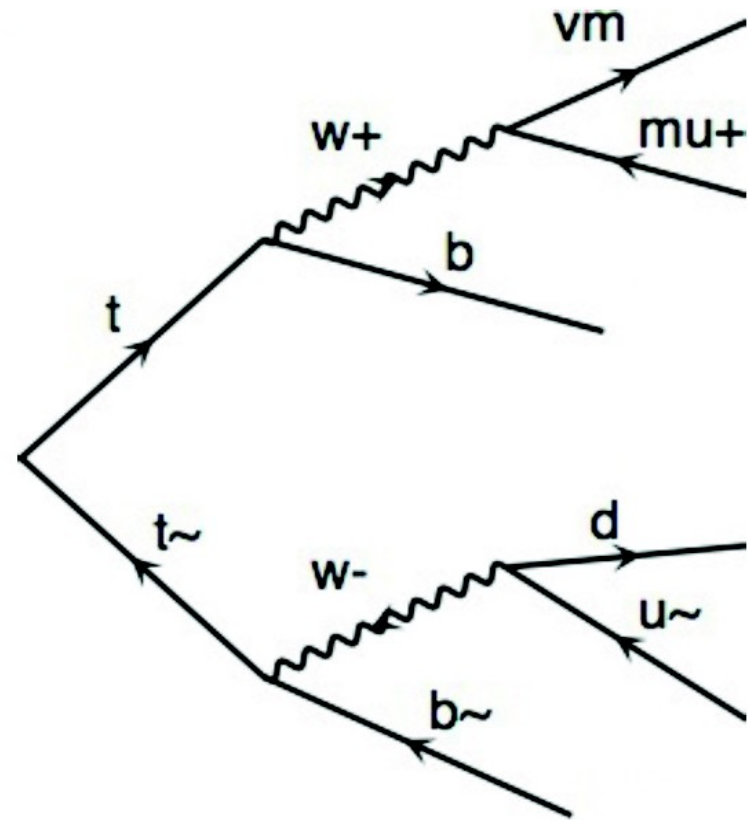
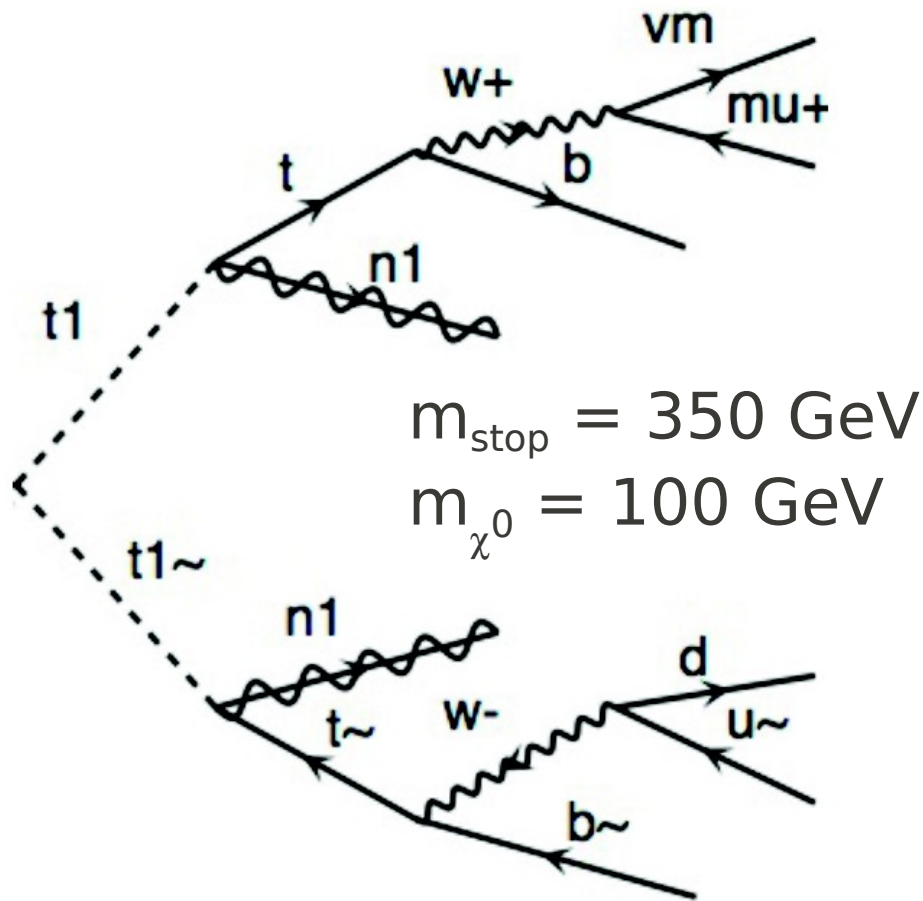
ttbar:

- less missing transverse energy
- more boosted

Typically analyses use MET, H_T , angles between objects, ...

Case study on muon+jets+MET decay channel with $\sqrt{s} = 8 \text{ TeV}$

generate $p p \rightarrow t t^{\sim}, t \rightarrow b \mu^+ \nu_m, t^{\sim} \rightarrow b^{\sim} j j$



generate $p p \rightarrow t1 t1^{\sim} / \text{sch sq}, t1 \rightarrow b \mu^+ \nu_m n1 / \text{sch sq}, t1^{\sim} \rightarrow b^{\sim} j j n1 / \text{sch sq}$
 \rightarrow exclude diagrams involving charginos (sch) and other squarks (sq)!

Event selection

Jet-parton
assignment

MadWeight:
 $P(S)$; $P(B)$

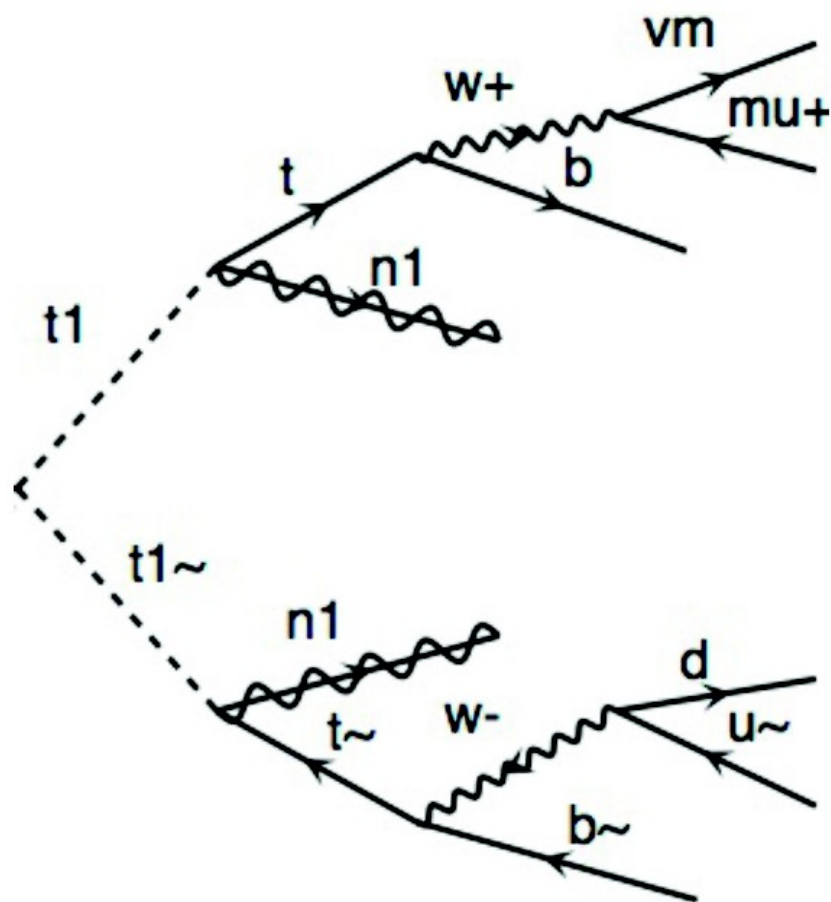
$P(S)/(P(S)+P(B))$

$MET + H_T$

Profile likelihood ratio
→ 95% CL upper limits

Transfer functions,
optimisations

The event selection reduces non-ttbar backgrounds to a small fraction



- =1 isolated muon:
 $p_T > 25 \text{ GeV}, |\eta| < 2.1$
- ≥ 4 jets: 2 b-tagged
 $p_T > 30 \text{ GeV}, |\eta| < 2.4$
- $\text{MET} > 70 \text{ GeV}$
- $H_T > 250 \text{ GeV}$

→ $S/B \sim 260/19000$ (1.4%)

$B = 94\% \text{ } t\bar{t} + 6\% \text{ other (mainly } W+\text{jets and single top)}$

Event selection

Jet-parton
assignment

MadWeight:
 $P(S); P(B)$

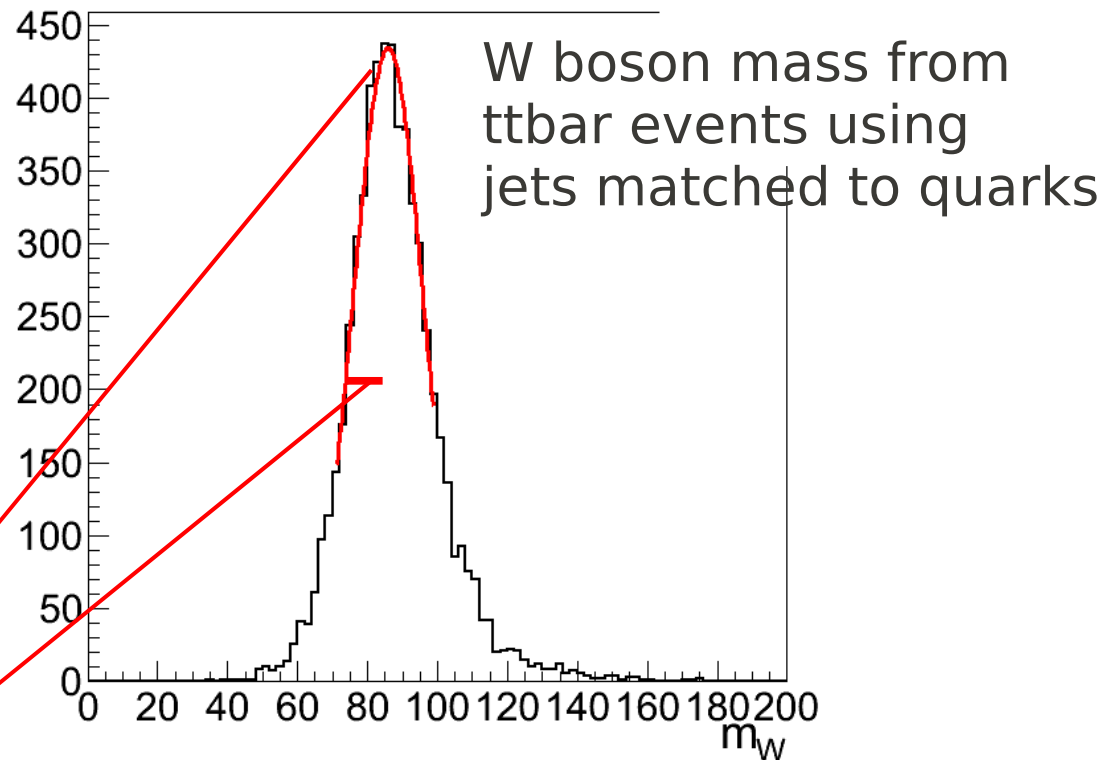
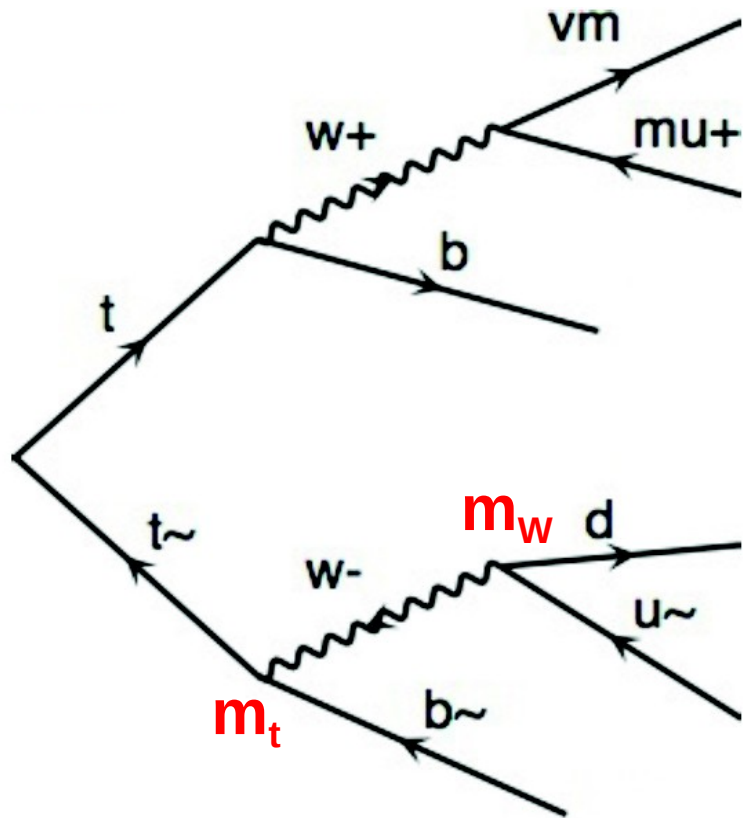
$P(S)/(P(S)+P(B))$

$MET + H_T$

Profile likelihood ratio
→ 95% CL upper limits

Transfer functions,
optimisations

Reduce the number of jet-parton assignments from 24 to 2



Use the 4 highest p_T jets; for each permutation, calculate:

$$\chi^2 = \left(\frac{m_{j_1, j_2} - m_W}{\delta m_W} \right)^2 + \left(\frac{m_{j_1, j_2, j_3} - m_t}{\delta m_t} \right)^2$$

one of the b jets

→ choose the 2 assignments with the smallest χ^2
 (~74% the correct assignment is one of those 2)

Event selection

Jet-parton
assignment

MadWeight:
 $P(S); P(B)$

Transfer functions,
optimisations

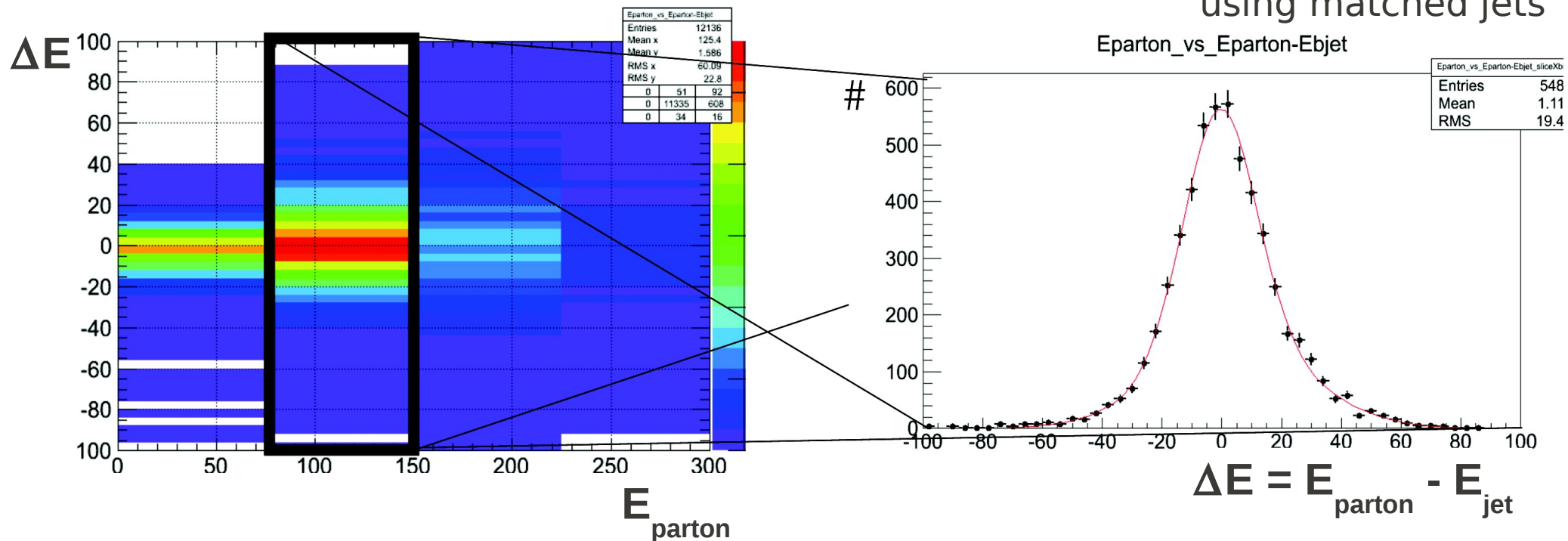
$P(S)/(P(S)+P(B))$

$MET + H_T$

Profile likelihood ratio
→ 95% CL upper limits

Transfer function for jet energies

from ttbar events
using matched jets



- Different for b jets and non-b jets
- Double gaussian with 6 parameters p_i

$$p_3 \exp[-(\Delta E - p_1)^2 / (2p_2^2)] + p_6 \exp[-(\Delta E - p_4)^2 / (2p_5^2)]$$
- Parametrized as a function of E_{parton} :

$$p_{i,0} + p_{i,1} \sqrt{E_{\text{parton}}} + p_{i,2} E_{\text{parton}}$$

→ 18 (6*3) parameters
- Assume angles and muon energy perfectly measured

Event selection

Jet-parton
assignment

Transfer functions,
optimisations → MadWeight:
 $P(S); P(B)$

$P(S)/(P(S)+P(B))$

$MET + H_T$

Profile likelihood ratio
→ 95% CL upper limits

Calculate the probability for signal (stops) and background (ttbar)

For each event, compute the probability (MadWeight) that it is a:

- ttbar event (i.e. background “B”) → P(B)
- stop quark event (i.e. signal “S”) → P(S)

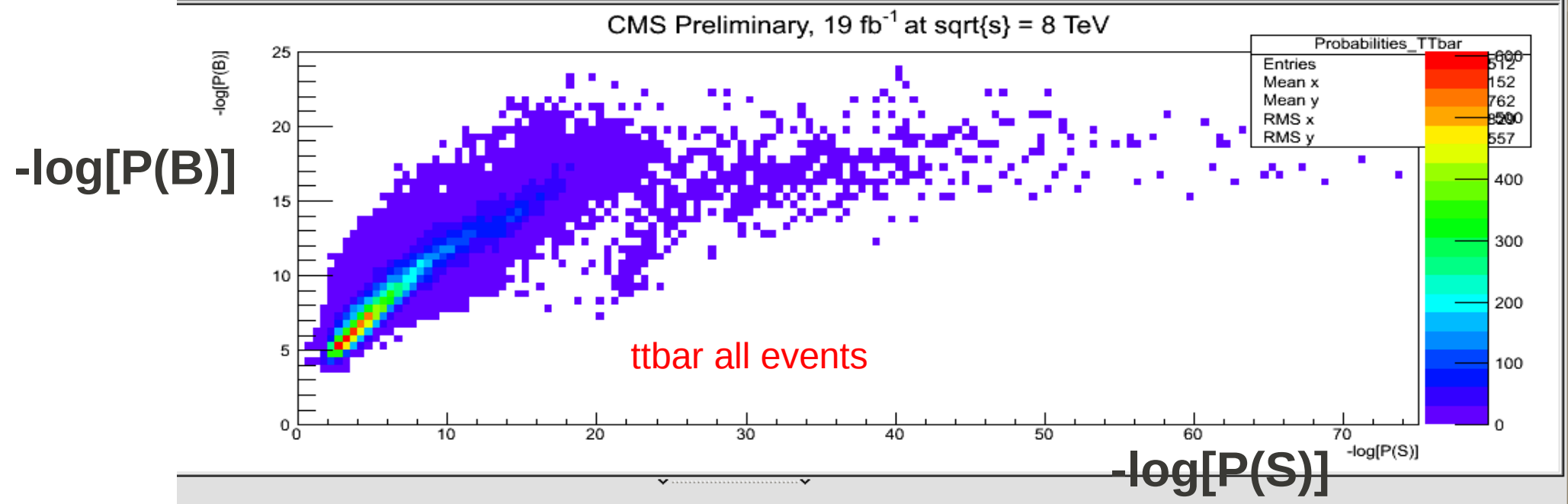
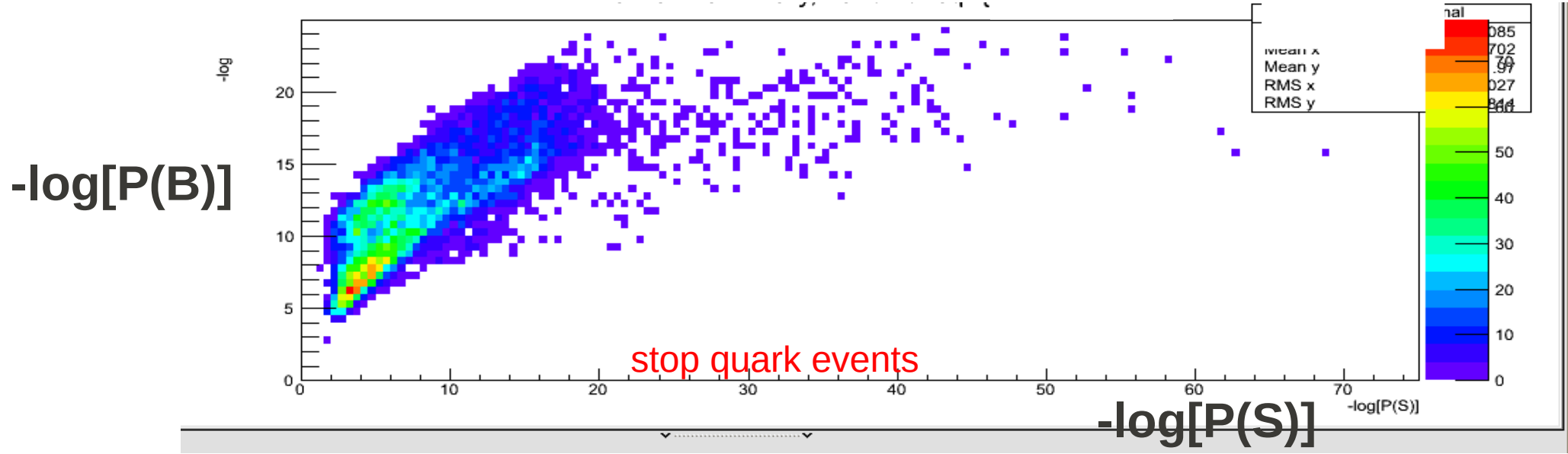
$$\mathcal{P}(p^{obs}|\vec{\theta}) = \frac{1}{\sigma(\vec{\theta})} \int dp^{true} |M(\vec{\theta}, p^{true})|^2 W(p^{true}, p^{obs})$$

P(B) and P(S) are obtained for the 2 jet-parton assignments → take the average

→ ultimately obtain for each event:

$$LR = \frac{\mathcal{P}(S)}{\mathcal{P}(S) + \mathcal{P}(B)}$$

The probability for signal (stops) and background (ttbar)



Event selection

Jet-parton
assignment

MadWeight:
 $P(S); P(B)$

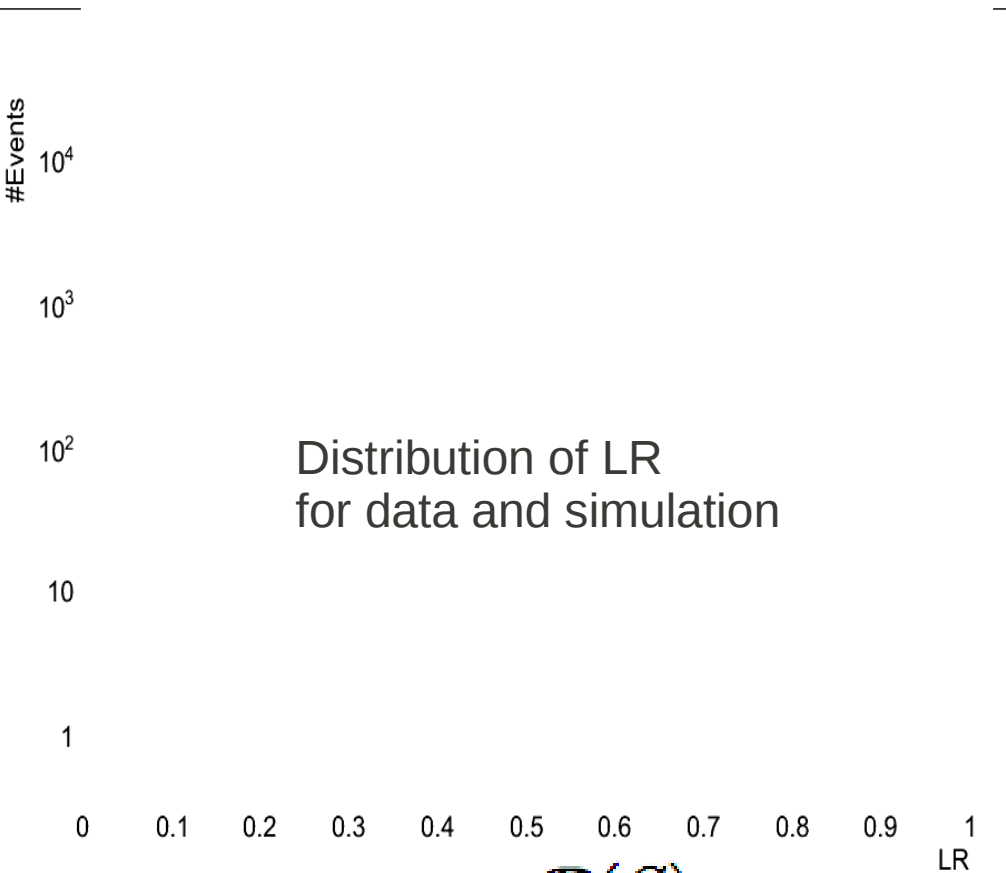
Transfer functions,
optimisations

$P(S)/(P(S)+P(B))$

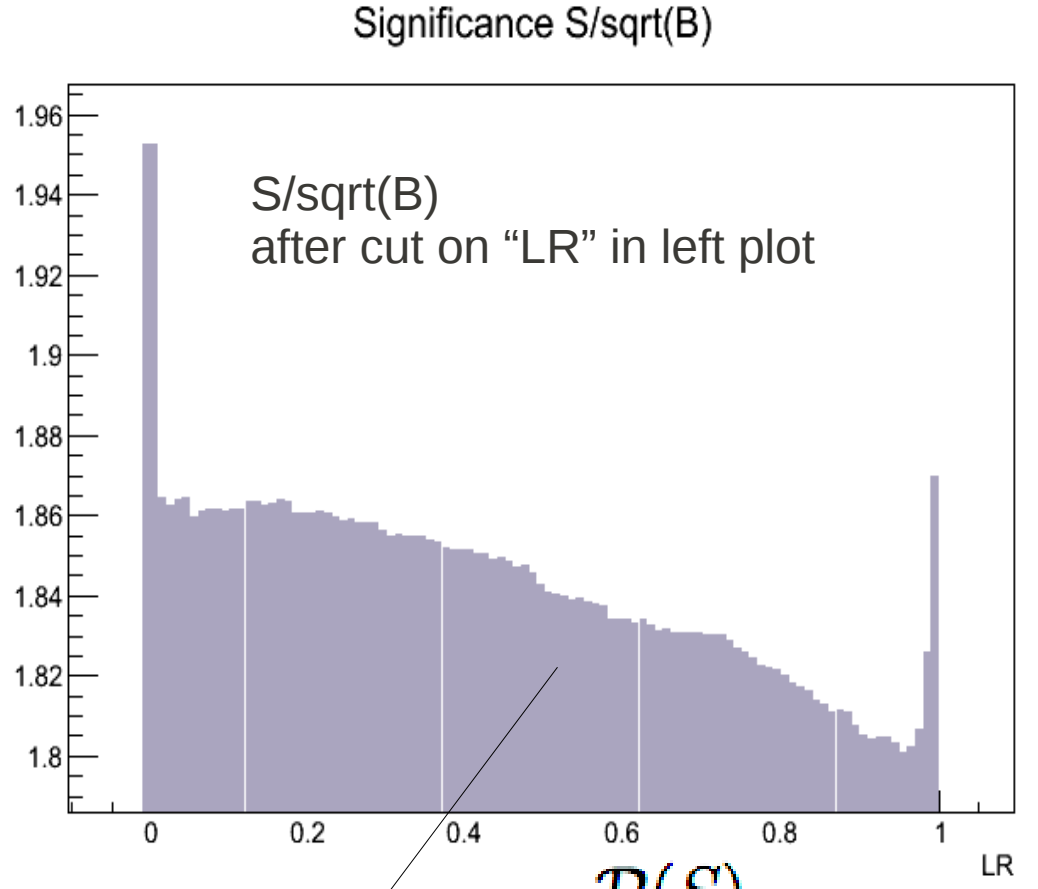
$MET + H_T$

Profile likelihood ratio
→ 95% CL upper limits

The discriminator distribution



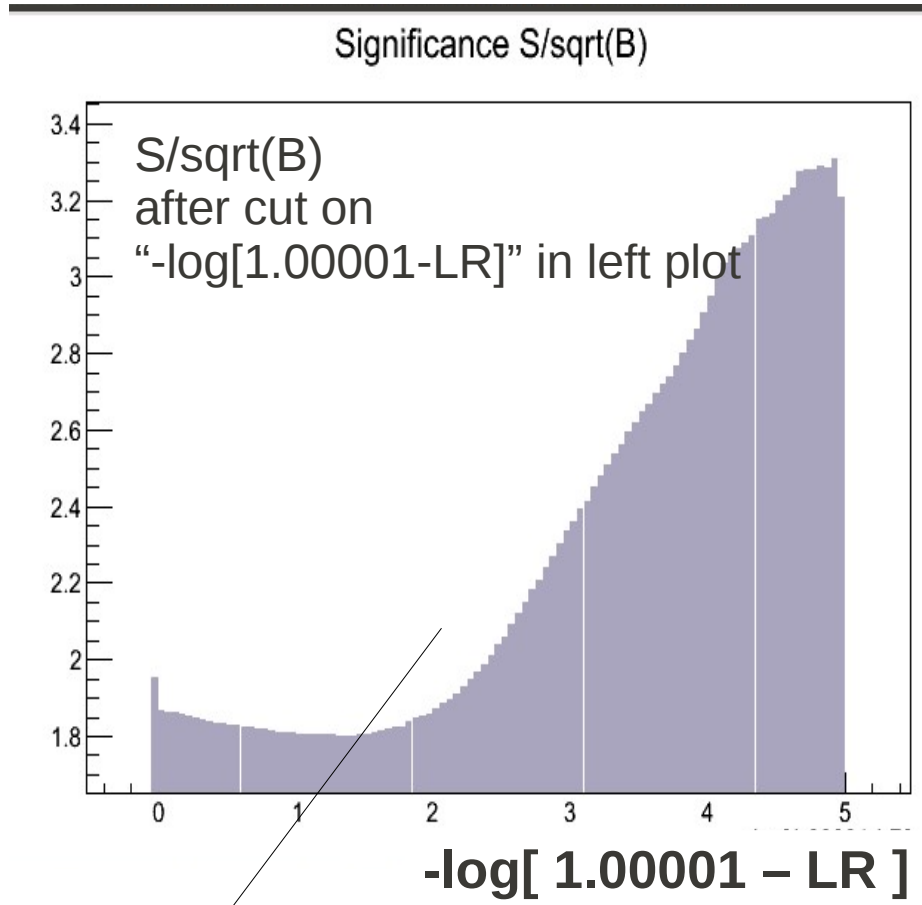
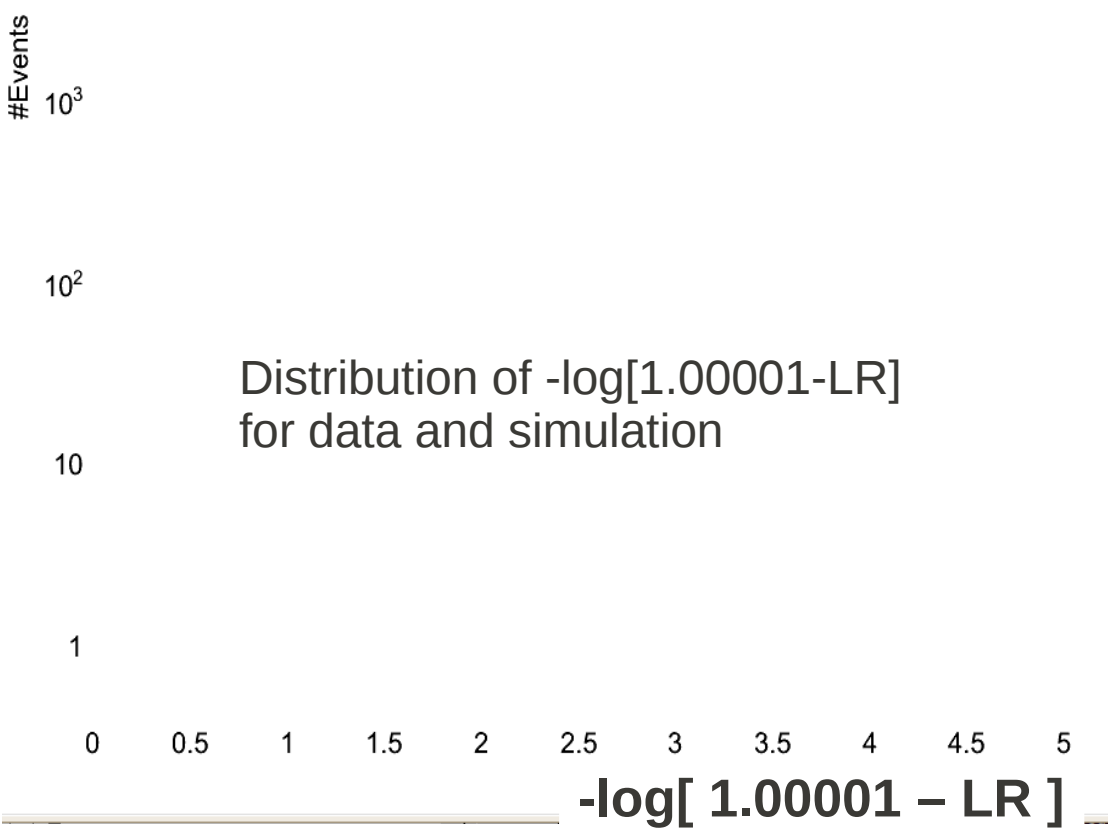
$$LR = \frac{\mathcal{P}(S)}{\mathcal{P}(S) + \mathcal{P}(B)}$$



$$LR = \frac{\mathcal{P}(S)}{\mathcal{P}(S) + \mathcal{P}(B)}$$

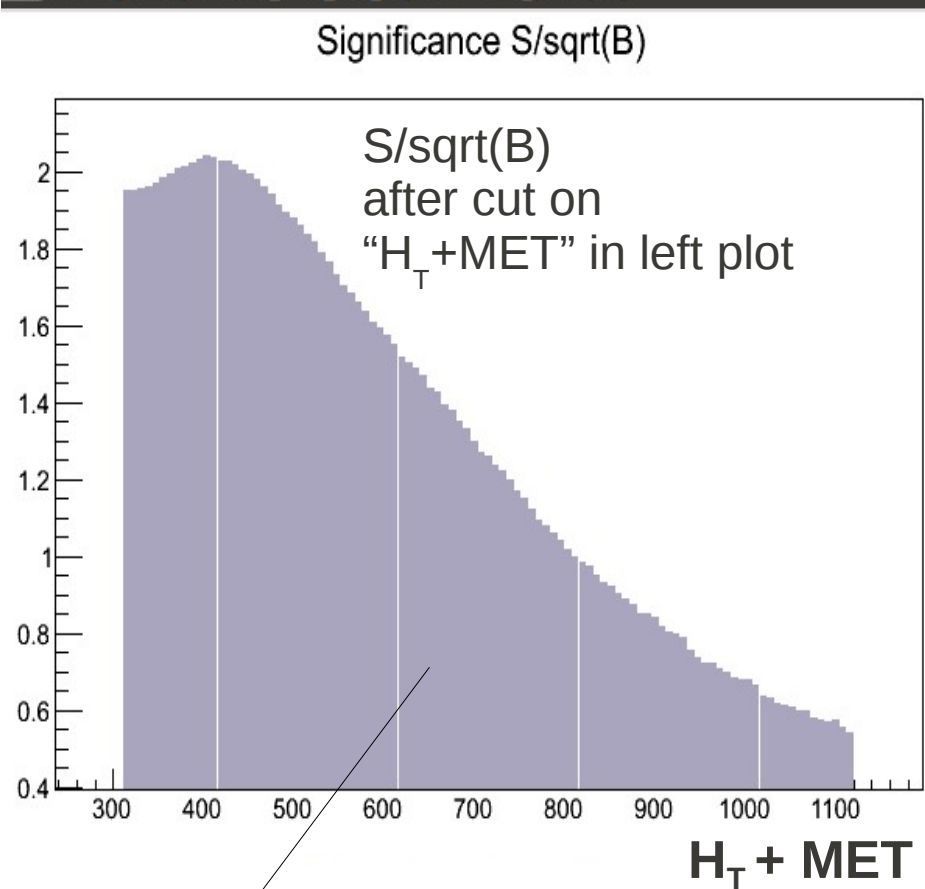
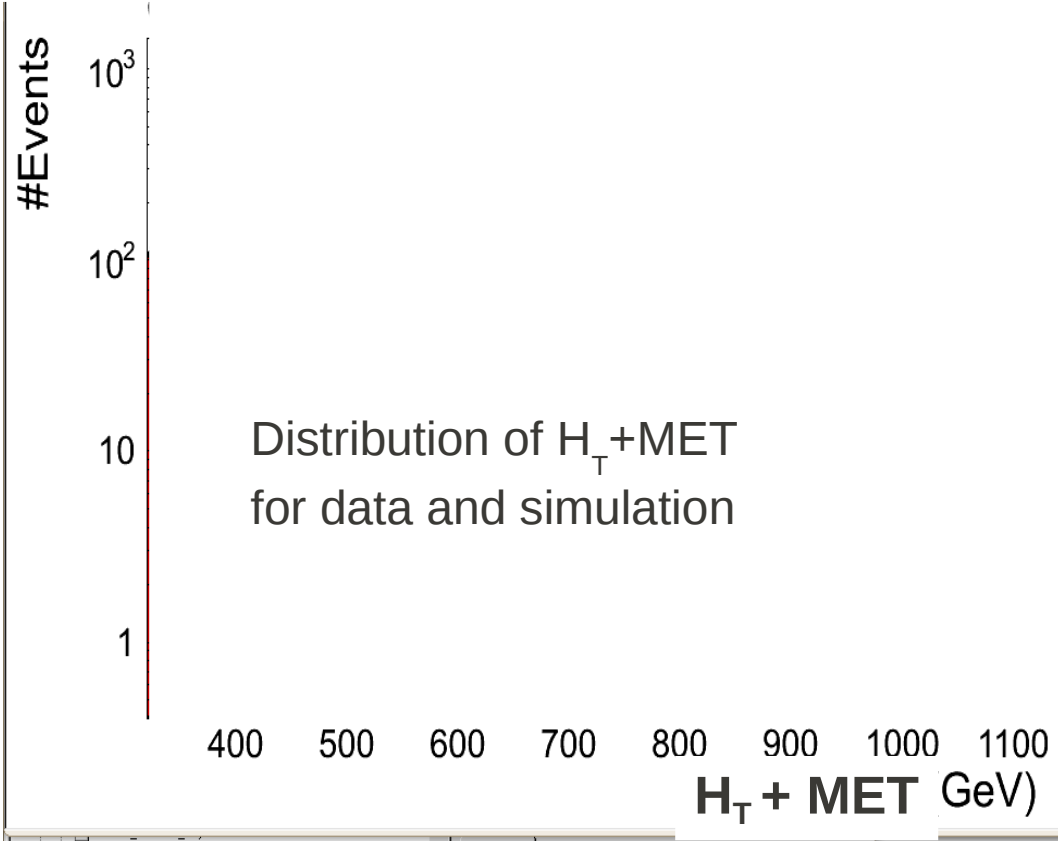
Provides a first idea of the sensitivity

The transformed discriminator has more sensitivity



Provides a first idea of the sensitivity

Simple analysis using HT+MET



Provides a first idea of the sensitivity

Event selection

Jet-parton
assignment

MadWeight:
 $P(S)$; $P(B)$

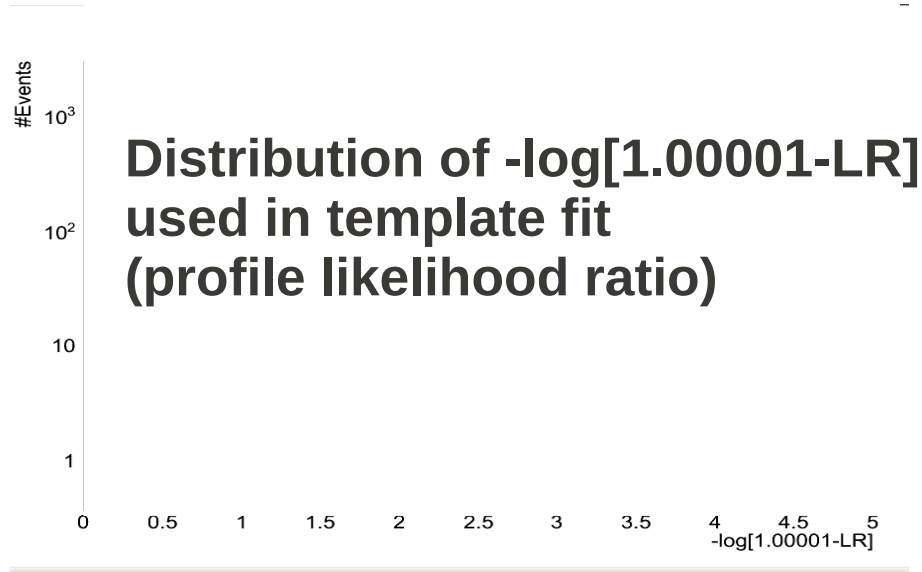
$P(S)/(P(S)+P(B))$

$MET + H_T$

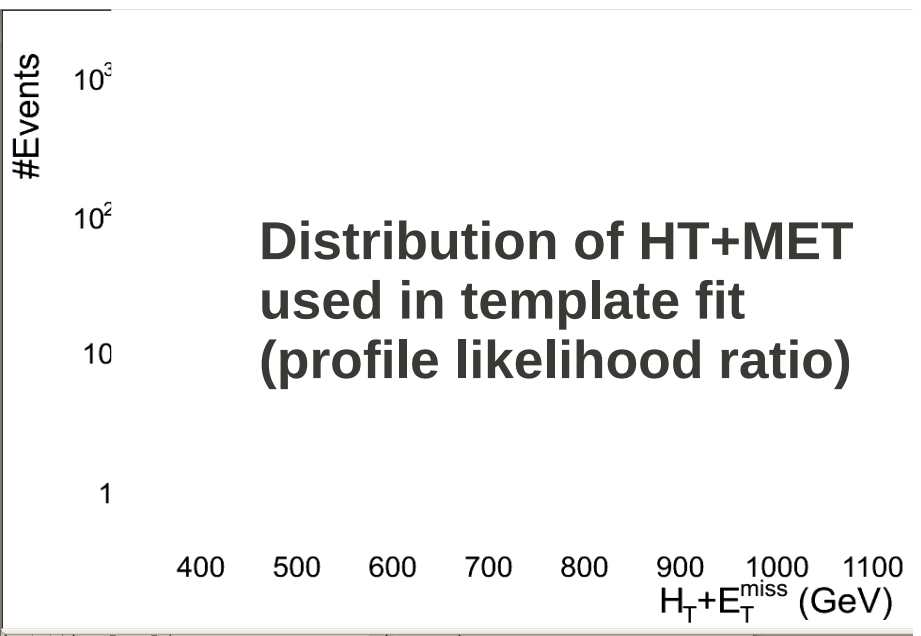
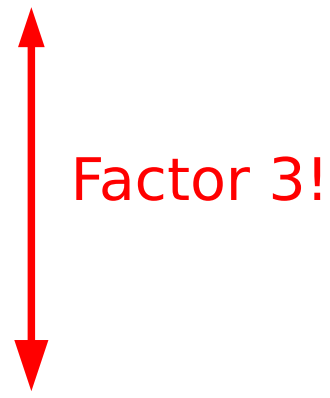
Profile likelihood ratio
→ 95% CL upper limits

Transfer functions,
optimisations

The matrix element method clearly has a lot of potential in this search



Signal strength needed for 95%CL exclusion:
~0.6 (from initial rough studies)



Signal strength needed for 95%CL exclusion:
~1.9 (from initial rough studies)

The “quick” case study is promising

The first study is promising: **factor of 3 improvement**
(madweight versus 'simple' $H_T + MET$)

Time for the real work & detailed studies:

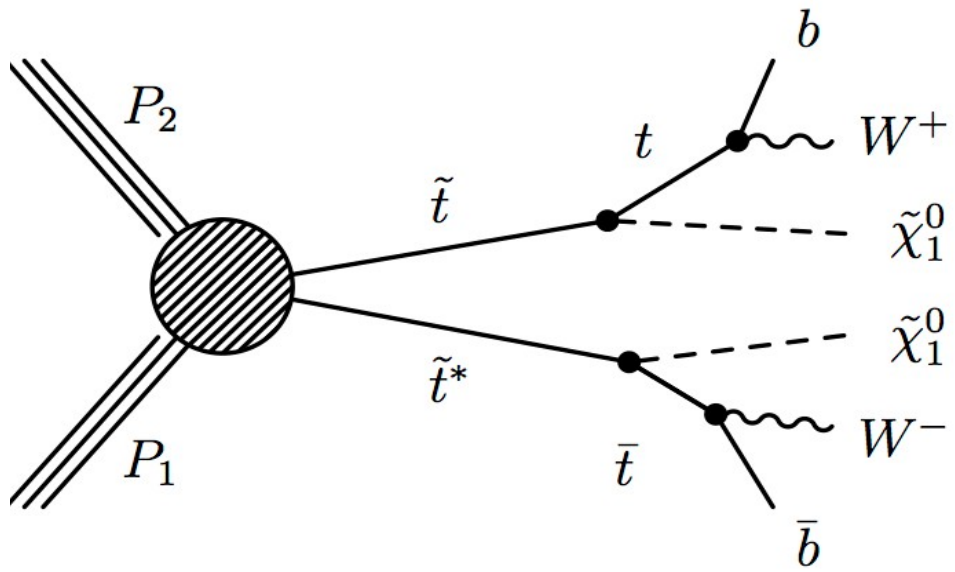
- Closer look at transfer functions:
 - η -dependent, less parameters, also muon energy
- Further reduce the cpu time (~ 7 minutes/event ?)
- Permutations now done 'by hand'
- Normalization factor \rightarrow interpret weights as probabilities
- **What is required to run MadWeight on the grid?**

Real experimental analysis:

- Perform a scan on $(m_{\text{stop}}, m_{\chi_0})$
- Include systematics
- ...

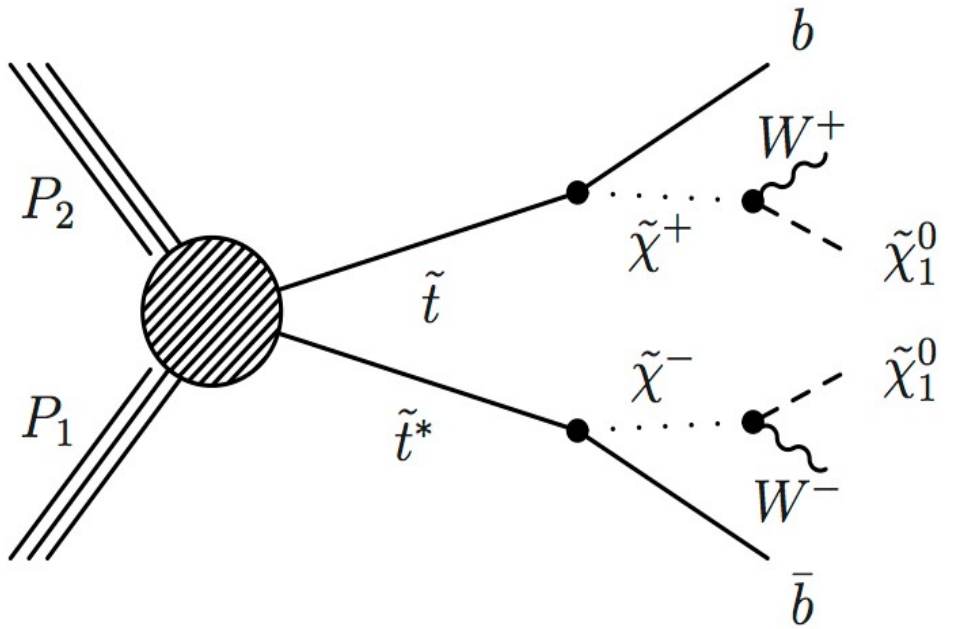
Additional material

Ultimately: search simultaneously for 2 signal decay channels with MEM!



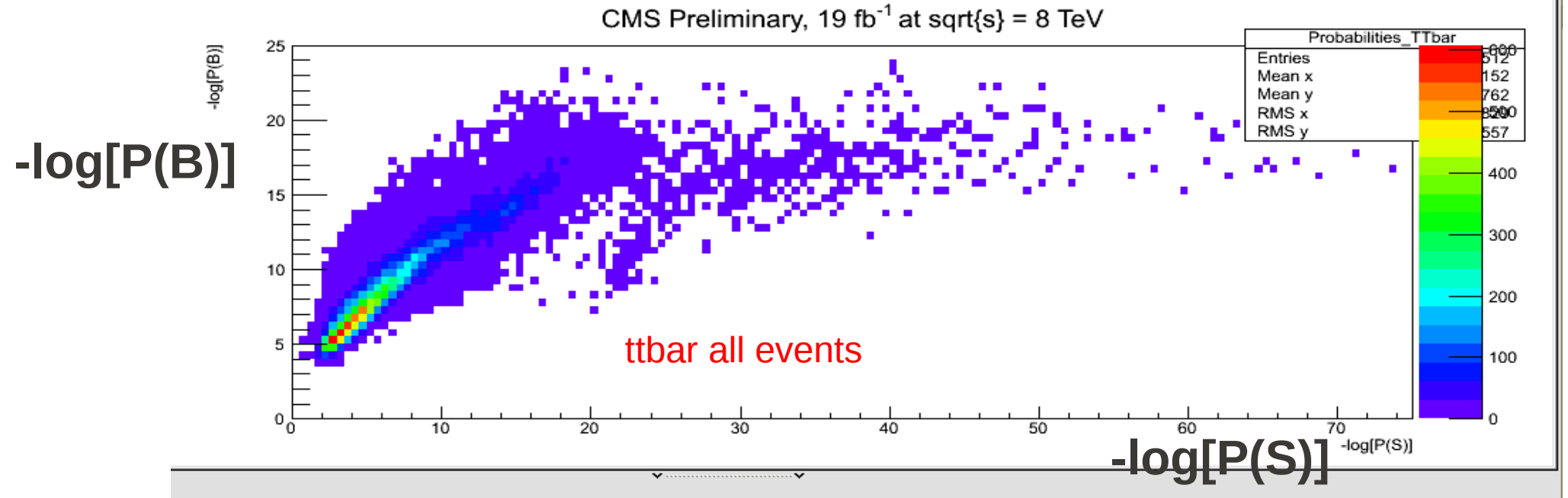
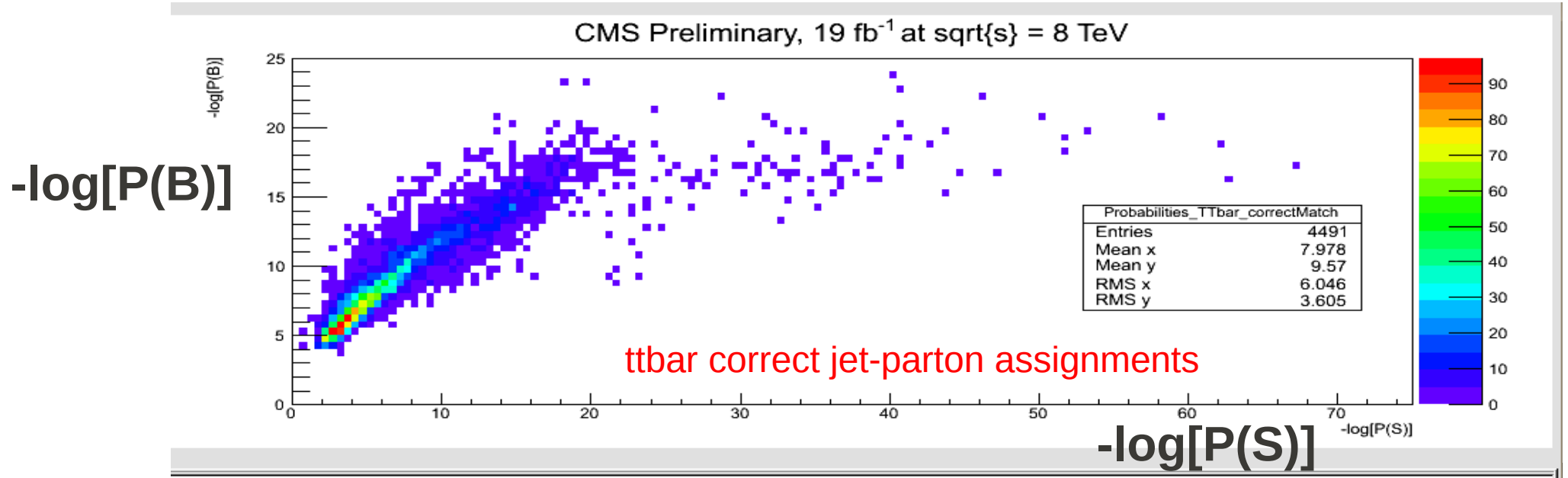
$$pp \rightarrow \tilde{t}\tilde{t}^* \rightarrow t\bar{t}\tilde{\chi}_1^0\tilde{\chi}_1^0 \rightarrow b\bar{b}W^+W^-\tilde{\chi}_1^0\tilde{\chi}_1^0$$

Enhance our chance to find stops: use both signal decay channels!

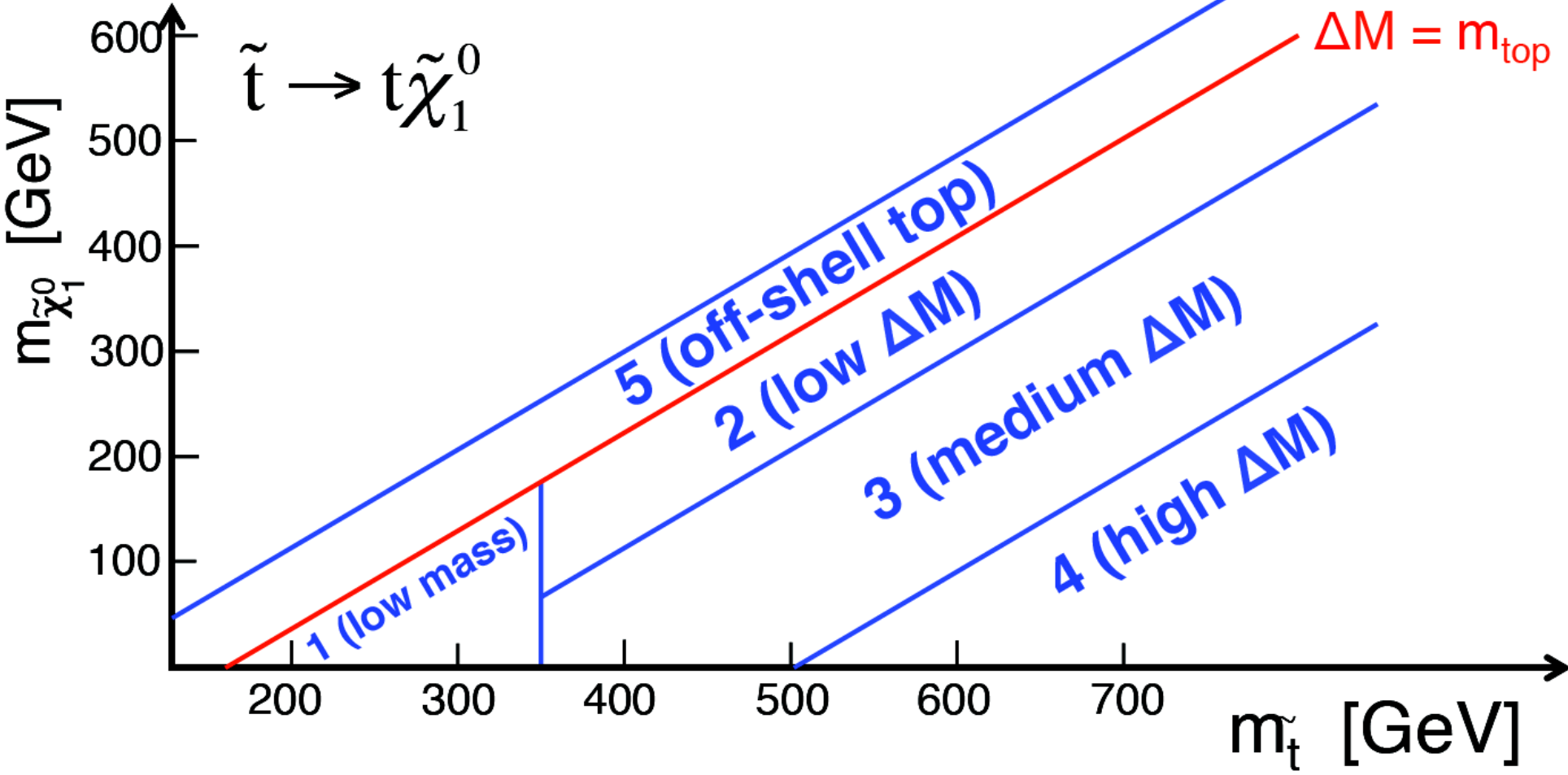


$$pp \rightarrow \tilde{t}\tilde{t}^* \rightarrow b\bar{b}\tilde{\chi}_1^+\tilde{\chi}_1^- \rightarrow b\bar{b}W^+W^-\tilde{\chi}_1^0\tilde{\chi}_1^0$$

The “probability” for signal (stops) and background (ttbar)



The parameter space



The CMS official exclusion limit

